SAMPLE PAPER <u>TENTH CLASS</u> <u>CIRCLES</u> SECTION A 3 MARKS EACH

- 1. If two non parallel sides of a trapezium are equal then prove that it is cyclic.
- 2. In a cyclic trapezium prove that the non parallel sides are equal.
- 3. Prove that any four vertices of the regular pentagon are cyclic.
- 4. Prove that any cyclic parallelogram is rectangle.
- 5. In a right triangle prove that the sum of the lengths of the legs is equal to the sum of the diameters of the inscribed and the circumscribed circle.
- 6. The bisector of < B of the isosceles triangle ABC where AB = AC meets the circle at P. prove that CQ = CA.





8. In the figure ABCD is a parallelogram, prove AE = AD.



9. In the figure AB is the diameter and CD is equal to the radius of the circle, prove that < P = 60.



10.in the figure AB = AP, AD <u>\\BC</u>, AP \\ CD, prove that ABCD is cyclic.





12.in the figure below, AE \\ CB find < BCD?



13.in the figure if y = 2x, find x?



- 15.A circle of radius 3cm touches other circle of radius 'r' with centers A and B respectively. Find value of 'r' and length of perpendicular bisector of AB, if AB=2cm and r >3.
- 16.PQ and RS are the two parallel chords of a circle and the lines RP and SQ meet at O. prove OP = OQ



17.In the figure below $\langle ABQ = \langle ACQ, Prove that \langle AQC = 900 + 1 \rangle 2$ of $\langle BAC \rangle$



18.A circle is touching the side BC of a ∆ ABC at P and is touching AB and AC when produced at Q and R respectively. Prove that

 $AQ = \frac{1}{2}$ (perimeter of $\triangle ABC$)



19.In the figure below SQ is the diameter if $\langle SPR = x \text{ and } \langle QRP = y \rangle$, show that $x + 2y = 90^{\circ}$.



20. Bisector A of \angle BAC of \triangle ABC passes through the centre O of the circum circle of \triangle ABC (fig-1). Prove that



SECTION C 6 MARKS EACH

- 21.If all the sides of the parallelogram touch a circle then prove that parallelogram is a rhombus.
- 22.In the figure below, AD \\ BE. Prove that < DFE = 90.



- 23.Two circles intercept each other at P and Q. on QP produced there is a point A from where the tangents AB and AC are drawn to both the circles. Prove that AB = AC.
- 24.In the figure below AB = AC, if D is the mid point of AC, prove that 4AP = AB.



25.In the figure below, < ABC = 90, BD is perpendicular to AC, prove that.</p>
a) AC x AD = AB²
b) AC x CD = BC².