## CBSE Class 09 Mathematics

## Revision Notes

## CHAPTER 9

## AREAS OF PARALLELOGRAMS AND TRIANGLES

## 1. Figures on the same Base and between the same Parallels

## 2. Parallelograms on the same Base and between the same Parallels

## 3. Triangles on the same Base and between the same Parallels

- Area of a parallelogram $=$ base $\times$ height
- Area of a triangle $=\frac{1}{2} \times$ base $\times$ height
- Area of a trapezium $=\frac{1}{2} \times($ sum of parallel sides $) \times$ distance between them
- Area of rhombus $=\frac{1}{2} \times$ product of diagonals
- Two figures are said to be on the same base and between the same parallels, if they have a common side (base) and the vertices (or the vertex) opposite to the common base of each figure lie on a line parallel to the base.
- Parallelogram on the same base and between the same parallels are equal in area.
- If each diagonal of a quadrilateral separates it into two triangles of equal area, then the quadrilateral is a parallelogram.
- A parallelogram and a rectangle on the same base and between the same parallels are equal in area.
- Triangles on the same base and between the same parallels are equal in area.
- Triangles having equal areas and having one side of one of the triangles, equal to one side of the other, have their corresponding altitude equal.
- If a triangle and parallelogram are on the same base and between the same parallels, then.

Area of triangle $=\frac{1}{2} \mathrm{x}$ area of the parallelogram

- A diagonal of parallelogram divides it into two triangles of equal areas.

In parallelogram $A B C D$, we have

Area of $\triangle A B D=$ area of $\triangle A C D$


- The diagonals of a parallelogram divide it into four triangles of equal areas therefore $\operatorname{ar}(\triangle A O B)=\operatorname{ar}(\triangle C O D)=\operatorname{ar}(\triangle A O D)=\operatorname{ar}(\triangle B O C)$

- A median AD of a $\triangle A B C$ divides it into two triangles of equal areas. Therefore $\operatorname{ar}(\triangle \mathrm{ABD})=\operatorname{ar}(\triangle A C D)$
- If the medians of a intersect at G , then
$\operatorname{ar}(\Delta A G B)=\operatorname{ar}(\Delta A G C)=\operatorname{ar}(\Delta B G C)=\frac{1}{3} \operatorname{ar}(\triangle A B C)$


