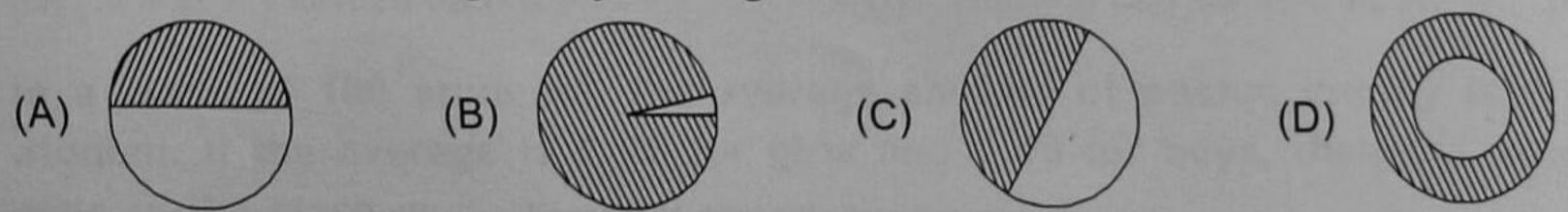
## SECTION I: LOGICAL REASONING

1.	A shopkeeper uses a code 'OLISPAH' = 28, where O = ₹ 1, L = ₹ 2, I = ₹ 3, so on. Use the coding of above letter, what price does 'SOAP' denote?					
	(A) ₹ 120	(B) ₹		(C) ₹ 16	(D) ₹ 61	

2. Out of a class of 40 students only four can sing. If there are two girls singers in the entire class and total eleven boys, then in which figure shaded part will best depict the fraction of non-singer boys and girls?



- 3. Study the following information carefully and answer the given question.
  Four players P, Q, R and S are holding 4 cards each. Each of them has an Ace, a King, a Queen and a Jack. All of them have all the suits (spades, hearts, clubs and diamonds).
  - I. P has Ace of spades and Queen of diamonds.
  - II. Q has Ace of clubs and King of diamonds.
  - III.R has Queen of clubs and King of spades.
  - IV.S has Jack of clubs.

Queen of spades is with \_\_\_\_\_.

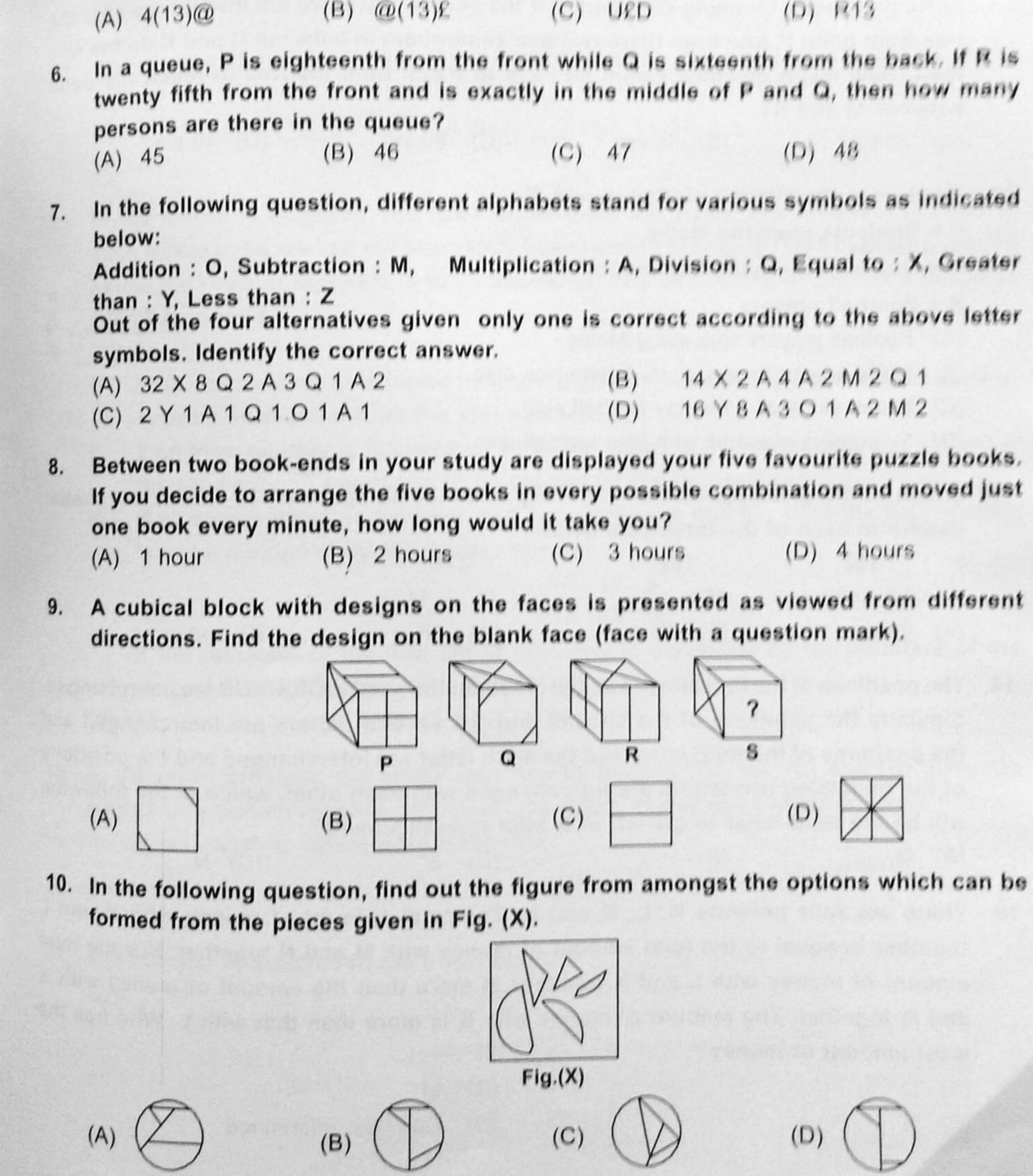
(A) P (B) Q (C) R (D) S

- 4. In a pile of 10 books, there are 3 of History, 3 of Hindi, 2 of Mathematics and 2 of English. Taking from above, there is an English book between a History and Mathematics book, a History book between a Mathematics and an English book, a Hindi book between an English and a Mathematics book, a Mathematics book between two Hindi books and one Hindi book, and two Hindi books between a Mathematics and a History book. Book of which subject is at the sixth position from the top?
  - (A) English

(B) Hindi

(C) Mathematics

D) History



2 \* 8 5 6 B 9 \$ Q 3 E 1 7 R D 4 £ (13) U @ K (18) A (14) P

Which of the following groups of elements will come in the place of the question mark

EQ9

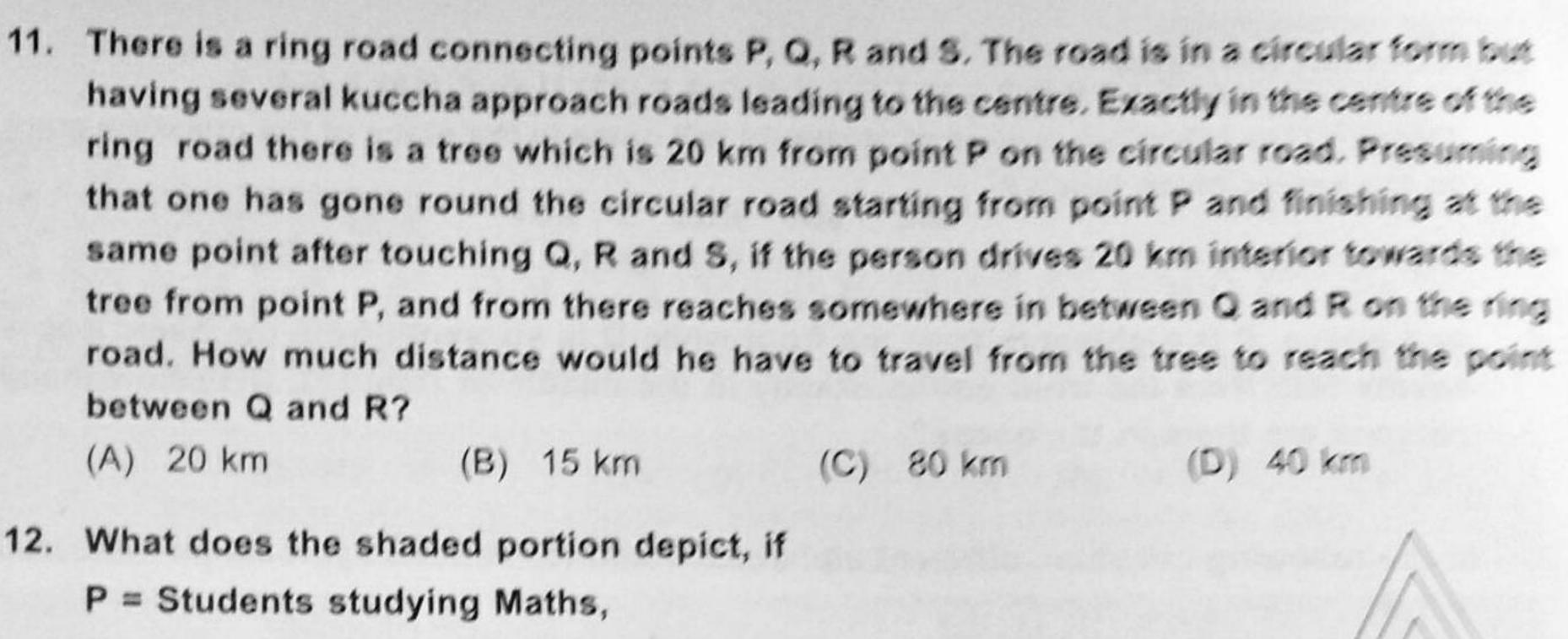
7 £D7

\$85

682

Consider the series

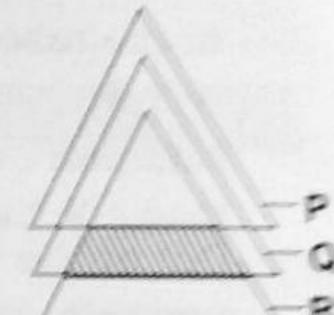
in the series given below?



Q = Students studying Economics

R = Football players

- (A) Football players who study Maths
- (B) Maths students who study Economics also
- (C) Maths students who play football also
- (D) Economics students who play football also



13. Which of the given options fits correctly in the blank space (?) to exhibit the similar pattern in each of the three sets below?

168 . 162 . 176 14 12 18 9 ? 11 (A) 8 (B) 12 (C) 16 (D) 18

14. The positions of the first and the eighth letters in the word WORKINGS are interchanged. Similarly the positions of the second and the seventh letters are interchanged and the positions of the third letter and the sixth letter are interchanged and the positions of the remaining two letters are interchanged with each other, which of the following will be the third letter to the left of R after rearrangement?

(A) G

(B) I

(C) S

(D) N

15. There are four persons K, L, M and N. The total amount of money with K and L together is equal to the total amount of money with M and N together. But the total amount of money with L and N together is more than the amount of money with K and M together. The amount of money with K is more than that with L. Who has the least amount of money?

(A) L

(B) M

(C) N

(D) Can't be determined

16.	Н	DYSMWNBQP	OCRTBLZVE	GUF	
	Which three letters	have the same dista	nce as they have	in the alphabetical order	
	though they have ch	anged places in the	above series?		
	(A) HMP	(B) NQZ	(C) QOE	(D) YLF	
	words?  SI (),Pr (  (A) our	), Tr (), Br ( (B) ick	), S () (C) een	etters to make meaningful  (D) eep	
18.	<ul> <li>In the following question, two rows of numbers are given. The resultant number in each row is to be worked out separately based on the following rules and the question below the rows of numbers is to be answered. The operations of numbers progres from left to right.</li> <li>Rules: <ol> <li>If an odd number is followed by a two-digit odd number then the second number is to be subtracted from the first number.</li> <li>If an even number is followed by a number which is a perfect square of a number then the second number is to be divided by the first number.</li> <li>If an even number is followed by a two-digit even number then the first number is to be multiplied by the second number.</li> <li>13 11 4</li> <li>17 13 12</li> </ol> </li> <li>If the resultant of the first set of numbers is multiplied by the resultant of the first set of numbers is multiplied by the resultant of the first set of numbers is multiplied by the resultant of the first set of numbers is multiplied by the resultant of the first set of numbers is multiplied by the resultant of the first set of numbers is multiplied by the resultant of the first set of numbers is multiplied by the resultant of the first set of numbers is multiplied by the resultant of the first set of numbers is multiplied by the resultant of the first set of numbers is multiplied by the resultant of the first set of numbers is multiplied by the resultant of the first set of numbers is multiplied by the resultant of the first set of numbers is multiplied by the resultant of the first set of numbers is multiplied by the resultant of the first set of numbers is multiplied by the resultant of the first set of numbers is multiplied by the resultant of the first set of numbers is multiplied by the resultant of the first set of numbers is numbers.</li> </ul>				
	second set of n	umbers, what will be	the outcome?		
	(A) 48	(B) 69	(C) 75	(D) 96	
19.	similar in a certain	n, out of the four fig manner. However, or different from the res	ne figure is not like	(B), (C) and (D) three are the other three. Choose (D)	
-			:-		
20.	The number of squa	res in the given figu	ie is		
	(A) 11	(B) 21	(C) 24	(D) .None of these	

16. Study the letter-series given below and answer the question that follows:

## SECTION II: MATHEMATICAL REASONING

21. Consider the following st	atements:
-------------------------------	-----------

- Identity relation in a finite set A is the greatest relation in A.
- The universal relation in a set containing at least two elements is not anti-2. symmetric.
- The union and intersection of two symmetric relations are also symmetric 3. relations.

Which of these is/are correct?

- (A) Only (1) (B) Only (2) and (3) (C) Only (1) and (3) (D) All of these

22. If 
$$\tan \alpha = \frac{1}{\sqrt{x(x^2 + x + 1)}}$$
,  $\tan \beta = \frac{\sqrt{x}}{\sqrt{x^2 + x + 1}}$  and  $\tan \gamma = \sqrt{x^{-3} + x^{-2} + x^{-1}}$ , then  $\alpha + \beta$  is

(A) γ

- (B)  $2\gamma$  (C)  $-\gamma$

(D) None of these

23. The 
$$\lim_{x \to \frac{\pi}{2}} \tan^{-1} \left( \frac{\sin(a \tan^3 x + b \tan^2 x + c \tan x)}{a \tan^3 x + b \tan^2 x + c \tan x} \right)$$
 is

- (C)  $\frac{\pi}{4}$
- 24. The solution of the quadratic equation  $(3|x|-3)^2=|x|+7$  which belongs to the domain of definition of the function  $y = \sqrt{x(x-3)}$  are given by \_\_\_\_\_.

- (A)  $\pm \frac{1}{9}, \pm 2$  (B)  $-\frac{1}{9}, 2$  (C)  $\frac{1}{9}, -2$  (D)  $-\frac{1}{9}, -2$
- 25. Let  $f: R \to R$  be a differentiable function and f(1) = 4. Then, the value of  $\lim_{x \to 1} \int_{A}^{f(x)} \frac{2t}{x-1} dt, \text{ if } f'(1) = 2 \text{ is}$ 
  - (A) 16

(B) 8

(C) 4

- None of these
- 26. There are 5 duplicate and 10 original items in an automobile shop and 3 items are brought at random by a customer. The probability that none of the items is duplicate,

- (B)  $\frac{22}{91}$
- (C)  $\frac{24}{91}$
- (D)  $\frac{89}{91}$
- 27. The n<sup>th</sup> term of the series 1 + 2 + 5 + 12 + 25 + ..... is
  - (A) (n-1)(n-2)

(B)  $\frac{1}{3}n(n-1)(n-2)+n$ 

None of these (D)

28.	s and T are the foci of an ellipse	and B is	an end	of the minor	r axis.	f ∆STB is
	equilateral, then e is					
	(A) $\frac{1}{2}$ (B) $\frac{1}{3}$	(C)	$\frac{1}{4}$	(D)	None o	f these
29.	Let $\Delta \neq 0$ and $\Delta^c$ denotes the determinant of cofactors, then $\Delta^c = \Delta^{n-1}$ where $n(>0)$ is the order of $\Delta$ . On the basis of above information, answer the below question.					
	the order or	1 2 . 2				
		$a^2 + \lambda^2$	$ab + c\lambda$	$ca-b\lambda$	c -	b
	If $a^2 + b^2 + c^2 = \lambda^2$ , then the value of	f ab - cλ	$b^2 + \lambda^2$	$bc + a\lambda \times -c$	λ έ	is
		$ac + b\lambda$	$bc - a\lambda$	$c^2 + \lambda^2$ b	-a 7	
	(A) $8\lambda^{6}$ (B) $27\lambda^{9}$	(C)	8λ9	(D)	$27\lambda^6$	

If 
$$a^2 + b^2 + c^2 = \lambda^2$$
, then the value of 
$$\begin{vmatrix} a^2 + \lambda^2 & ab + c\lambda & ca - b\lambda \\ ab - c\lambda & b^2 + \lambda^2 & bc + a\lambda \\ ac + b\lambda & bc - a\lambda & c^2 + \lambda^2 \end{vmatrix} \times \begin{vmatrix} \lambda & c & -b \\ -c & \lambda & a \\ b & -a & \lambda \end{vmatrix}$$
 is \_\_\_\_.

(A)  $8\lambda^6$  (B)  $27\lambda^9$  (C)  $8\lambda^9$  (D)  $27\lambda^6$ 

30. If 
$$af(x) + bf\left(\frac{1}{x}\right) = x + \frac{5}{x}$$
,  $(a \ne b)$ , then  $f(x)$  is equal to

(A) 
$$\frac{1}{a^2 - b^2} \left( x + \frac{1}{x} \right)$$
 (B)  $\frac{1}{a^2 - b^2} \left[ x(5a - b) + \frac{1}{x}(5b - a) \right]$ 

(C) 
$$\frac{1}{a^2 - b^2} \left[ x(a - 5b) + \frac{1}{x}(5a - b) \right]$$
 (D) None of these

31. The number of ordered triplets of positive integers which are solutions of the equation x + y + z = 100, is \_\_\_\_\_\_.

(D) None of these

32. Two persons A and B throw a die alternately till one of them gets a 3 and wins the game, the respective probabilities of winning, if A begins are \_\_\_\_\_. (A)  $\frac{1}{11}$ ,  $\frac{4}{11}$  (B)  $\frac{5}{6}$ ,  $\frac{1}{6}$  (C)  $\frac{4}{7}$ ,  $\frac{3}{7}$  (D)  $\frac{6}{11}$ ,  $\frac{5}{11}$ 

(A) 
$$\frac{-1}{11}$$
,  $\frac{4}{11}$ 

(B) 
$$\frac{5}{6}$$
,  $\frac{1}{6}$ 

(C) 
$$\frac{4}{7}, \frac{3}{7}$$

(D) 
$$\frac{6}{11}, \frac{5}{11}$$

33. If  $\cot(\cos^{-1}x) = \sec\left(\tan^{-1}\frac{a}{\sqrt{b^2 - a^2}}\right)$ , then x is equal to \_\_\_\_. (A)  $\frac{b}{\sqrt{2b^2 - a^2}}$  (B)  $\frac{a}{\sqrt{2b^2 - a^2}}$  (C)  $\frac{\sqrt{2b^2 - a^2}}{a}$  (D)  $\frac{\sqrt{2b^2 - a^2}}{b}$ 

$$(A) \quad \frac{b}{\sqrt{2b^2 - a^2}}$$

$$(B) \quad \frac{a}{\sqrt{2b^2 - a^2}}$$

$$(C) \quad \frac{\sqrt{2b^2 - a^2}}{a}$$

$$(D) \quad \frac{\sqrt{2b^2 - a^2}}{b}$$

34. If  $y = \ln\left(\frac{x}{a+bx}\right)^x$ , then  $x^3 \frac{d^2y}{dx^2}$  is equal to \_\_\_\_\_.

(A) 
$$\left(\frac{dy}{dx} + x\right)^2$$

(B) 
$$\left(\frac{dy}{dx} - y\right)^2$$

(A) 
$$\left(\frac{dy}{dx} + x\right)^2$$
 (B)  $\left(\frac{dy}{dx} - y\right)^2$  (C)  $\left(x\frac{dy}{dx} + y\right)^2$  (D)  $\left(x\frac{dy}{dx} - y\right)^2$ 

(D) 
$$\left(x\frac{dy}{dx} - y\right)^2$$

35. If A be a square matrix of order n and if |A| = D and |A| = D', then

(A) 
$$DD' = D^2$$

(B) 
$$DD' = D'^{-1}$$

(C) 
$$DD' = D^n$$

(D) None of these

The value of $\int_{0}^{3\pi/2} \frac{ \tan^{-1}\tan x  -  \sin^{-1}\sin x }{ \tan^{-1}\tan x  +  \sin^{-1}\sin x } dx$ is equal to			
(A) $\frac{\pi}{2}$ (B) $\pi$ (C) $\frac{3\pi}{2}$ (D) None of these			
The length of longer diagonal of the parallelogram constructed on $5\vec{a} + 2\vec{b}$ and $\vec{a} - 3\vec{b}$ ,			
if it is given that $ \vec{a}  = 2\sqrt{2}$ , $ \vec{b}  = 3$ and angle between $\vec{a}$ and $\vec{b}$ is $\frac{\pi}{4}$ , is			
(A) 15 (B) $\sqrt{113}$ (C) $\sqrt{593}$ (D) $\sqrt{369}$			
If in a $\triangle ABC$ , $\angle C = 90^{\circ}$ , then the maximum value of sinA sinB is			
(A) $\frac{1}{2}$ (B) 1 (C) 2 (D) None of these			
Consider the following statements I and II:			
I: Both sinx and cosx are decreasing function in $\left(\frac{\pi}{2},\pi\right)$ .			
II: If a differentiable function decreases in (a, b), then its derivative also decreases in (a, b).			
Which of the following is true?  (A) Both I and II wrong.  (B) Both I and II are correct but II is not the correct explanation for I.  (C) I is correct and II is the correct explanation for I.  (D) I is correct, II is wrong.			
The parabolas $y^2 = 4x$ and $x^2 = 4y$ divide the square region bounded by the lines $x = 4$ , $y = 4$ and the coordinate axes. If $S_1$ , $S_2$ , $S_3$ are respectively the areas the these parts numbered from top to bottom, then $S_1 : S_2 : S_3$ is  (A) 1:1:1 (B) 2:1:2 (C) 1:2:3 (D) 1:2:1			
SECTION III: EVERYDAY MATHEMATICS			
Jairam purchased a house in ₹ 15000 and paid ₹ 5000 at once. Rest of the money he promised to pay in annual installment of ₹ 1000 with 10% per annum interest. How much money is to be paid by Jairam?			
(A) ₹ 21555 (B) ₹ 20475 (C) ₹ 20500 (D) ₹ 20700			

43.	34 students who appeared in MAT. There were 37 students who appeared in CAT of which 17 students appeared in MAT. 30 students appeared in XAT of which 13 students appeared in MAT. Of the XAT applicants (i.e., appeared students) 14 appeared in CAT and 6 appeared in all the three. How many students appeared in CAT but not in MAT or XAT?
	(A) 9 (B) 10 (C) 12 (D) None of these
44.	A company produces 4 of central heating radiator known as types P, Q, R and S. A builder buys radiators for all the houses on a new estate. There are 20 small houses, 30 medium-sized houses and 15 large houses. A small house needs 3 radiators of type P, 2 of type Q and 2 of type R. A medium-sized house needs 2 radiators of type P, 3 of type R and 3 of type S.
	A large house needs 1 radiator of type Q, 6 of type R and 3 of type S. The costs of the radiators are ₹ 30 for type P, ₹ 40 for Q, ₹ 50 for R and ₹ 80 for S.
	Using matrix multiplication twice, find the total cost of all the radiators for the
	estate. (A) ₹ 20068 (B) ₹ 27680 (C) ₹ 30680 (D) ₹ 27600
45.	A pack of 16 cards contains 4 cards of each of the colours red, blue, green and yellow. The four cards of each colour are numbered 1, 2, 3 and 4. The pack is shuffled and one card is drawn at random. Find the probability that it is red card numbered 4 or a blue card.
	(A) $\frac{4}{13}$ (B) $\frac{8}{17}$ (C) $\frac{5}{16}$ (D) None of these
46.	A clock loses 2 minutes in an hour and another clock gains 2 minutes in every 2 hours. Both these clocks are set correctly at a certain time on Sunday and both the clocks stop simultaneously on the next day with the time shown being 9 am and 10:06 am. What is the correct time at which they stopped?  (A) 9:54 am  (B) 9:44 am  (C) 9:46 am  (D) None of these
	It costs ₹ 10 a kilometre to fly and ₹ 2 a km to drive. If one travels 200 km covering
47.	It costs ? 10 a kilometre to my and ? 2 a kill to diving, then the cost of the trip is
	(A) ₹ 2000 (B) ₹ 24000 (C) ₹ (8x + 400) (D) ₹ (12x + 400)
48.	A cat takes 7 steps for every 5 steps of a dog, but 5 steps of a dog are equal to
	steps of cat. What is the ratio of speed of cat to that of dog?
	(A) 42:25 (B) 24:19 (C) 7:6 (D) None of these

		gar, there are 500 students. 60% of the students are		
	boys, 40% of whom play hockey and the girls don't play hockey. 75% of girls play			
	badminton. There are only two	games to be played. The number of students who don't		
	play any game is			
	(A) 10%	(B) 36%		

Can't be determined

50. 16 workers working 6 hours a day can build a wall of length 150 metres, breadth 20 m and height 12 m in 25 days. In how many days 12 workers, working 8 hours a day can build a wall of length 800 m, breadth 15 m and height 6 m.

46%