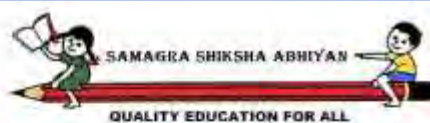




WORKSHEET FOR 1<sup>st</sup> October SEPTEMBER 2020




A JOINT VENTURE OF DIET PALAKKAD AND SSK PALAKKAD



**INTER BELL  
INTERVENTION BASED ON EFFECTIVE LEISURE LEARNING**

*STUDENT SUPPORT MATERIAL for X Mathematics*

01 *October*  
Died this day



**Filadelfo Insolera**  
1880 - 1955 (Italy)  
He was an Italian mathematician best known for his work on statistics and financial mathematics.

**KITE VICTERS STD 10**

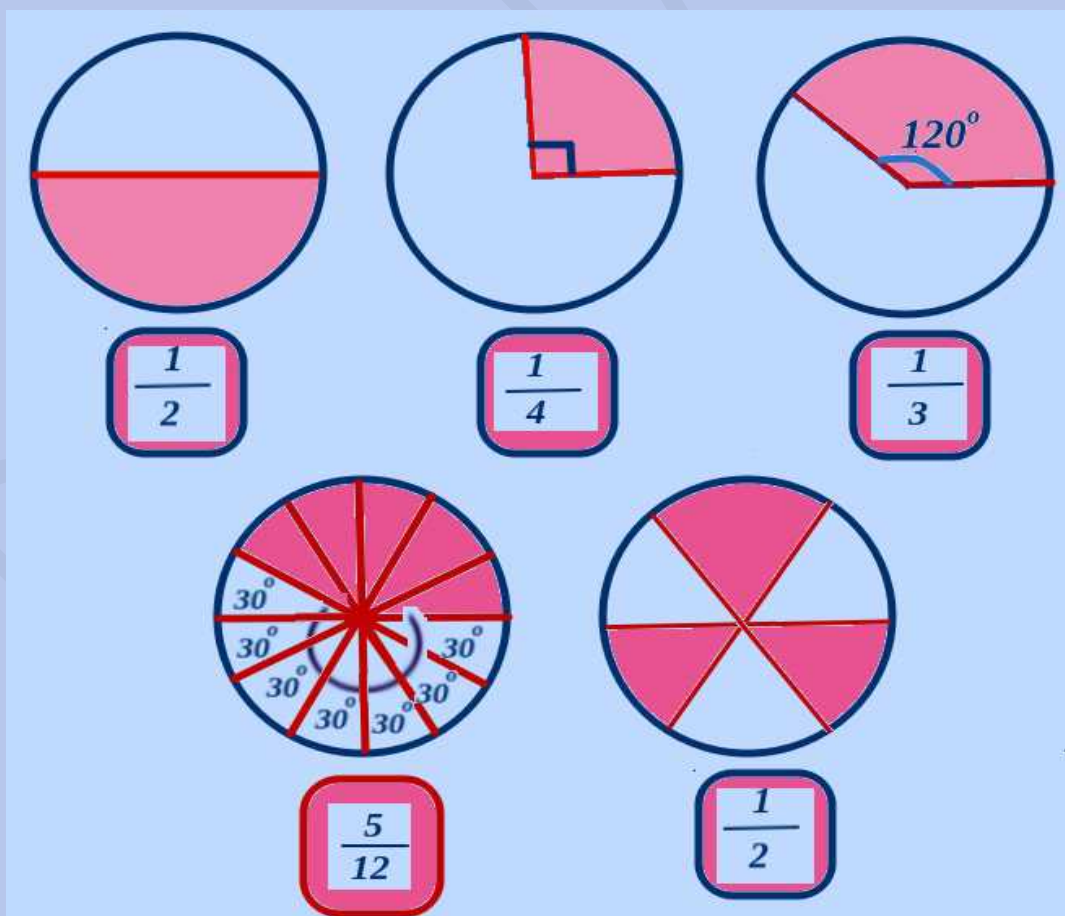
**Mathematics - Class - 38**



*Try this....*

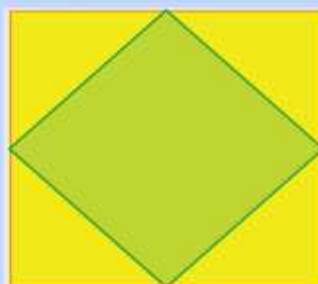


*Have you seen multicoloured disc spins on a board?  
 We have to learn the situations when the Probability is interpreted geometrically. We can see the examples given below.  
 If we put a dot in the figure with out looking, what is the probability that it is inside the shaded region?  
 For that we have to find how much part is the area of the shaded region to that of total area.*

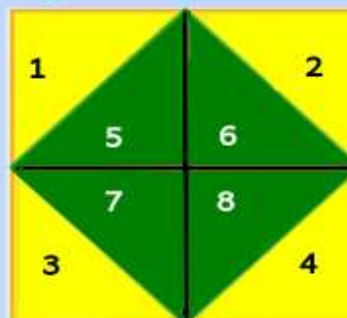


*In each picture below, the explanation of the green part is given. Calculate in each, the probability of putting a dot, without looking, to be within the green part.*

**1. A square got by joining the mid points of a bigger square.**



*If we join the diagonals of green square, we get 8 equal triangles. That is the green square is the half of outer square.*



*∴ Probability of the dot to be within the green square*

$$= \frac{\text{Number of equal triangles in the green square}}{\text{Total number of equal triangles}}$$

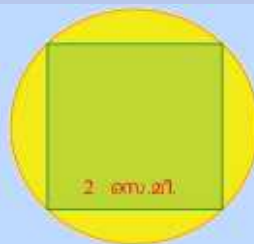
$$= \frac{4}{8}$$

$$= \frac{1}{2}$$

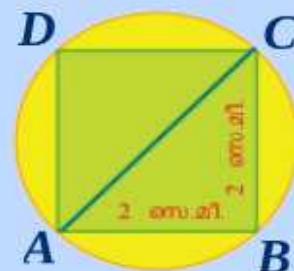


WORKSHEET FOR 1<sup>st</sup> October SEPTEMBER 2020

2. A square with all the vertices on a circle.



Draw the diagonal AC of the square. AC is again the diameter of the circle.



$$\text{Diagonal AC} = 2\sqrt{2}$$

(Pythagoras theorem / Angles are  $45^\circ$ ,  $45^\circ$  and  $90^\circ$ )

$$\therefore \text{Radius} = \frac{2\sqrt{2}}{2} = \sqrt{2}$$

$$\begin{aligned} \text{Area of circle} &= \pi r^2 = \pi \times \sqrt{2} \times \sqrt{2} \\ &= \pi \times 2 = 2\pi \text{ cm}^2 \end{aligned}$$

$$\text{Area of square} = 2 \times 2 = 4 \text{ cm}^2$$

$\therefore$  Probability of the dot to be within the square

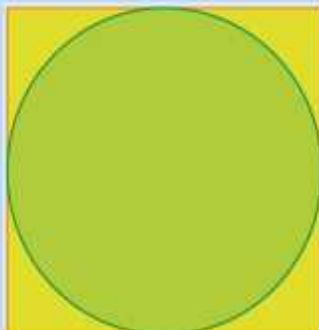
$$= \frac{\text{Area of square}}{\text{Area of circle}}$$

$$= \frac{4}{2\pi} = \frac{2}{\pi}$$





3. Circle exactly fitting inside a square.

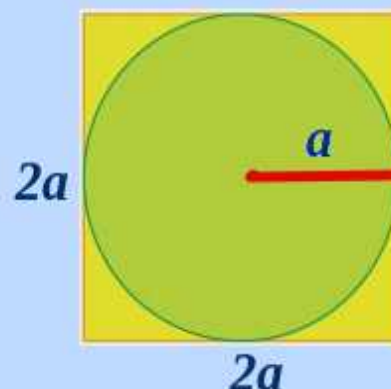


Let, the length of the side of the square be  $2a$ .

Then the radius of the circle =  $a$

Area of the square =  $2a \times 2a = 4a^2$

Area of the circle =  $\pi r^2 = \pi a^2$

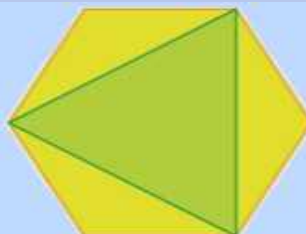


$\therefore$  Probability of the dot to be with in the circle

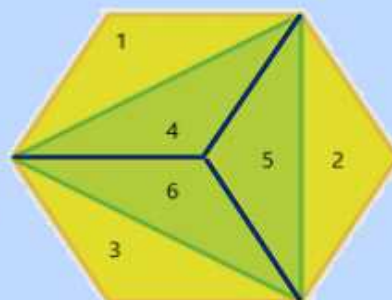
$$= \frac{\text{Area of the circle}}{\text{Area of the square}}$$

$$= \frac{\pi a^2}{4a^2} = \frac{\pi}{4}$$

4. A triangle obtained by joining the alternate vertices of a regular hexagon.



If we draw the angular bisectors of the green triangle, we get 6 equal triangles. That is the green triangle is half of regular hexagon.



∴ Probability of the dot to be within the green triangle

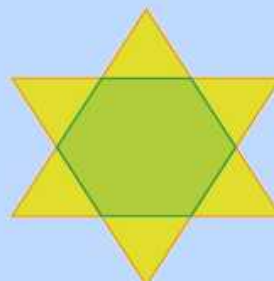
$$= \frac{\text{Number of equal triangles in the green triangle}}{\text{Number of equal triangles in the hexagon}}$$

$$= \frac{3}{6}$$

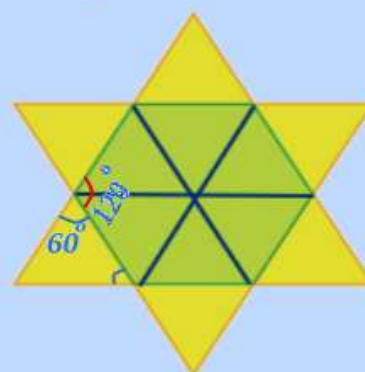
$$= \frac{1}{2}$$



5. A regular hexagon formed by two overlapping equilateral triangles.



If we draw the diagonals of the regular hexagon, we get 12 equal triangles.



We know that the inner and outer angles at each vertex of the regular hexagon are  $120^\circ$  and  $60^\circ$  respectively. That is, all the inner angles of each yellow triangle is  $60^\circ$ . That is all the triangles are equilateral.

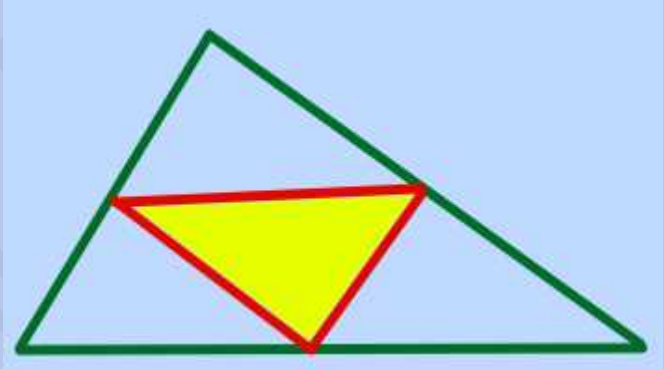
$\therefore$  The probability of the dot to be within the regular hexagon

$$= \frac{\text{Number of equal triangles in the regular hexagon}}{\text{Total number of equal triangles}}$$

$$= \frac{6}{12} = \frac{1}{2}$$



Questions:

- Each of the letters of the word MALAYALAM is written on separate paper slips and put in a box. If a person takes a paper slip from the box without looking into the box, what is the probability that
  - It is the letter "A"
  - It is not the letter "A"
- In the figure the shaded triangle is drawn by joining the midpoints of the sides of the large triangle. Calculate the probability of putting a dot, without looking, on larger triangle to be inside the shaded triangle.
- Separate cards numbered as 10, 11, 12, 13, 14, 15, 16, 17 and 18 are made. One is asked to take a card from this. What is the probability that
  - It is an even number?
  - It is a prime number?





WORKSHEET FOR 1<sup>st</sup> October SEPTEMBER 2020

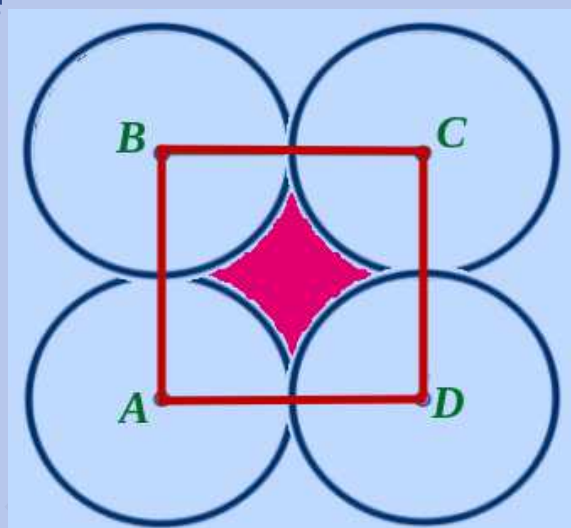
4. In figure, A, B,C and D are the centres of each circle. The radius of each is 1 unit.

a) What is the length of the side of the square ABCD?

b) What is the area of the square ABCD?

c) What is the area of the shaded region?

d) If a dot is put at random inside the square ABCD, what is the probability that the dot to be within the shaded region?

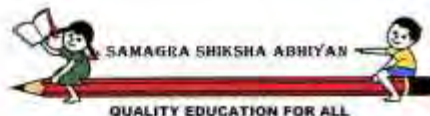


5. There are 20 balls in a box. Some are yellow and the rest are blue. The probability of getting a blue ball from the box without looking to it is 0.35. Then

a) How many blue balls are there in the box?

b) How many yellow balls are there?






A JOINT VENTURE OF DIET PALAKKAD AND SSK PALAKKAD



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**25** Born this day



**Harald Cramér**  
1893 - 1985 (Sweden)

He was a mathematician & statistician, specializing in mathematical statistics & probabilistic number theory.

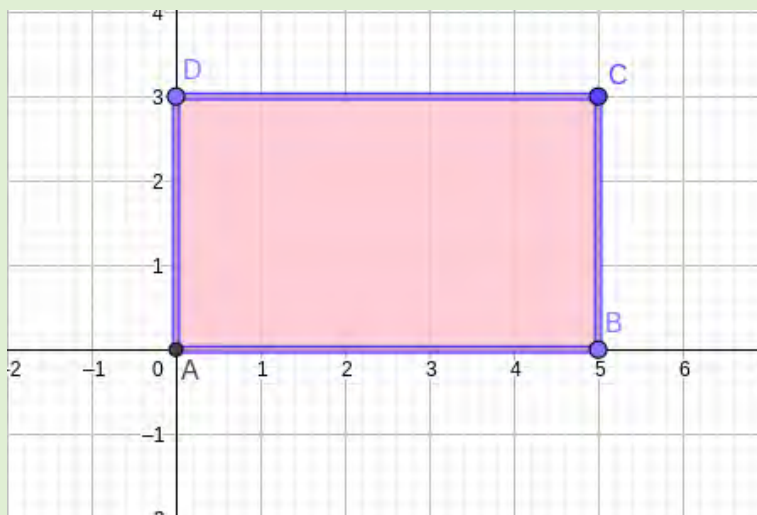
KITE VICTERS STD 10  
Mathematics - Class- 35



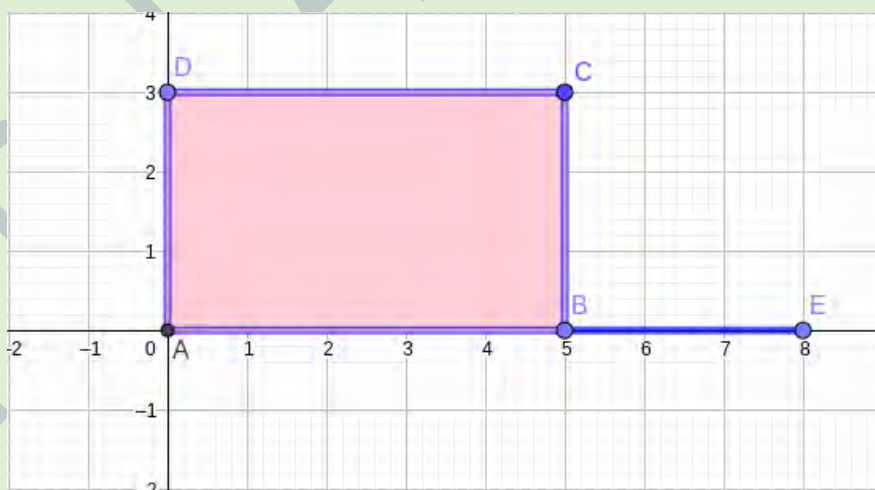
WORKSHEET FOR 25<sup>TH</sup> SEPTEMBER 2020

Draw a square of area same as that of a rectangle.

Draw the rectangle ABCD with given dimensions.

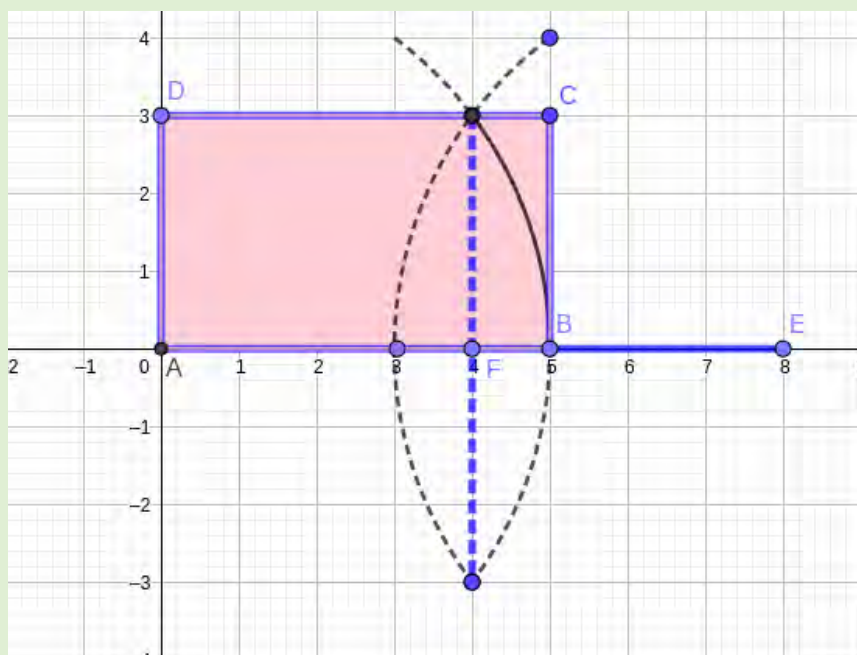


Extend AB to E where  $BC = BE$ .

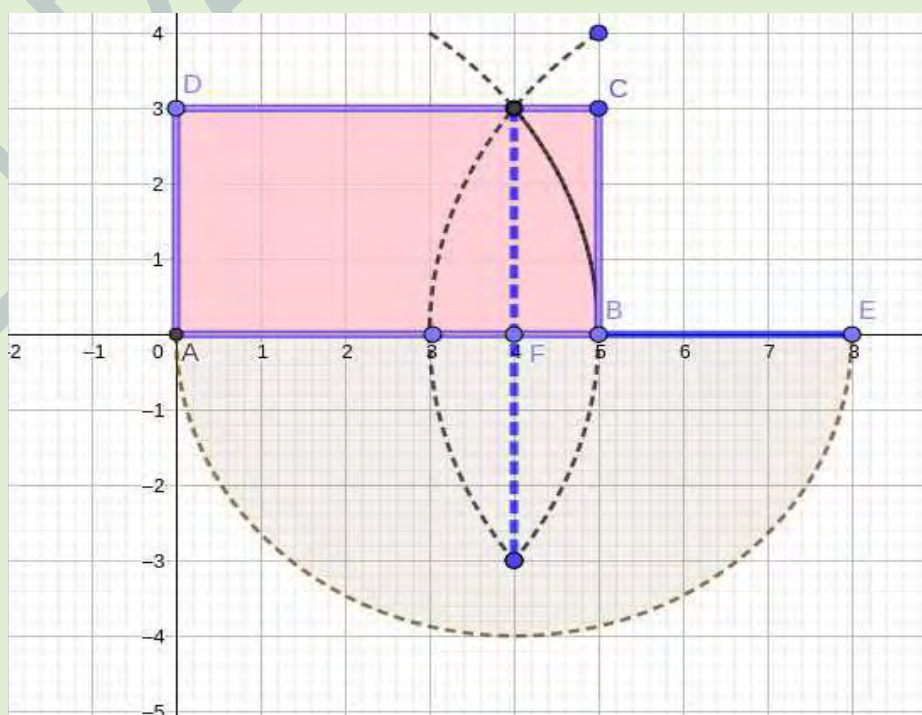


WORKSHEET FOR 25<sup>TH</sup> SEPTEMBER 2020

Draw two arcs from A and E and complete the perpendicular bisector of AE to get F as the midpoint of AE.



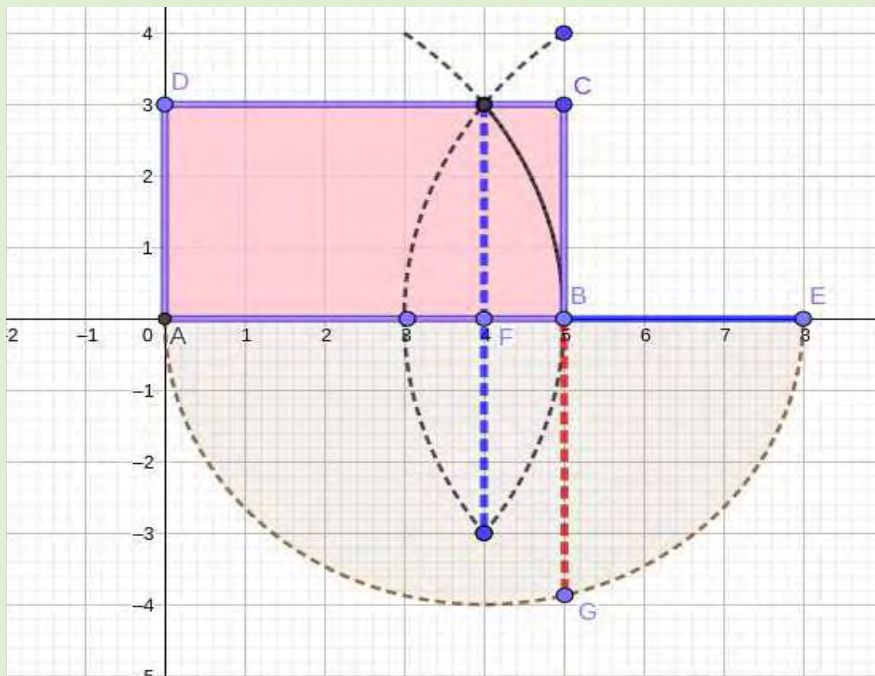
Draw a semicircle with AE as the diameter.



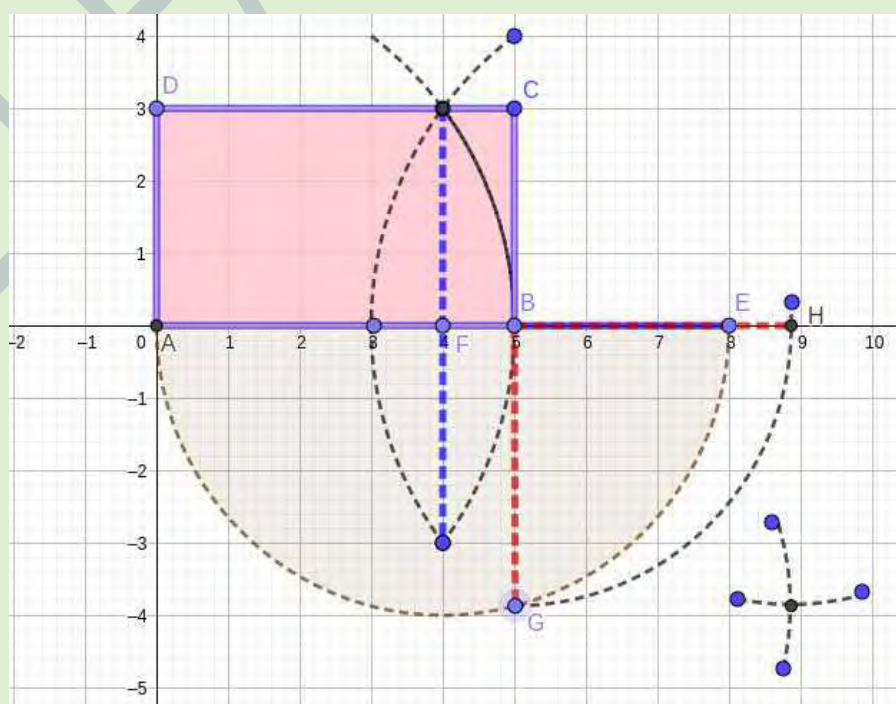


WORKSHEET FOR 25<sup>TH</sup> SEPTEMBER 2020

Extend CB to meet the semicircle at G where BG perpendicular to BE.

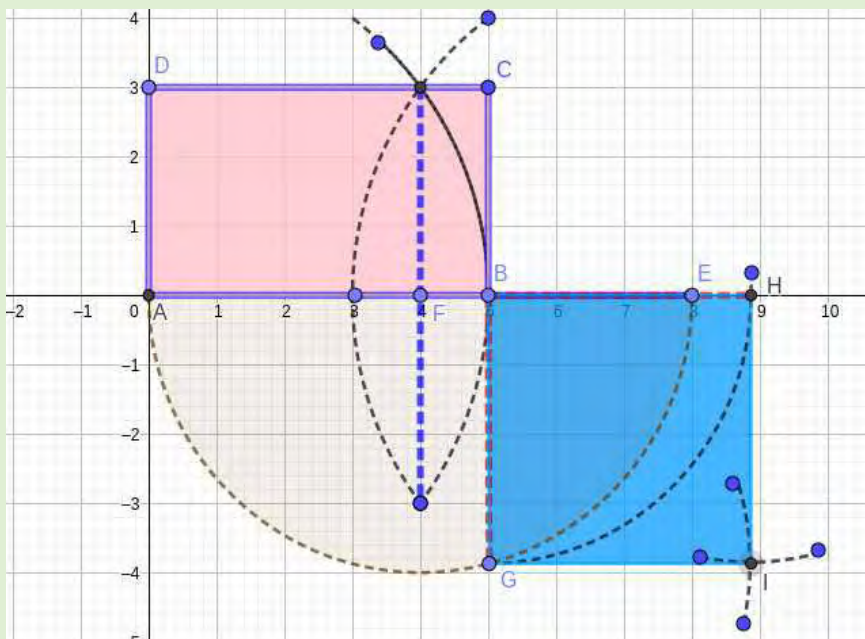


Extend BE to H such that BH=BG, then draw two arcs from H and G by taking the length of BG to cut at I.



WORKSHEET FOR 25<sup>TH</sup> SEPTEMBER 2020

Draw GI and HI to complete the square.



## Questions:-

1. Draw lines of length  $\sqrt{18}$ cm,  $\sqrt{14}$ cm,  $\sqrt{20}$ cm in the same figure.
  - a) What is the suitable diameter for semicircle?
  - b) Draw a square of area  $20 \text{ cm}^2$  in the same figure.
2. Draw a square of area  $7 \text{ cm}^2$  in three different ways.

Hint:

a)  $7 \times 1 = 7$

b)  $4^2 - 3^2 = 7$

c)  $\sqrt{6^2 + 1} = 7$

d)  $\sqrt{5^2 + \sqrt{2^2}} = 7$

\_\_\_\_\_

WORKSHEET FOR 25<sup>TH</sup> SEPTEMBER 2020

3. Draw a square of area  $13\text{cm}^2$  in three different ways.

Hint:

a)  $13 \times 1 = 13$

b)  $7^2 - 6^2 = 13$

c)  $\sqrt{12^2 + 1} = 13$

d)  $\sqrt{3^2 + 2^2} = 13$

4. Draw an equilateral triangle of perimeter  $3\sqrt{8}$  cm, a square of perimeter  $4\sqrt{10}$  cm and a circle of radius  $\sqrt{6}$  cm.

Watch and Learn ...





Did you get the answers?  
Let us see...






WORKSHEET FOR 24<sup>TH</sup> SEPTEMBER 2020



A JOINT VENTURE OF DIET PALAKKAD AND SSK PALAKKAD



**INTER BELL**  
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### Raoul Bott

**Born**  
24 September 1923  
Budapest, Hungary

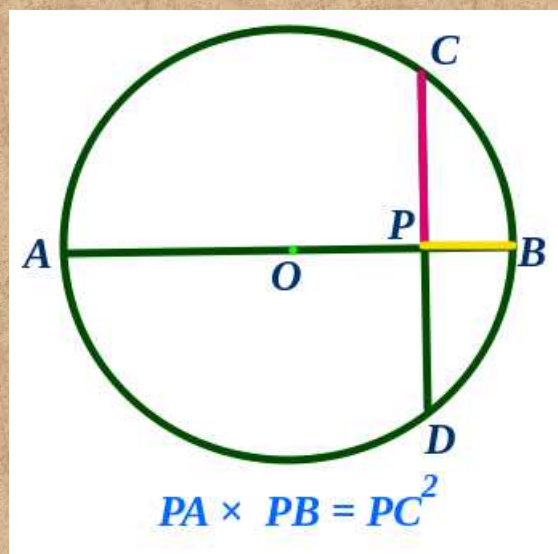
**Raoul Bott** was a Hungarian-born mathematician who made fundamental contributions to topology and differential geometry.



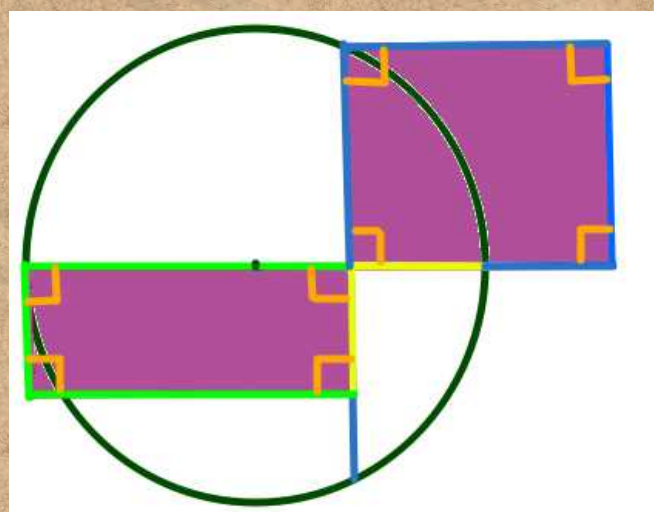


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*The product of the parts into which a diameter of a circle is cut by a perpendicular chord, is equal to the square of half the chord.*



*The area of a rectangle formed by the parts of the diameter of a circle cut by a perpendicular chord is same as the area of the square formed by half of the chord.*



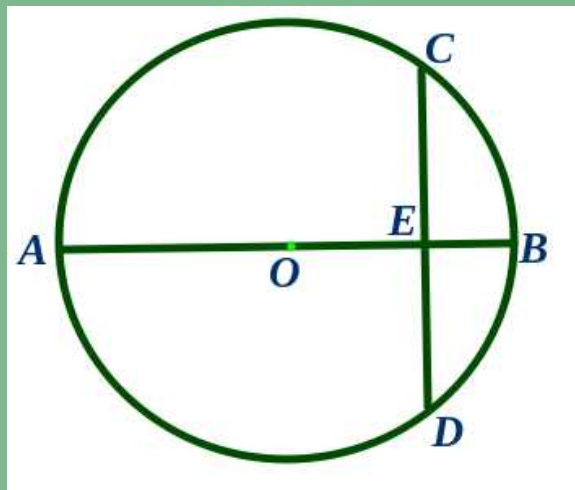
Questions:

Q 1 The sides of a rectangle are 5 cm and 4 cm. Construct a square of same area and find the length of one side.

WORKSHEET FOR 24<sup>TH</sup> SEPTEMBER 2020

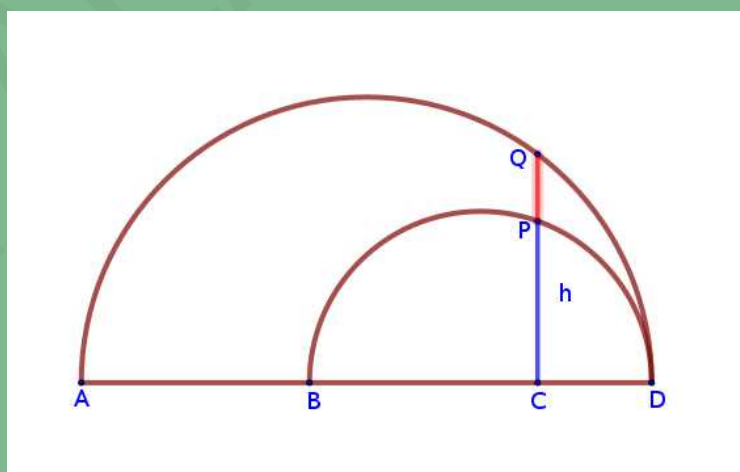
Q 2 In figure, O is the centre and AB is a diameter. Also, the point E bisects the chord DC. If  $CE = 8$  cm and  $EB = 4$  cm,

- $DE =$  \_\_\_\_\_ cm.
- $AE =$  \_\_\_\_\_ cm.
- $AB =$  \_\_\_\_\_ cm.
- What is the radius of the circle?



Q 3 Draw a square of side  $\sqrt{18}$  cm.

Q 4 In the figure,  $AD=10$  cm,  $BD=6$  cm and  $CD=2$  cm. Find PQ.



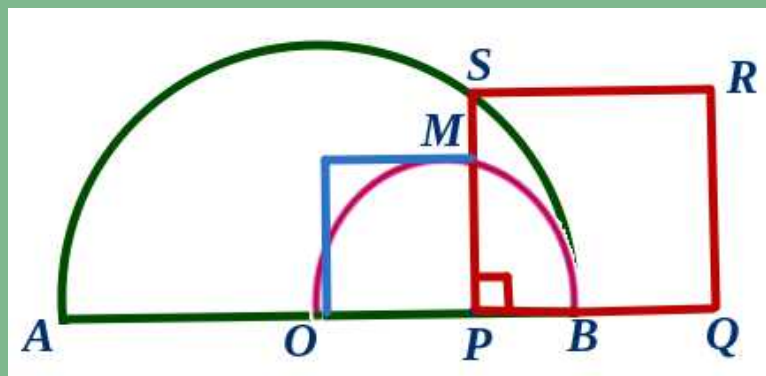
For widened thoughts....

- When a rectangle of length 8 cm is turned into a square of same area, one side of the square is obtained as 4 cm. Then what was the breadth of the given rectangle?

WORKSHEET FOR 24<sup>TH</sup> SEPTEMBER 2020

2. In figure, O is the centre of the semi circle whose radius is 5 cm.

If  $PB = 2$  cm,



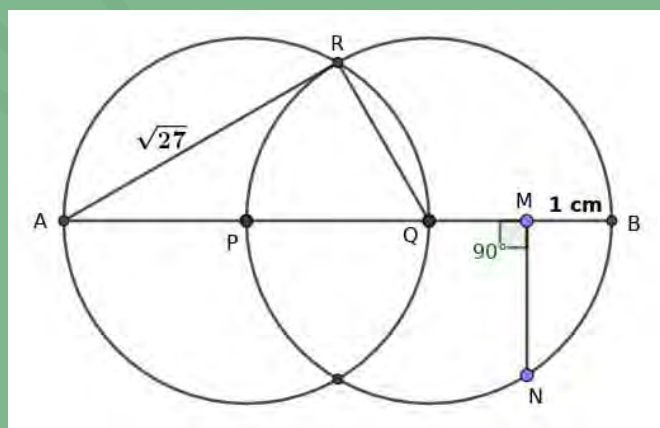
i) Find the length of PA.

ii) What is the area of the square PQRS?

iii) Find the area of the square whose one side is PM.

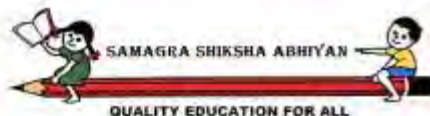
iv) What is the ratio between the areas of these two squares?

3. In the figure P and Q are the centres of the circles.  $AR = \sqrt{27}$  cm and  $MB = 1$  cm. Calculate the area of the square with side MN.



*Did you get the answers?  
Let us see...*





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Dimitrie Pompeiu

1873 - 1954 (Romania)

He worked in mathematical analysis, complex function theory and rational mechanics.



Watch and Learn

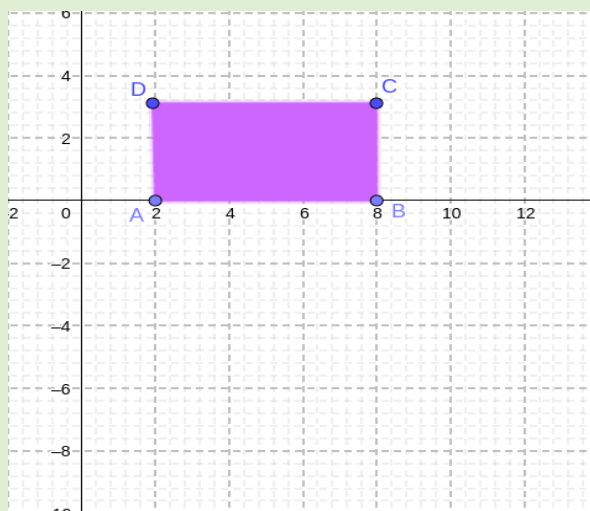
Just Click on this



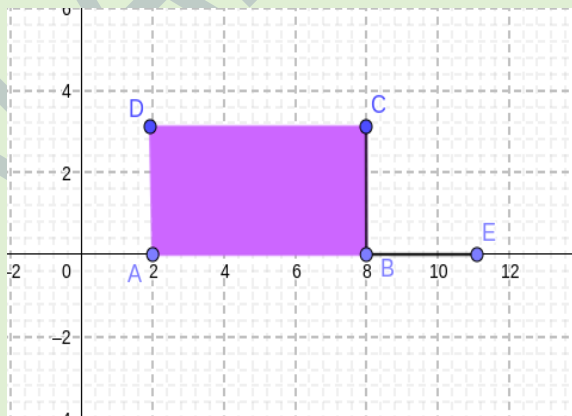


**Draw a rectangle of length 6cm and width 3cm. Then draw another rectangle of the same area with one side 7cm.**

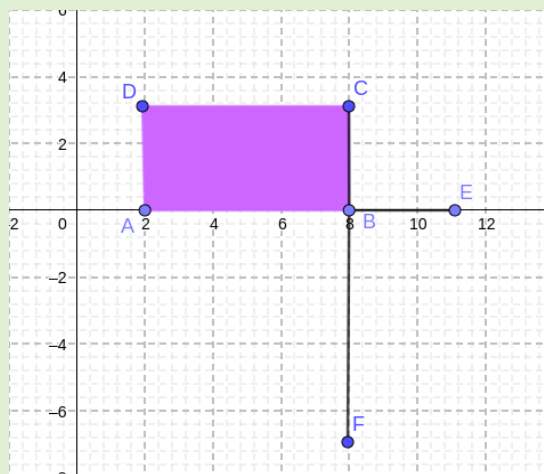
- Draw rectangle **ABCD** with given dimensions.



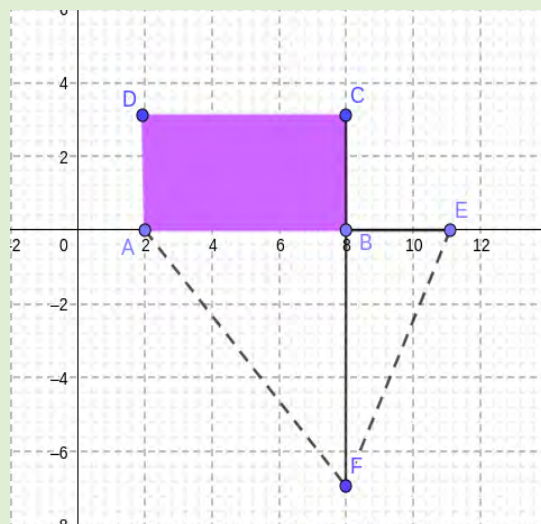
- Extend **AB** to **E** where **BE = BC**



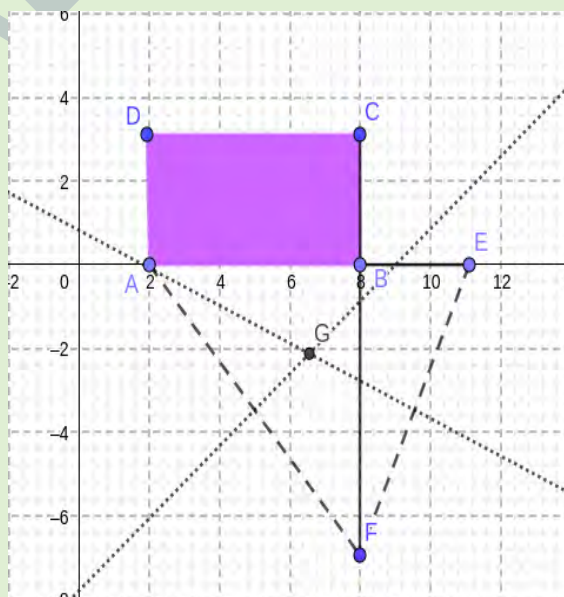
- Extend **CB** to **F** where **BF** is equal to the length of required rectangle.



➤ Join **AF** and **EF** to complete the  $\triangle AFE$ .

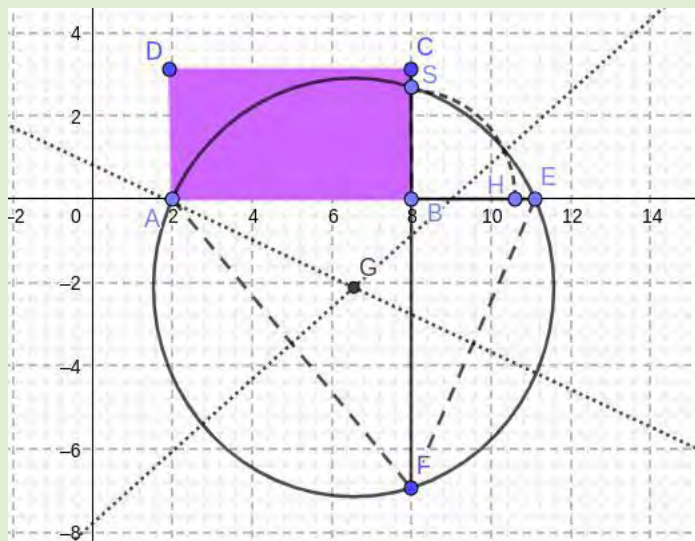


➤ Draw the perpendicular bisectors of **AF** and **EF** and mark the intersecting point as **G**.

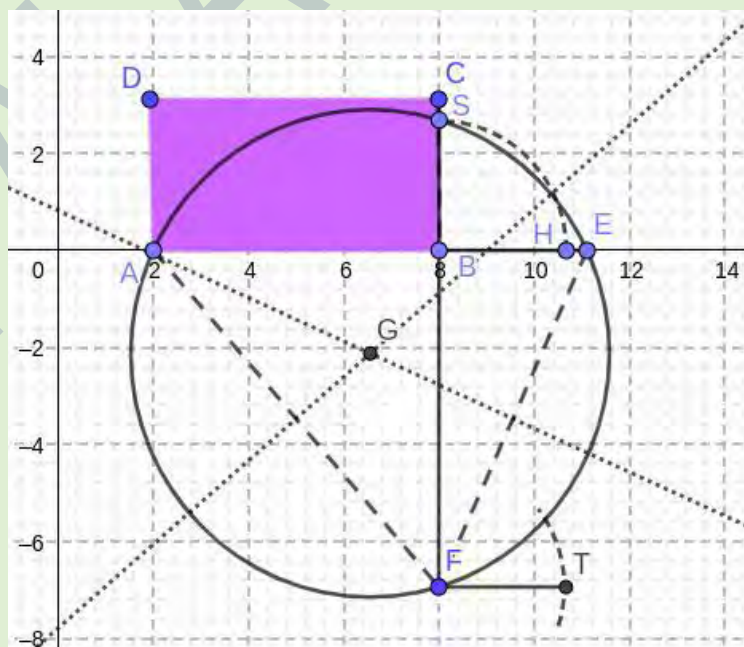


WORKSHEET FOR 22<sup>TH</sup> SEPTEMBER 2020

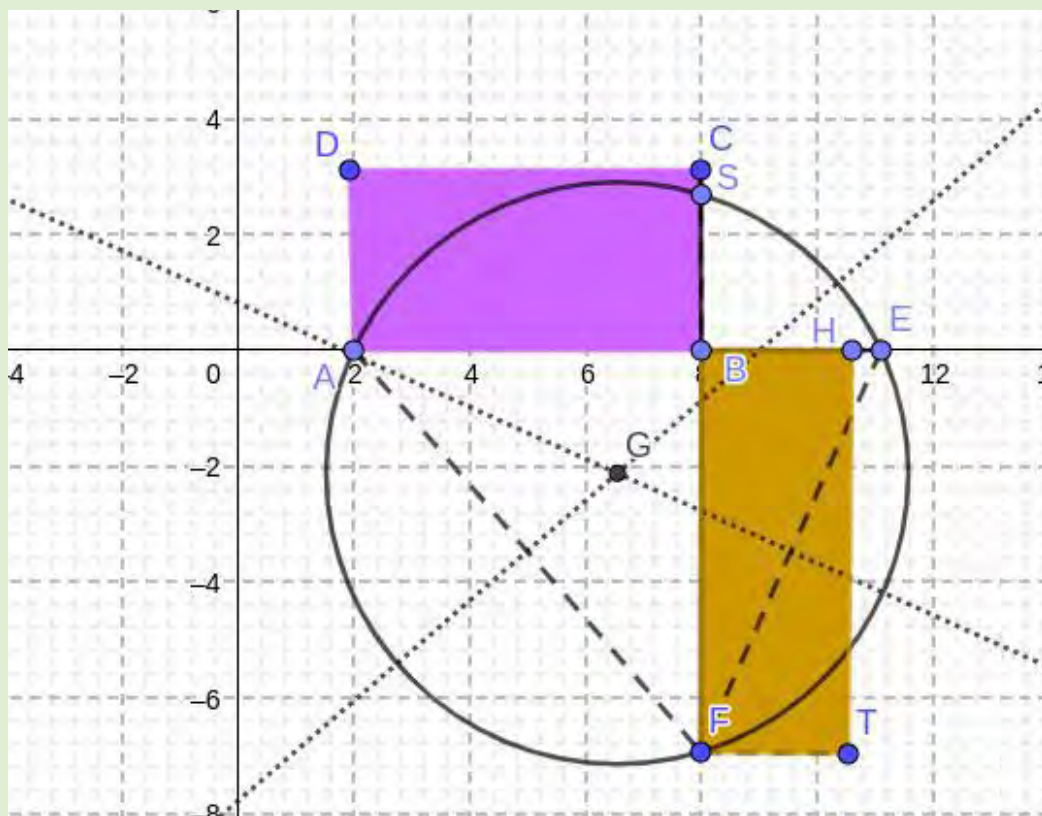
- Draw the circumcircle of  $\triangle AFE$  with  $G$  as centre, then mark the intersecting point  $S$  on  $BC$  and mark  $H$  on  $BE$  where  $BH = BS$ .



- Draw  $FT$  perpendicular to  $FB$  where  $FT = BH$ .



➤ Complete the rectangle **BHTF**.



➤ Since  $BS \times BF = AB \times BE$ , the areas of two rectangles are same.

Do you want to see  
this in detailed steps



\* Just watch what happens to the width of the second rectangle when the length increases



Draw a rectangle of length 6cm and width 4cm. Draw another rectangle of the same area with one side 8cm.



Draw a rectangle of length 6cm and width 3cm. Draw another rectangle of the same area with one side 7cm.



Draw a rectangle of length 6.5cm and width 4cm. Draw another rectangle of the same area with one side 8cm.

Watch and Learn ...







A JOINT VENTURE OF DIET PALAKKAD AND SSK PALAKKAD

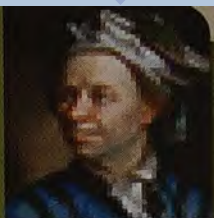


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STUDENT SUPPORT MATERIAL for X Mathematics

18

Died this day

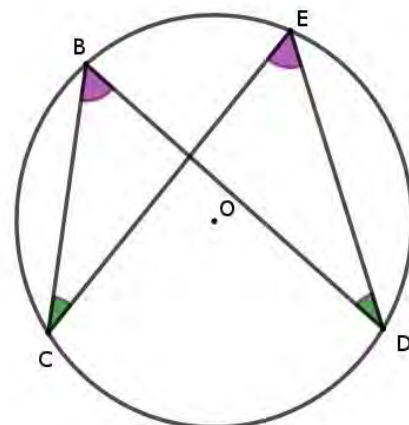


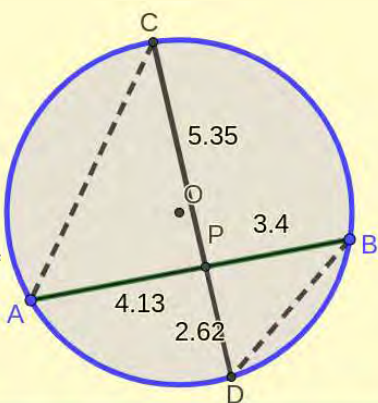
Leonhard Euler

1707 - 1783 (Switzerland)

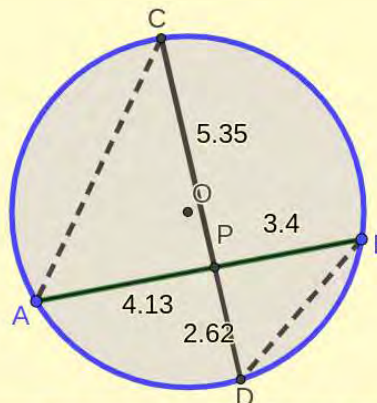
He made contributions to several area of mathematics including analytic geometry, trigonometry, geometry & calculus.

Do You Remember?  $\angle B = \angle E$  ,  $\angle C = \angle D$





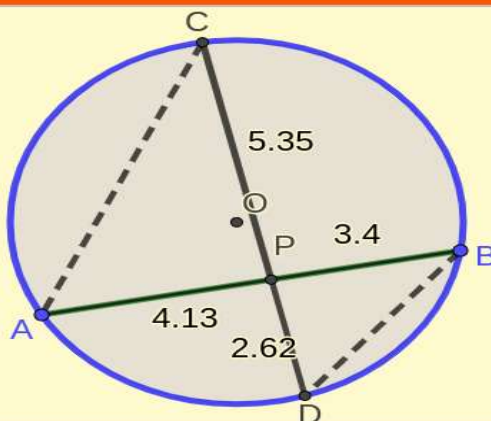
$PA \times PB = 4.13 \times 3.4 = 14.04$



$PC \times PD = 5.35 \times 2.62 = 14.04$

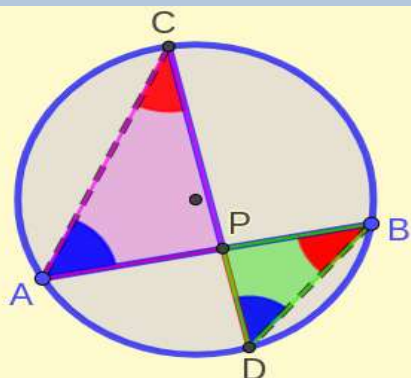


In a circle if two chords AB, CD intersect at P...then  $PA \times PB = PC \times PD$

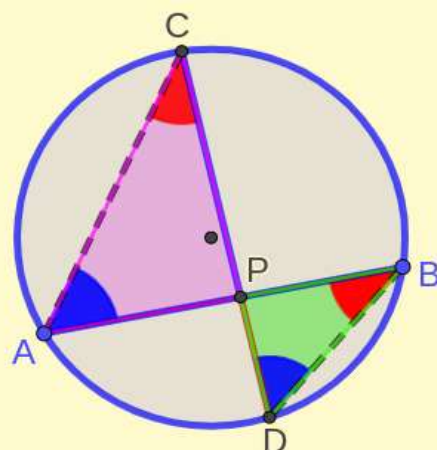


$PA \times PB = 4.13 \times 3.4 = 14.04$

$PC \times PD = 5.35 \times 2.62 = 14.04$

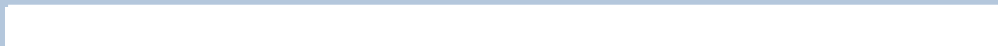
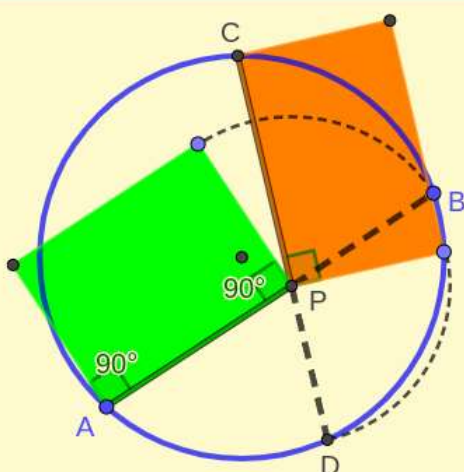
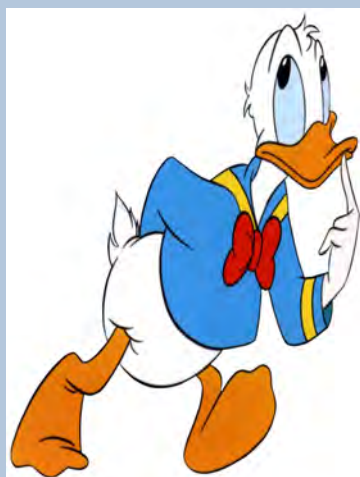


In the fig  $\angle A = \angle D$   
 also  $\angle C = \angle B$   
 ( Angles formed in the same arc )  
 So  $\Delta PAC \sim \Delta PDB$



$\therefore PA / PD = PC / PB \therefore PA \times PB = PC \times PD$

If two chords intersect within a circle, then the rectangles formed by the parts of the same chord have equal area.

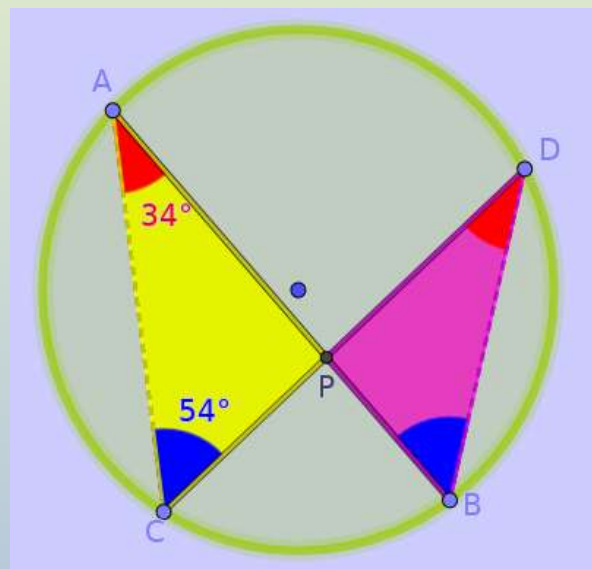




**Q 1.** In the fig  $\angle A = 34^\circ, \angle C = 54^\circ$

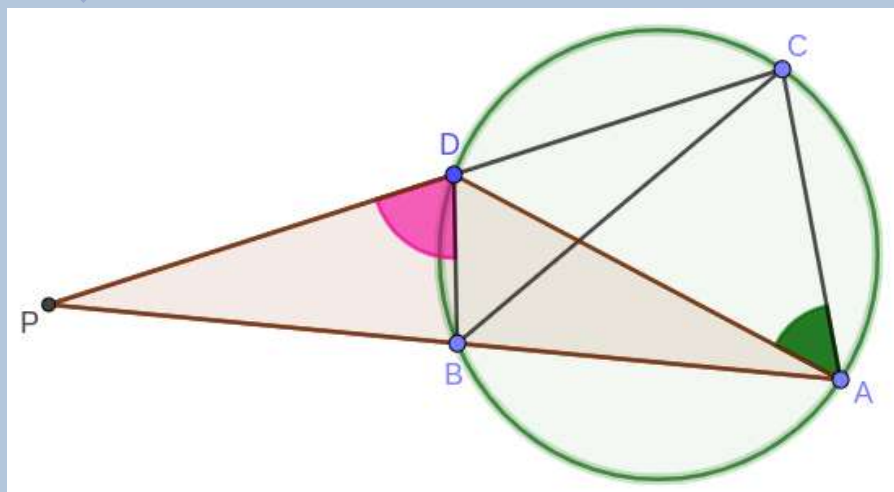
Find

- $\angle D = \underline{\hspace{2cm}}$
- $\angle B = \underline{\hspace{2cm}}$
- Prove that  $\triangle PAC$  and  $\triangle PDB$  are similar.
- If  $PA = 8 \text{ cm}, PD = 6 \text{ cm}, PC = 4 \text{ cm}$  then find  $AB$ .

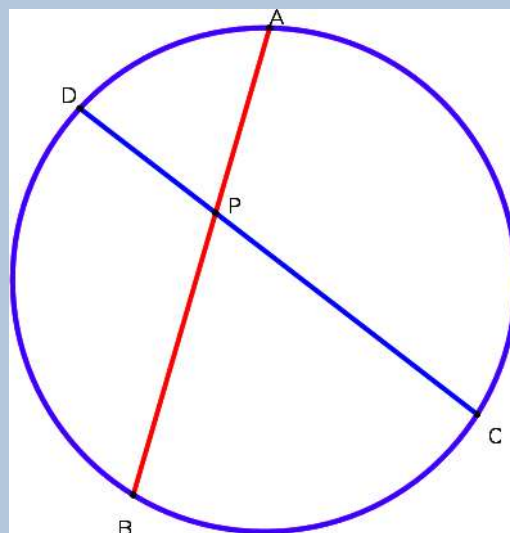


**Q 2.** In the fig  $\angle PDB = 65^\circ, \angle CAD = 50^\circ$ , The chords  $AB$  and  $CD$  meet at a point outside the circle. Then find

- $\angle CAB$
- $\angle DAB$
- $\angle DCB$
- Write the name of the triangle similar to  $\triangle PDA$
- so fill in the blanks  
 $PD/\dots = PC/\dots$

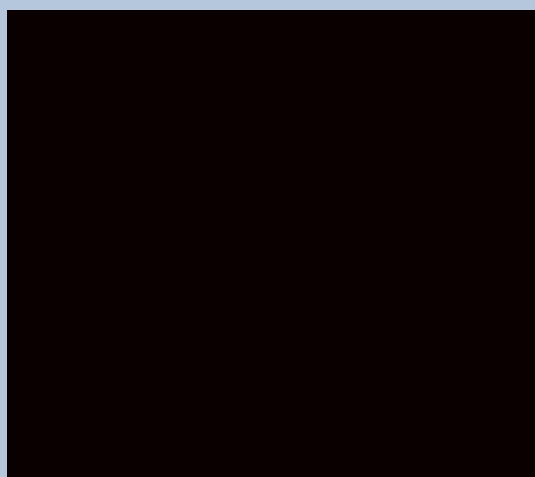


**Q 3.** In a circle, if cords AB and CD intersect at P inside the circle, then  $PA \times PB = PC \times PD$ .  
Use this property to complete the table below.



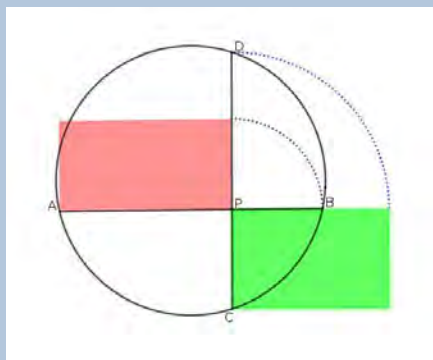
PA	PB	PC	PD	AB	CD
6		8		10	
	3		2		11
4		10		9	
	9		3		15

**Q4.** In the figure chords AB, CD, XY intersect at the point P.  
If AP = 9cm, AB = 13cm and PD = 12cm find CD.  
If PX = PY then calculate the length of XY.

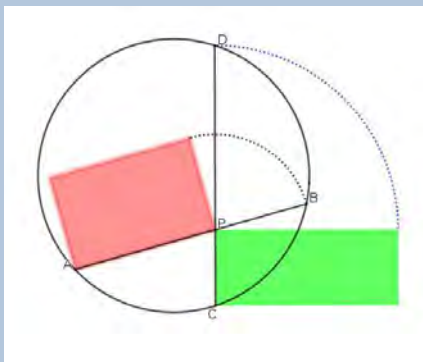




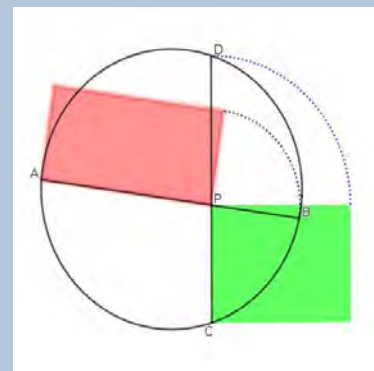
**Q5.** Compare the areas of the Red and Green Rectangles. Write your findings.



i)  $PA = 4\text{cm}$   $PB = 3\text{cm}$   
 $PC = 6\text{cm}$   $PD = 2\text{cm}$



ii)  $PA = 12\text{cm}$   $PB = 8\text{cm}$   
 $PC = 24\text{cm}$   $PD = 4\text{cm}$



iii)  $PA = 18\text{cm}$   $PB = 2\text{cm}$   
 $PC = 6\text{cm}$   $PD = 6\text{cm}$

Learn through watching.....



Check Your Answers?





WORKSHEET FOR 17<sup>TH</sup> SEPTEMBER 2020



A JOINT VENTURE OF DIET PALAKKAD AND SSK PALAKKAD



**INTER BELL  
INTERVENTION BASED ON EFFECTIVE LEISURE LEARNING**

*STUDENT SUPPORT MATERIAL for X Mathematics*



**Bernhard Riemann**

German mathematician

**Date of Birth:** 17-Sep-1826

**Place of Birth:** Jameln, Lower Saxony, Germany

**Profession:** professor, physicist, mathematician, university teacher



Questions:

1. In figure, given that  $\angle ADB = 50^\circ$ ,  $\angle BAC = 70^\circ$  and  $\angle DCA = 40^\circ$ . Then,

i)  $\angle ACB =$  \_\_\_\_\_

ii)  $\angle CDB =$  \_\_\_\_\_

iii)  $\angle CBE =$  \_\_\_\_\_

iv)  $\angle ABC =$  \_\_\_\_\_

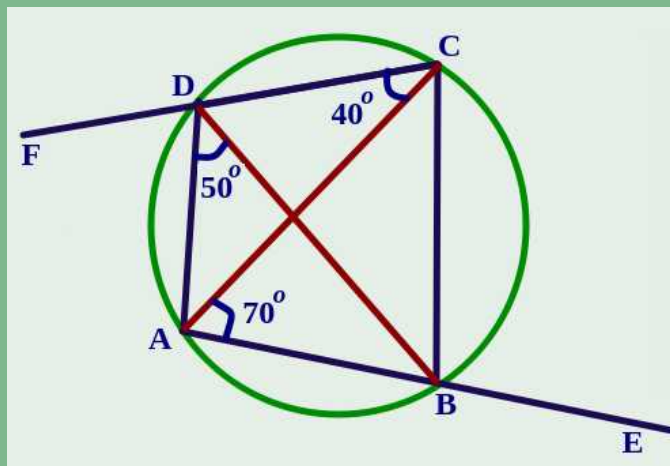
v)  $\angle DBA =$  \_\_\_\_\_

vi)  $\angle DBC =$  \_\_\_\_\_

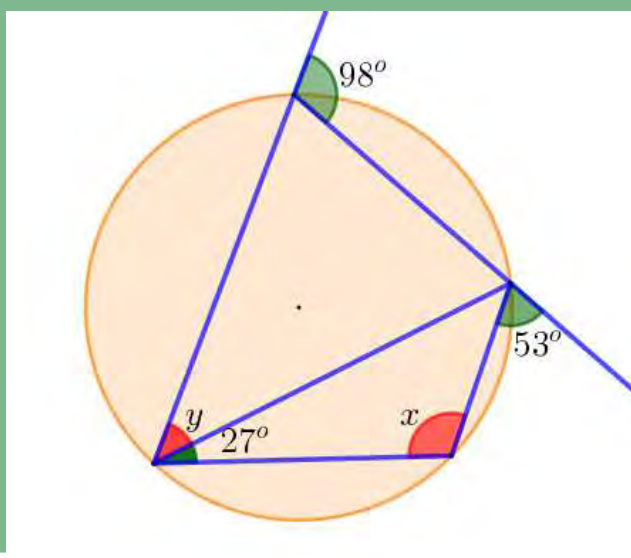
vii)  $\angle DAC =$  \_\_\_\_\_

viii)  $\angle DBE =$  \_\_\_\_\_

ix)  $\angle ADF =$  \_\_\_\_\_



2. Find the values of  $x$  and  $y$  in the following figure.



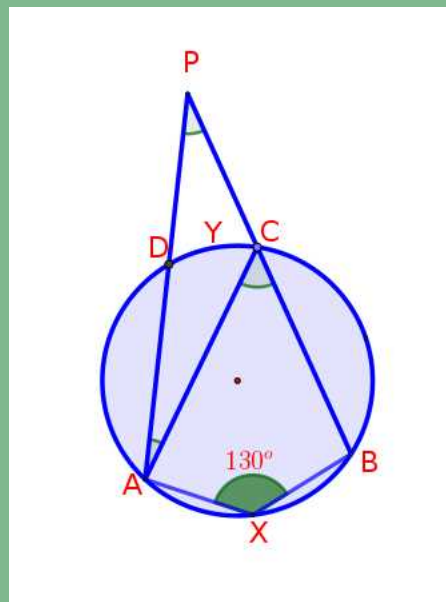
3. In the figure,  $\angle AXB = 130^\circ$  and central angle of arc  $CYD$  is  $30^\circ$ . Then,

i)  $\angle CAD = \dots\dots\dots$

ii)  $\angle ACB = \dots\dots\dots$

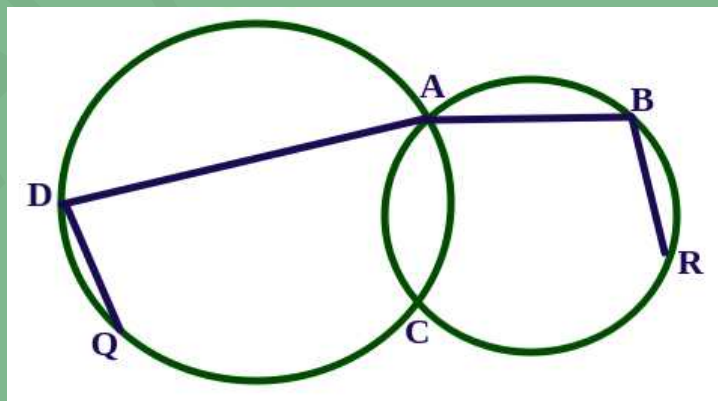
iii)  $\angle ACP = \dots\dots\dots$

iv)  $\angle APC = \dots\dots\dots$



4. In figure, two circles intersect at A and C and  $\angle ADQ + \angle ABR = 180^\circ$ .

Then prove that Q, C and R are on a straight line.



\_\_\_\_\_



## MATHEMATICS - STANDARD 10

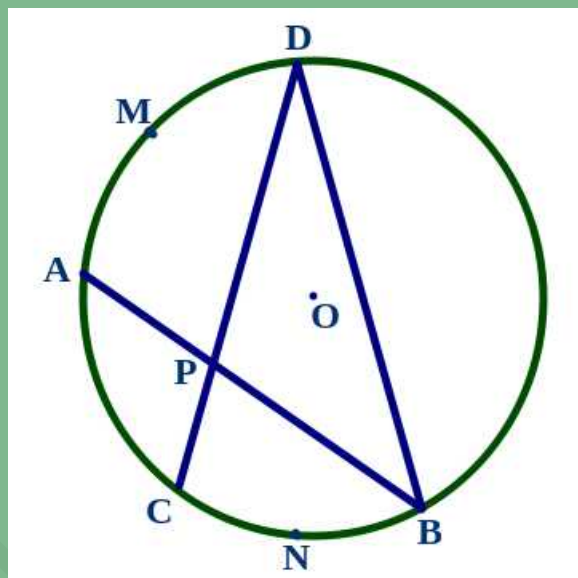
### WORKSHEET FOR 17<sup>TH</sup> SEPTEMBER 2020

5. In the figure, the length of the arc CNB is  $\frac{1}{5}$  of the perimeter of the circle and the length of the arc AMD is  $\frac{1}{6}$  of the perimeter of the circle.

Then,

i) What is the measure of the central angle of the arc CNB?

ii) Find the measures of  $\angle CDB$ ,  $\angle ABD$  and  $\angle APD$ .



*Did you get the answers?  
Let us see...*

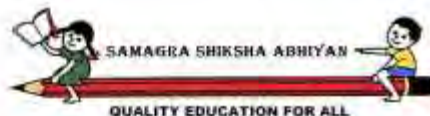






# MATHEMATICS - STANDARD 10

## WORKSHEET FOR 15<sup>TH</sup> SEPTEMBER 2020




A JOINT VENTURE OF DIET PALAKKAD AND SSK PALAKKAD



30

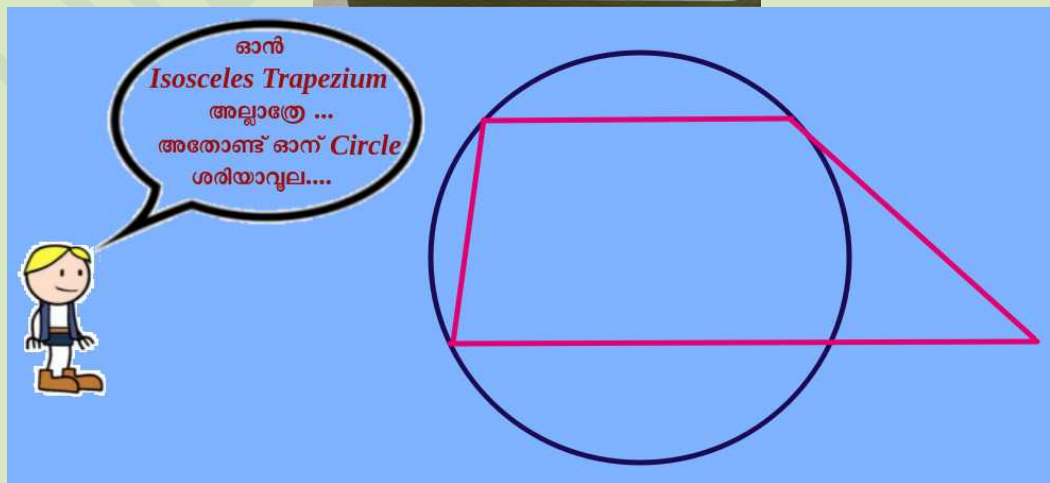
### INTER BELL INTERVENTION BASED ON EFFECTIVE LEISURE LEARNING

STUDENT SUPPORT MATERIAL for X Mathematics

SEPTEMBER  
**15** Born this day 

**Jean-Pierre Serre**  
1926 - (France)

He made contributions to algebraic topology, geometry, & algebraic number theory.



ഓൻ  
**Isosceles Trapezium**  
അല്ലാതെ ...  
അതോണ്ട് ഓൻ **Circle**  
ശരിയാവൂല....

**"The eligible passengers can enter"**

Who among the given quadrilaterals are eligible?

Rectangle

Square

Parallelogram

Kite

"Cyclic  
Quadrilateral  
Travels"

...leaving the stand..

Those who can inscribe  
in a circle...,  
please get in...

Rhombus

Isosceles Trapezium

Trapezium

**Passengers please note.**

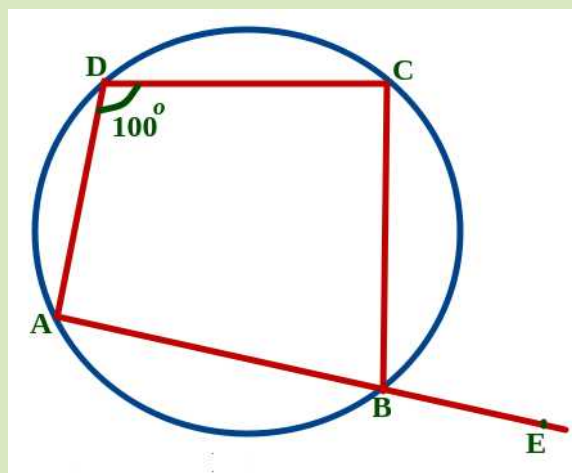
1. Wear mask.
2. Sanitize your hands.
3. Keep social distance.

### Activity

In figure, ABCD is a cyclic quadrilateral.

AB is extended to E. If  $\angle D = 100^\circ$ ,

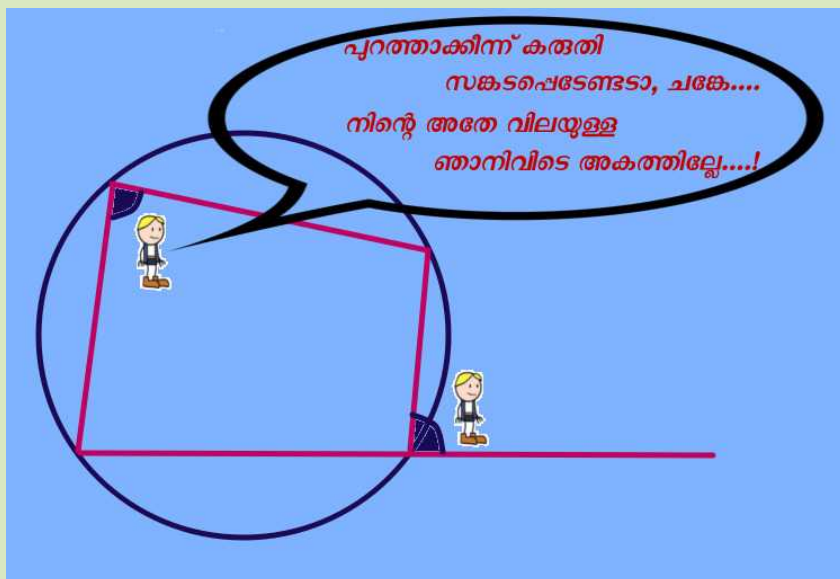
- i)  $\angle ABC + \angle D =$  \_\_\_\_\_
- ii)  $\angle ABC =$  \_\_\_\_\_
- iii)  $\angle ABC + \angle CBE =$  \_\_\_\_\_
- iv)  $\angle CBE =$  \_\_\_\_\_





## MATHEMATICS - STANDARD 10

### WORKSHEET FOR 15<sup>TH</sup> SEPTEMBER 2020



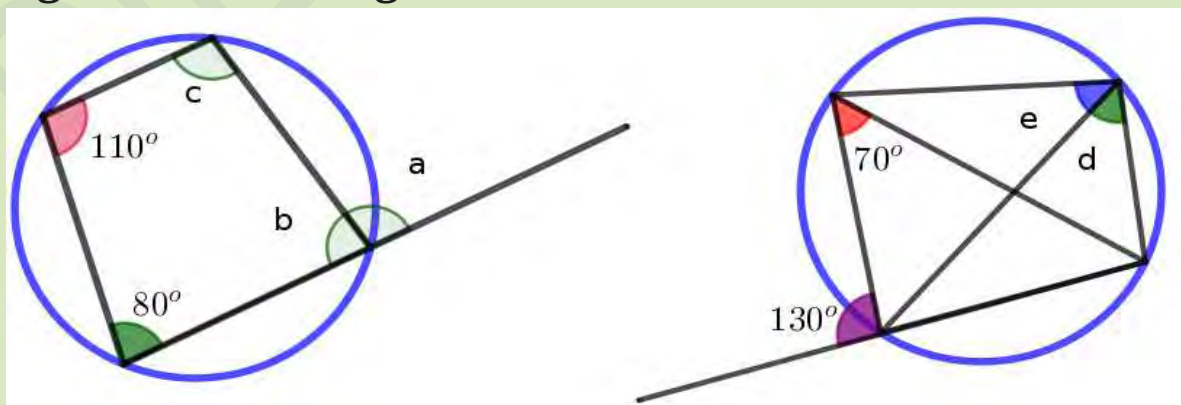
For a cyclic quadrilateral, the measure of outer angle at any vertex will be same as that of the inner angle at the opposite vertex.

*Watch and learn.....*

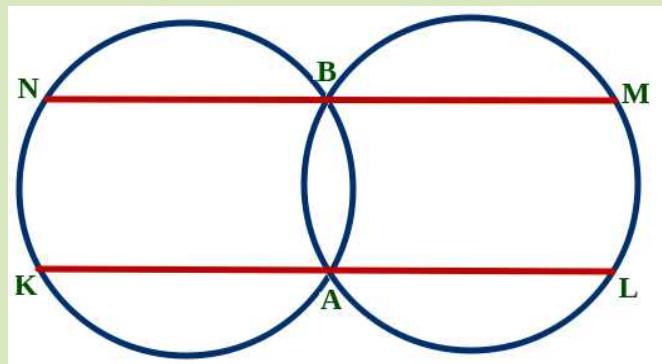


#### Questions:

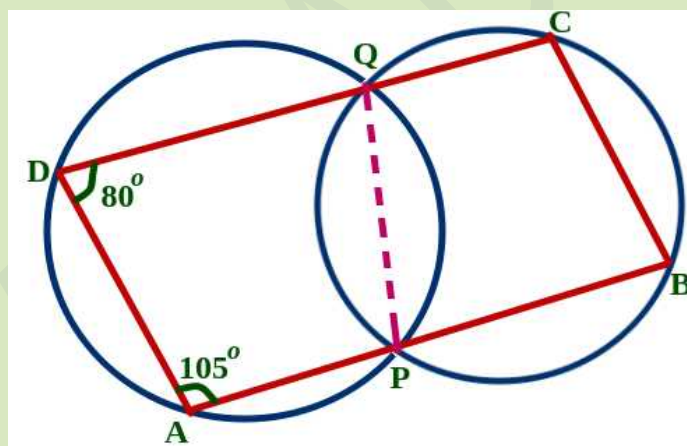
1. In the figure, find the angles a, b, c, d and e.



2. In figure, two circles intersect at A and B. The lines KAL and NBM are parallel. Prove that KLMN is a parallelogram.



3. In figure, two circles intersect at P and Q. P is a point on the side AB and Q is a point on the side CD of the quadrilateral ABCD.



If  $\angle A = 105^\circ$  and  $\angle D = 80^\circ$ , then

- i)  $\angle APQ =$  \_\_\_\_\_
- ii)  $\angle DQP =$  \_\_\_\_\_
- iii)  $\angle QPB =$  \_\_\_\_\_
- iv)  $\angle PQC =$  \_\_\_\_\_
- v) Is quadrilateral ABCD cyclic?

4. In quadrilateral PQRS,  $\angle P$ ,  $\angle Q$ ,  $\angle R$  and  $\angle S$  are in the ratio 1:2:4:3. Prove that PQRS is a cyclic quadrilateral.





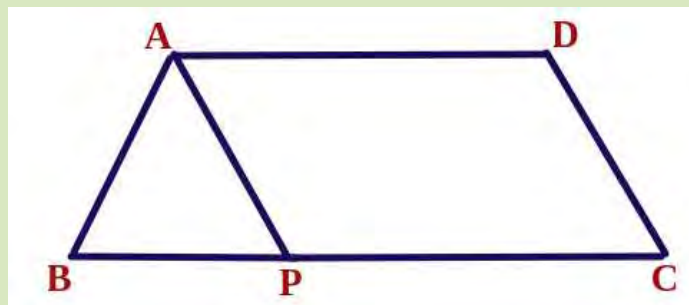
## MATHEMATICS - STANDARD 10

### WORKSHEET FOR 15<sup>TH</sup> SEPTEMBER 2020

For widened thoughts....

5.

i) In figure, given that  $AB = AP$  and  $PCDA$  is a parallelogram. Then prove that  $ABCD$  is a cyclic quadrilateral.



ii) If  $AB$  is not equal to  $AP$  will  $ABCD$  be cyclic? Why?

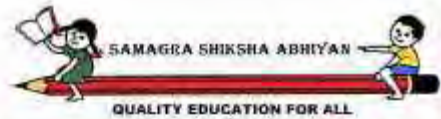
*Did you get the answers? Let us see...*







WORKSHEET FOR 14<sup>TH</sup> SEPTEMBER 2020



A JOINT VENTURE OF DIET PALAKKAD AND SSK PALAKKAD



INTER BELL  
INTERVENTION BASED ON EFFECTIVE LEISURE LEARNING

STUDENT SUPPORT MATERIAL for X Mathematics

"ചെലോലത്ത്  $180^\circ$  ആവും, ചെലോലത്ത്  $180^\circ$  ആവൂല. ആയില്ലെങ്കിലെനിക്കൊരു കൈയ്ക്കല്ലൂ, ആയാലതു cyclic ആവും"

എന്റേത് റെഡ്യായി...

The diagram shows a circle with a quadrilateral inscribed inside it. The quadrilateral is shaded in red. Three cartoon characters are standing on the quadrilateral. A thought bubble is connected to the quadrilateral, containing Malayalam text. Another thought bubble is connected to the circle, containing Malayalam text.

SEPTEMBER  
14 Born this day

**Franz Rellich**  
1906 - 1955 (Austria)

He made contributions for the growth of quantum mechanics. The Rellich- Kondrachov theorem is named after him.

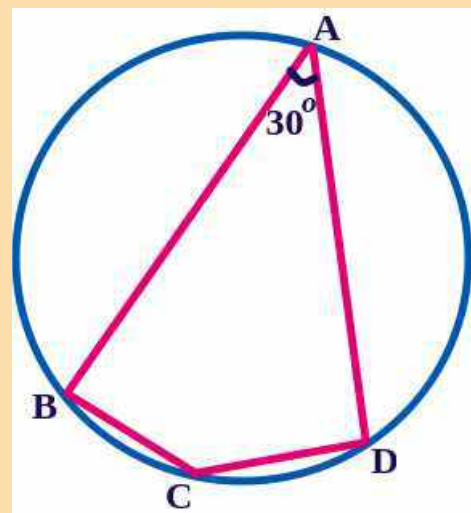


## MATHEMATICS - STANDARD 10

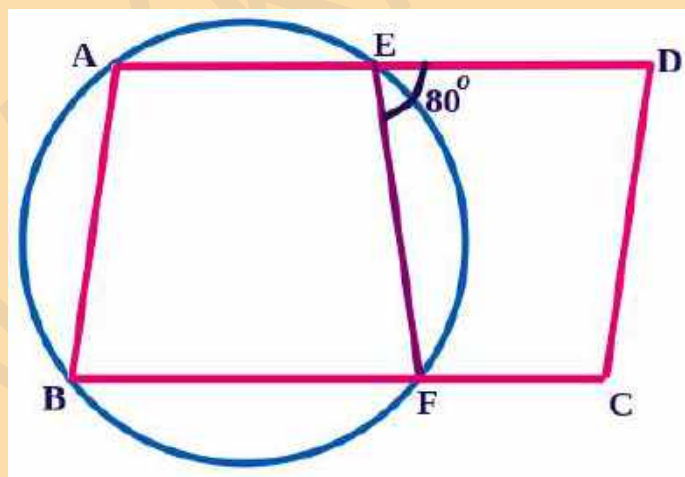
### WORKSHEET FOR 14<sup>TH</sup> SEPTEMBER 2020

#### Questions:

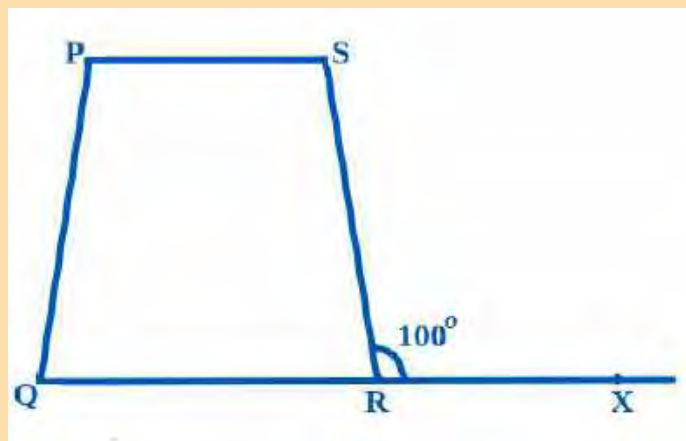
1. In the figure,  $\angle A = 30^\circ$ . Find  $\angle C$ .



2. ABCD is a parallelogram. A, B, E and F are the points on a circle.  $\angle DEF = 80^\circ$ . Find out the angles of the quadrilateral AEFB.

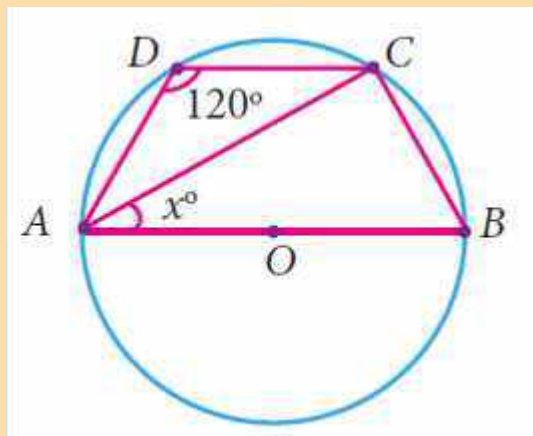


3. PQRS is a cyclic quadrilateral. QR is extended upto X. If  $\angle SRX = 100^\circ$  and  $\angle RPS = 50^\circ$  then find  $\angle RPQ$ .





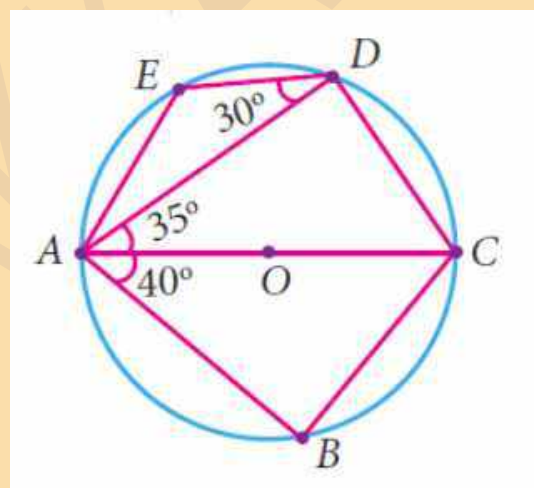
4. Find the value of  $x$  in the given figure.



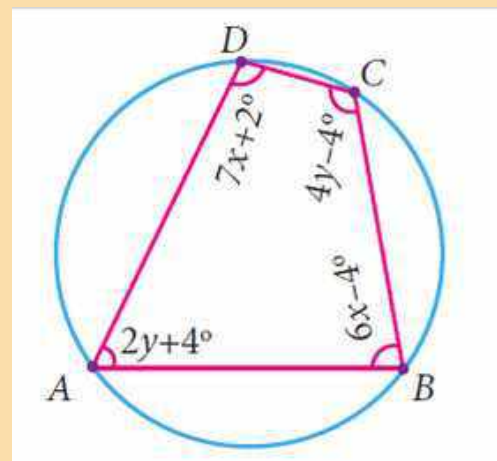
5. In the given figure, AC is the diameter of the circle with centre O.

If  $\angle ADE = 30^\circ$ ,  $\angle DAC = 35^\circ$  and  $\angle CAB = 40^\circ$ , then

- (i)  $\angle ACD =$  \_\_\_\_\_.
- (ii)  $\angle ACB =$  \_\_\_\_\_.
- (iii)  $\angle DAE =$  \_\_\_\_\_.



6. Find all the angles of the given cyclic quadrilateral ABCD in the figure.





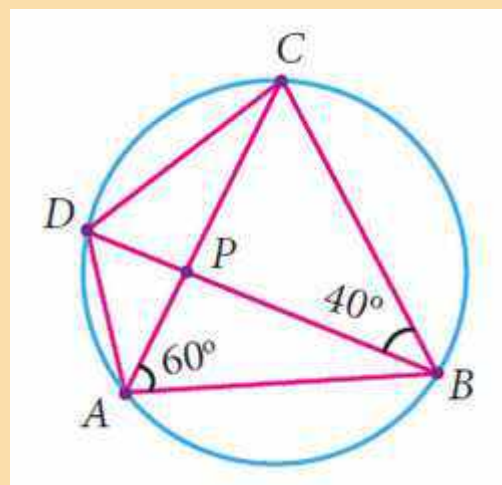
## MATHEMATICS - STANDARD 10

### WORKSHEET FOR 14<sup>TH</sup> SEPTEMBER 2020

7. In the given figure, ABCD is a cyclic quadrilateral whose diagonals intersect at P. If  $\angle DBC = 40^\circ$  and  $\angle BAC = 60^\circ$  then find

(i)  $\angle CAD$

(ii)  $\angle BCD$



*Check your answers here....  
(Click on/ scan QR code)*



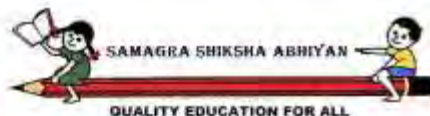
DIET PAFK





# MATHEMATICS - STANDARD 10

## WORKSHEET FOR 11<sup>TH</sup> SEPTEMBER 2020



A JOINT VENTURE OF DIET PALAKKAD AND SSK PALAKKAD




28

**INTER BELL  
INTERVENTION BASED ON EFFECTIVE LEISURE LEARNING**

*STUDENT SUPPORT MATERIAL for X Mathematics*

11th  
September

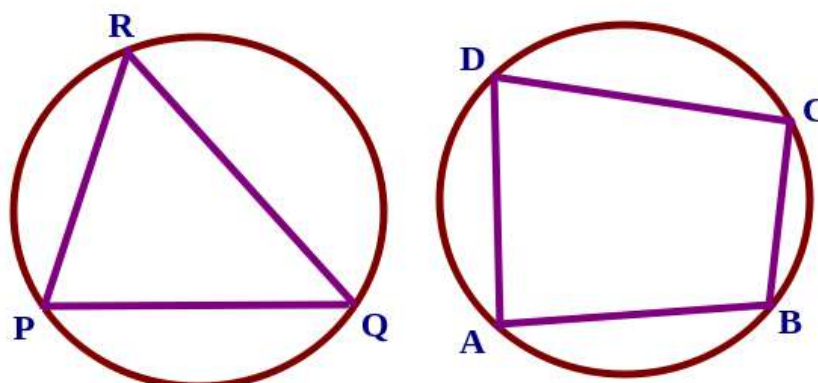
**Born  
this day**



**Kenkichi Iwasawa**  
1917 - 1998 (Japan)

Kenkichi Iwasawa was a Japanese mathematician who worked in algebraic number theory.

### Circum circle and Cyclic quadrilateral



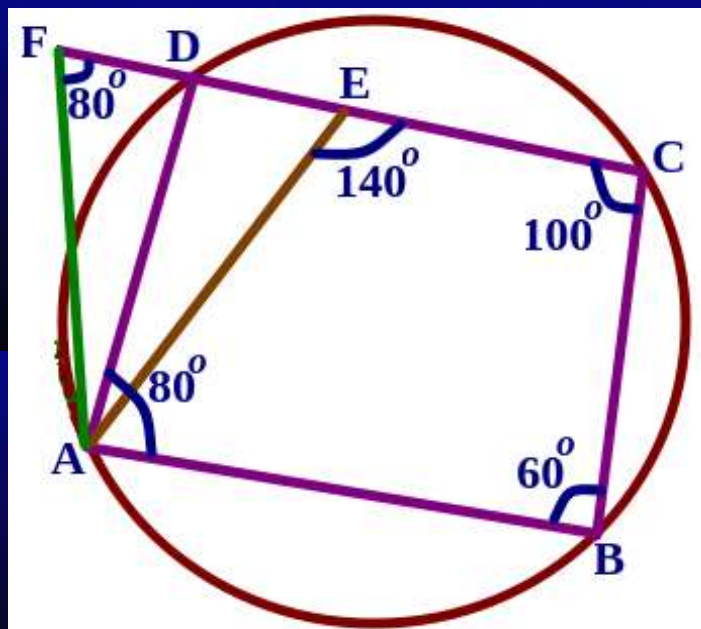


In figure,  $\angle C = 100^\circ$ ,  $\angle DAB = 80^\circ$   
and  $\angle B = 60^\circ$ . Then,

i)  $\angle DAB + \angle C = \underline{\hspace{2cm}}?$

ii)  $\angle ADC + \angle B = \underline{\hspace{2cm}}?$

iii)  $\angle ADC = \underline{\hspace{2cm}}?$



*From figure*

$$\angle AEC > \angle ADC$$

$$\angle AFC < \angle ADC$$

$$\angle AEC + \angle B = \underline{\hspace{2cm}}?$$

$$\angle AFC + \angle B = \underline{\hspace{2cm}}?$$

$$\angle AEC + \angle B > \underline{\hspace{2cm}}?$$

$$\angle AFC + \angle B < \underline{\hspace{2cm}}?$$

- ◆ *If all the four vertices of a quadrilateral are on a circle, then the sum of angles at its opposite vertices will always be  $180^\circ$ .*
- ◆ *If one vertex of a quadrilateral is out side the circle drawn through the other three vertices, then the sum of the angle at this vertex and the opposite vertex is less than  $180^\circ$ .*
- ◆ *If it is inside the circle, then the sum is more than  $180^\circ$ .*



## MATHEMATICS - STANDARD 10

WORKSHEET FOR 11<sup>TH</sup> SEPTEMBER 2020

### *Watch and learn.....*



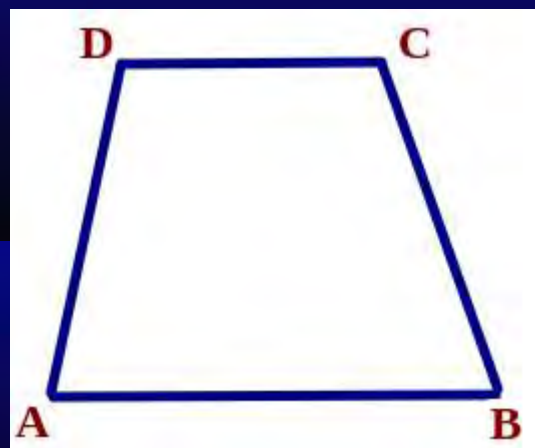
### *For widened thoughts.....*

1) In a quadrilateral ABCD, AB and CD are parallel and,  $\angle A + \angle C = 190^\circ$ .

a) If a circle is drawn through A, B and D, check whether the point C is on, outside or inside the circle.

b) If  $AD = BC$ , can you draw a circle passing through A, B, C and D?

c) Find an appropriate name for that quadrilateral.



2) ABCD is a cyclic quadrilateral.

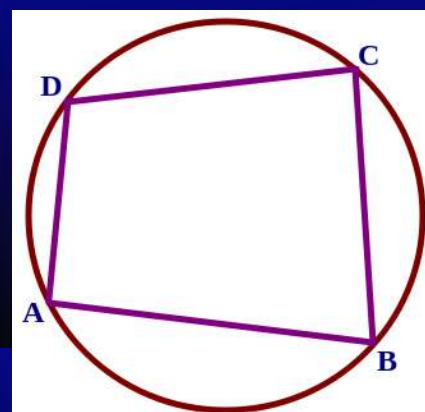
If  $\angle A + \angle D = 200^\circ$  and  $\angle D + \angle C = 240^\circ$ ,

then

a) Find the measure of  $\angle A + \angle C$ .

b) What is the measure of  $\angle D$ ?

c) What are the measures of  $\angle A$  and  $\angle C$ ?



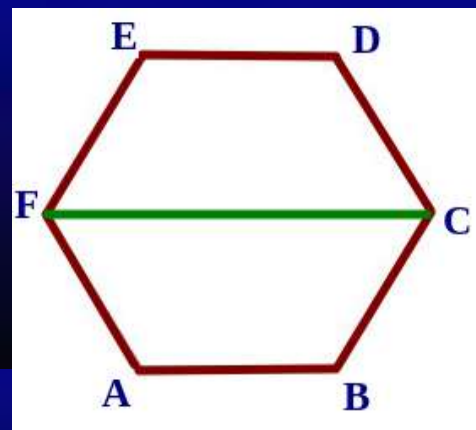


# MATHEMATICS - STANDARD 10

## WORKSHEET FOR 11<sup>TH</sup> SEPTEMBER 2020

3) Examine whether the two quadrilaterals obtained by joining the vertices F and C of a regular hexagon ABCDEF are cyclic or not?

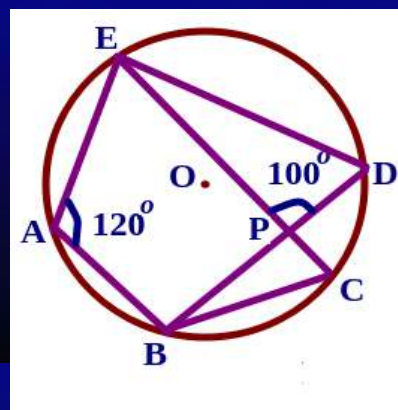
Why?



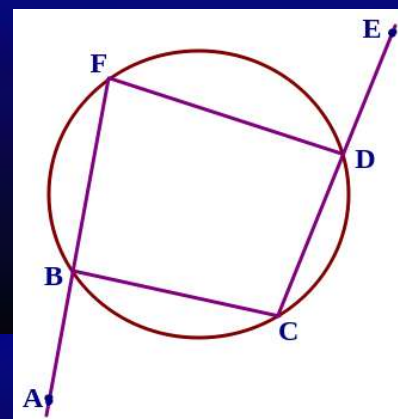
Are all regular polygons cyclic?



4) In figure, A, B, C, D and E are points on a circle with centre O. If  $\angle EAB = 120^\circ$  and  $\angle EPD = 100^\circ$  then find  $\angle EDB$ ,  $\angle ECB$  and  $\angle DBC$ .



5) In figure, B, C, D and F are points on the circle. Can you prove that  $\angle ABC + \angle EDF = 180^\circ$  ?





## MATHEMATICS - STANDARD 10

### WORKSHEET FOR 11<sup>TH</sup> SEPTEMBER 2020

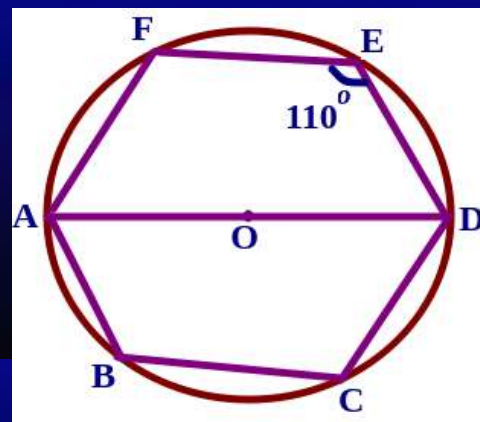
6) In figure, AD is the diameter.

If  $AB = BC = CD$  and  $\angle DEF = 110^\circ$  then

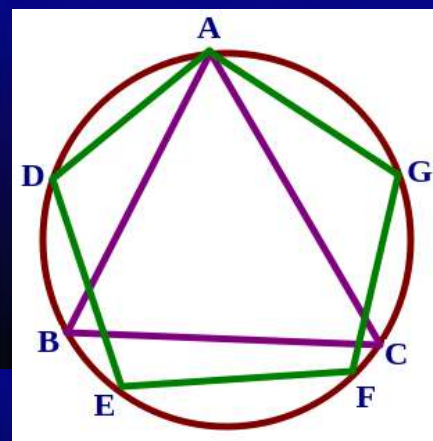
a)  $\angle AEF =$  \_\_\_\_\_

b)  $\angle BAF =$  \_\_\_\_\_

c)  $\angle BCD =$  \_\_\_\_\_



7) In figure, ABC is an equilateral triangle and ADEFG is a regular pentagon. Can you find the central angle of arc BD?

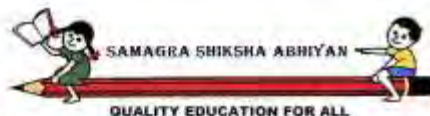


*Watch, try and learn.....*





WORKSHEET FOR 9<sup>TH</sup> SEPTEMBER 2020



A JOINT VENTURE OF DIET PALAKKAD AND SSK PALAKKAD



INTER BELL  
INTERVENTION BASED ON EFFECTIVE LEISURE LEARNING

STUDENT SUPPORT MATERIAL for X Mathematics

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**Special Thanks: Divakaran GHS Kozhippara**






# MATHEMATICS - STANDARD 10

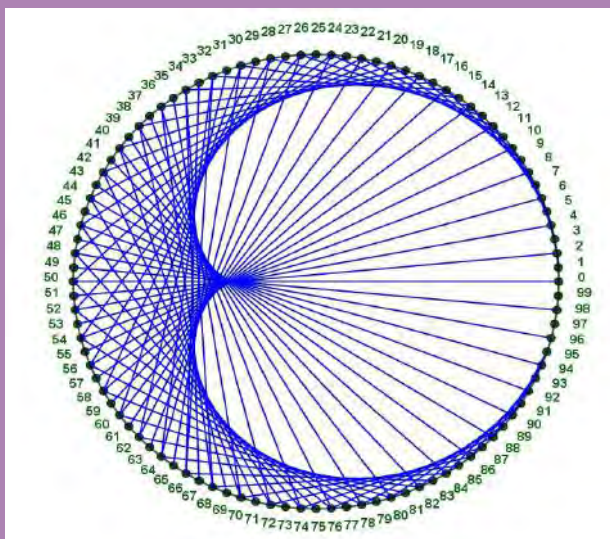
## WORKSHEET FOR 9<sup>TH</sup> SEPTEMBER 2020

**09** Born this day



**Frank Morley**  
1860 - 1937 (Austria-USA)  
He wrote mainly on geometry but also on algebra. Known for his theorem about the trisectors of the angles of a triangle.

Let us draw ...



Shall we draw beautiful patterns like this?

Do you know?



Can you cut this Rounded clock into 10 equal sectors.....?





## MATHEMATICS - STANDARD 10

### WORKSHEET FOR 9<sup>TH</sup> SEPTEMBER 2020

**\*Let us watch and enjoy.....  
Then check your memory\***

*(Click on the QR codes)*



**Now you can learn  
some text book  
problems .....**

**Write each in your  
note book.....**

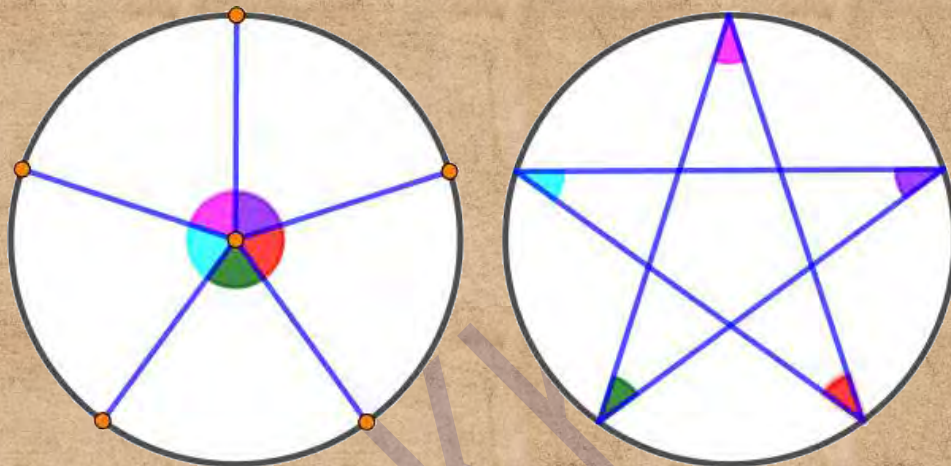
*(Click on the QR code)*



*For widened thoughts....*

**Question 1.**

**In both the figures, find the angles marked.  
(Hint: All the angles in each figure are same)**



**Question 2.**

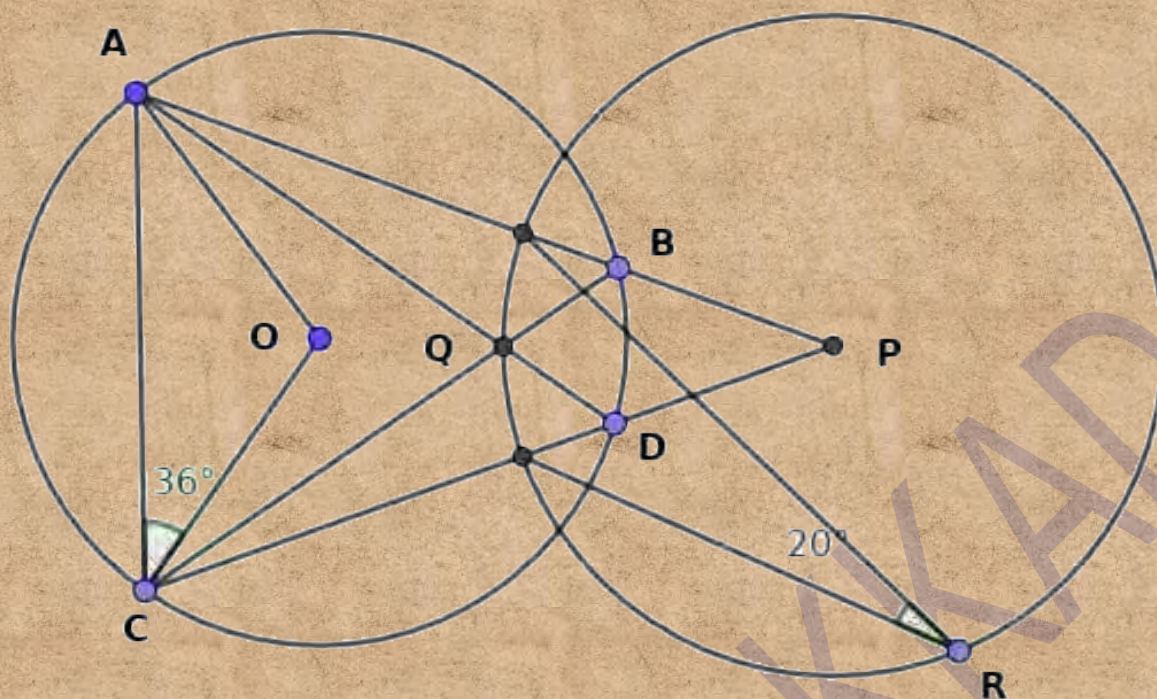
**GOPAL AND HIS COWS**

*Gopal walked towards his cows where he had tied them. He saw that they made two circular shapes by eating grass. Also some stubs were left here and there on the circumference. He visualized and noted the figure and made a question to give in his class after this corona period.*



*(Both the figure and the question have been given below..... Shall we try once?....)*





In the figure,  $\angle OCA = 36^\circ$  and  $\angle R = 20^\circ$ . Then find,

- i)  $\angle AOC$  (Hint: Central angle)
- ii)  $\angle ABC$  and iii)  $\angle ADC$  (Hint: Angles in the same segment)
- iv)  $\angle PBQ$  (Hint: Using  $\angle ABC$  or  $\angle ABQ$ )
- v)  $\angle PDQ$  (Hint: Using  $\angle ADC$  or  $\angle QDC$ )
- vi)  $\angle BPD$  (Hint: Central angle and  $\angle R = 20^\circ$ )
- vii)  $\angle BQD$  (Hint:  $PBQD$  is a quadrilateral)
- viii)  $\angle AQC$  (Hint: Using  $\angle BQD$ )
- ix)  $\angle AQB$  (Hint: Using  $\angle AQC$ )
- x)  $\angle BAQ$  (Hint: Sum of angles in  $\triangle AQB$   $180^\circ$ )

Thank you ...



WORKSHEET FOR 7<sup>TH</sup> and 8<sup>TH</sup> SEPTEMBER 2020

DIET

SAMAGHA SIKSHA ARMIYAN  
QUALITY EDUCATION FOR ALL

A JOINT VENTURE OF DIET PALAKKAD AND SSK PALAKKAD

INTER BELL  
INTERVENTION BASED ON EFFECTIVE LEISURE LEARNING

STUDENT SUPPORT MATERIAL for X Mathematics

***Prepared by:***

Rajesh, KHS Kumaramputhur Mannarkkad	Linto A Vengassery, Puliaparamb HSS
Manoj Kumar A K, KTMHS Mannarkkad	Gireesh P, KAHHS Kottopadam
Sathy P Menon, GHSS Nemmara	K K Jaya, GHSS Chundambatta
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Vimal CG, GOHSS Edathanattukara	Pramod M N, TSNMHS Kundurkunnu
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**Special Thanks: Divakaran GHS Kozhippara**





## MATHEMATICS - STANDARD 10

WORKSHEET FOR 7<sup>TH</sup> and 8<sup>TH</sup> SEPTEMBER 2020

07 Died this day 

**Juan Caramuel**  
1606 - 1682 (Spain)

He expounded the general principle of numbers to base  $n$  pointing out the benefits of some other bases than 10.

08 Died this day 

**Hermann von Helmholtz**  
1821 - 1894 (France)

He was a mathematician who made contributions to mathematical physics, optics, acoustics & physiology.

Let us draw ...



Shall we draw beautiful patterns like this?

Do you know?



- 1) How many times do the minute hand and hour hand of a clock appear as a straight line in 12 hours?
- 2) How many times do the minute and hour hands of a clock make  $90^\circ$  in half of a day? [12 hours]



## MATHEMATICS - STANDARD 10

### WORKSHEET FOR 7<sup>TH</sup> and 8<sup>TH</sup> SEPTEMBER 2020

#### \*Can you complete Ramu's story\*

Ramu and his grandpa used to play some Math puzzles during their free time. One evening grandpa took an old clock and said,

"Ramu, come, let's play with this clock."

"Okay, grandpa."

"Did you notice the point where the hands of the clock are fixed?"

"It's at the centre of the circle and the angle around it is  $360^\circ$ , isn't it grandpa?"

Grandpa: Can you tell me what's the angle made by the minute hand when it moves for one minute?

Ramu: Ummm.....it's .....

[Can you help Ramu?]

Grandpa: It's  $\frac{360^\circ}{60} = \underline{\quad}^\circ$ , right?

Ramu: Then in 5 minutes the needle moves  $5 \times 6 = \underline{\quad}^\circ$ , am I correct grandpa?

Grandpa: If you connect the end points of all the 3 hands of the clock, can you see a triangle?

Ramu: Let me draw, grandpa.

[You can also draw this figure in your note book]

Grandpa: Can you tell me what's the angle made at the centre by moving from A to B? What about the angle from B to C?

Also from C to A?

- 1)  $\angle AOB = \underline{\quad}$
- 2)  $\angle BOC = \underline{\quad}$
- 3)  $\angle AOC = \underline{\quad}$

Ramu: Yes, I got it.....

[Hint: Number of completed minutes  $\times 6^\circ$   
eg. Moving from 1 to 4 gives 15 minutes.]





## MATHEMATICS - STANDARD 10

### WORKSHEET FOR 7<sup>TH</sup> and 8<sup>TH</sup> SEPTEMBER 2020

$$\text{Angle moved} = 15 \times 6 = 90^\circ$$

- a)  $\angle A = \underline{\hspace{2cm}}$  ,
- b)  $\angle B = \underline{\hspace{2cm}}$  ,
- c)  $\angle C = \underline{\hspace{2cm}}$ . [ Hint: Half of the central angle.]

Grandpa : You are brilliant! One more question dear.

If all the angles of a triangle are equal, what's the measure of each?

Where should be the ends of the hands of the clock?

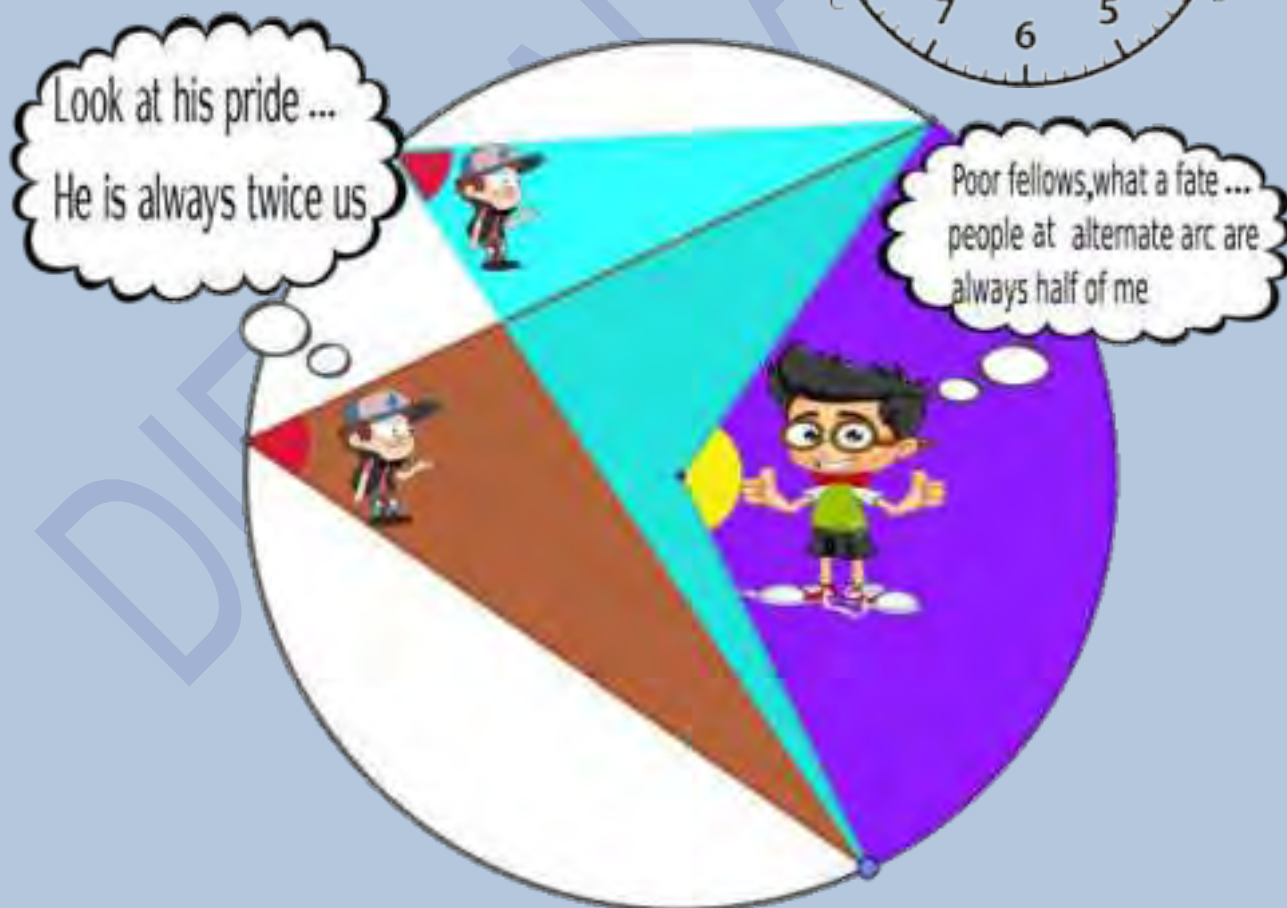
In how many ways can you make this equilateral triangle?

PLEASE HELP RAMU.....

[Hint: All the angles of the triangle must be  $60^\circ$ .

So the central angle must be  $120^\circ$ .

To get  $120^\circ$  at the centre, how much should the hands of the clock move?]







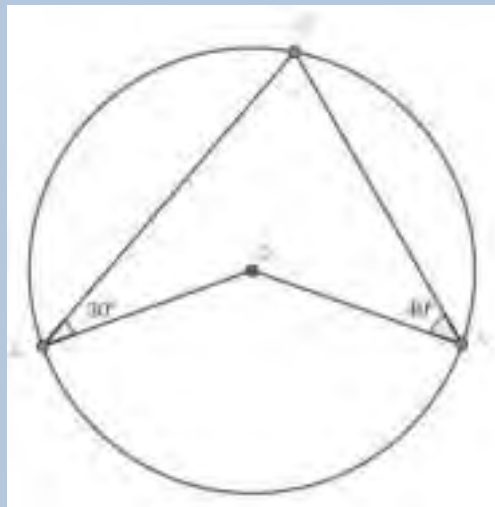
# MATHEMATICS - STANDARD 10

## WORKSHEET FOR 7<sup>TH</sup> and 8<sup>TH</sup> SEPTEMBER 2020

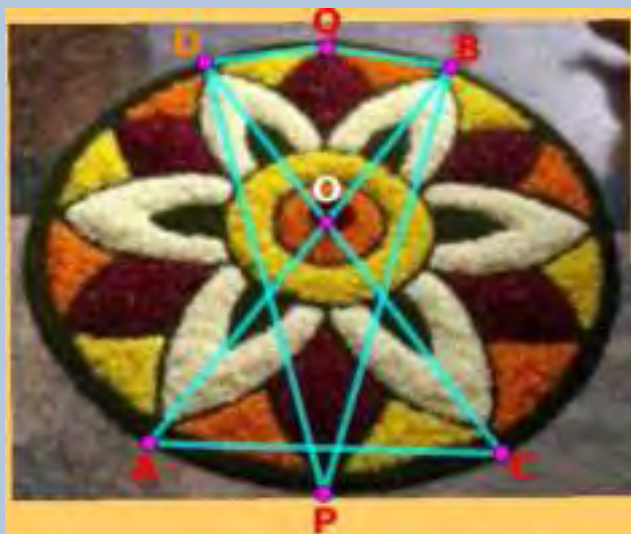
➤ In the figure  $\angle BAO = 30^\circ$ ,  $\angle BCO = 40^\circ$  then compute the following angles.

(a)  $\angle ABC =$  \_\_\_\_\_

(b)  $\angle AOC =$  \_\_\_\_\_



**\*Can you help Ammu \***



Ammu made a beautiful circular Pookkalam on Onam Competition. Appu came there to check the accuracy of the Pookkalam. He marked the centre as O ,diameters as AB and CD, and points on the circle as P and Q.

He measured  $\angle DPB$  as  $45^\circ$ .

Appu thinks that he is the 'Master of Maths.'

" Can you match these angles correctly, Ammu?"

ANGLES	MEASURES
$\angle DPB$	$180^\circ$
$\angle DQB$	$60^\circ$
$\angle DOB$	$45^\circ$
$\angle AOC$	$90^\circ$
	$135^\circ$





# MATHEMATICS - STANDARD 10

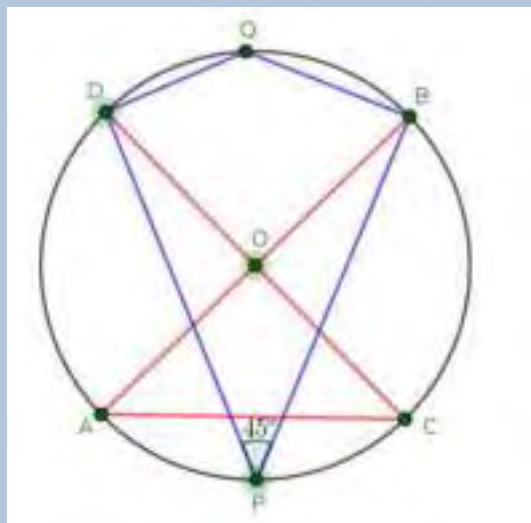
## WORKSHEET FOR 7<sup>TH</sup> and 8<sup>TH</sup> SEPTEMBER 2020

Ammu is a smart girl. She easily completed the task.  
"Now it's my turn, Appu."

1. "Tell me what type of triangle is  $\Delta AOC$ ?"
2. "One more question, If  $AC = 10$  cm, what's the radius of the circle?"

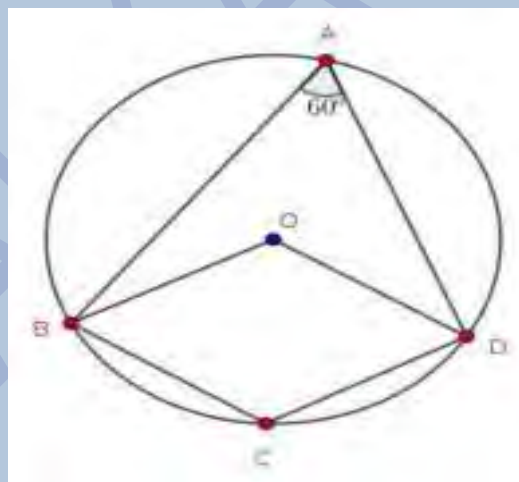
Now Appu is puzzled. Please help him.....

[ HINT: Remember the ratio of sides of a triangle when the angles are  $45^\circ$ ,  $45^\circ$  and  $90^\circ$ . Or you can use Pythagorus theorem.]



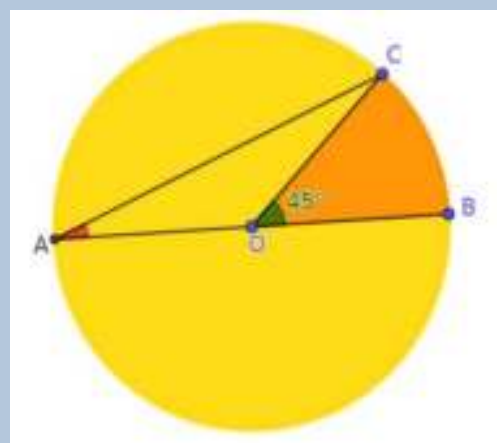
- In figure O is the centre of circle.

$\angle BOD = \text{-----}$      $\angle C = \text{-----}$



In the figure O is the centre of the circle  
 $\angle COB = 45^\circ$

- $\angle CAB = \text{-----}$
- Draw a circle of radius 3 cm as in the figure. Draw the diameter AB, then mark  $45^\circ$  at the centre of the circle. Join OC and AC. Then measure  $\angle A$ .
- Similarly, construct  $17\frac{1}{2}$ ,  $27\frac{1}{2}$  angles at A as different figures.







## MATHEMATICS - STANDARD 10

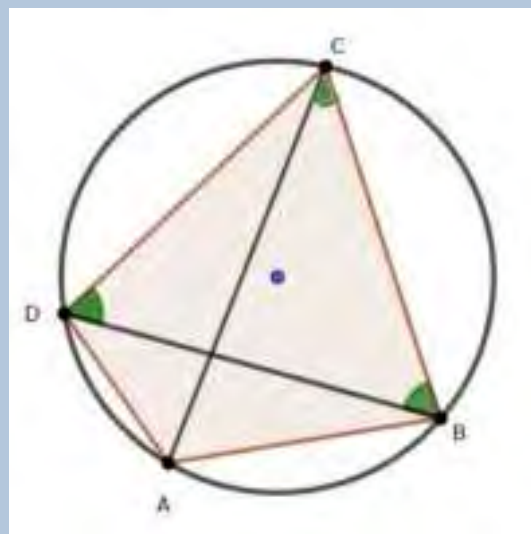
### WORKSHEET FOR 7<sup>TH</sup> and 8<sup>TH</sup> SEPTEMBER 2020

➤ From the figure, write four pairs of equal angles.

If  $\angle ACB = 50^\circ$ ,  $\angle BDC = 30^\circ$ ,  $\angle CBD = 70^\circ$

**Find the following.**

- 1) Find the central angle of Arc ADC?
- 2) Find the central angle of Arc BCD?



**Click here to Scan  
QR code to learn  
Home work problem**



**Learn to draw triangles  
if circum radius  
and two of its angles  
are given ...  
Draw each in your  
note book.**



**Thank you ...**



# MATHEMATICS - STANDARD 10

## WORKSHEET FOR 4<sup>TH</sup> SEPTEMBER 2020



A JOINT VENTURE OF DIET PALAKKAD AND SSK PALAKKAD



24

**INTER BELL  
INTERVENTION BASED ON EFFECTIVE LEISURE LEARNING**

*STUDENT SUPPORT MATERIAL for X Mathematics*

### Prepared by:

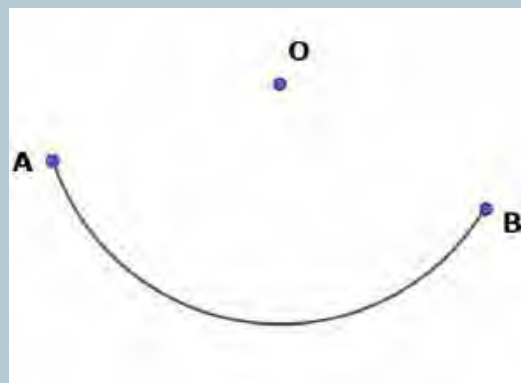
Rajesh, KHS Kumaramputhur Mannarkkad	Linto A Vengassery, Puliaparamb HSS
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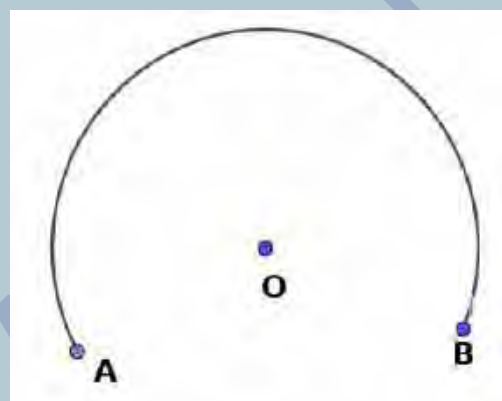
## MATHEMATICS - STANDARD 10

### WORKSHEET FOR 4<sup>TH</sup> SEPTEMBER 2020

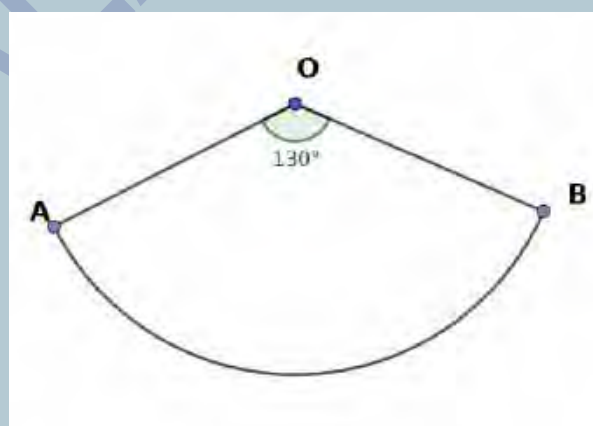
➤ **Smaller arc (Minor arc)**



➤ **Larger arc (Major arc)**



➤ **Angle made by a minor arc at the centre**  
(Central angle,  $\angle AOB = 130^\circ$ )

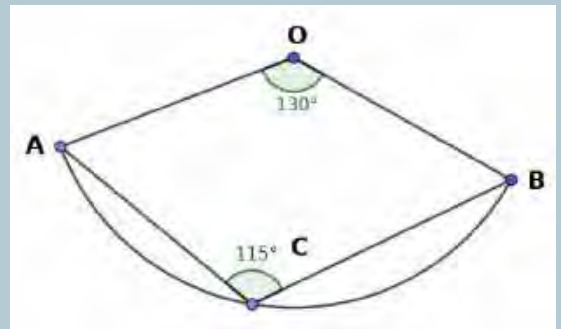


➤ **Angle made by a major arc at the centre**

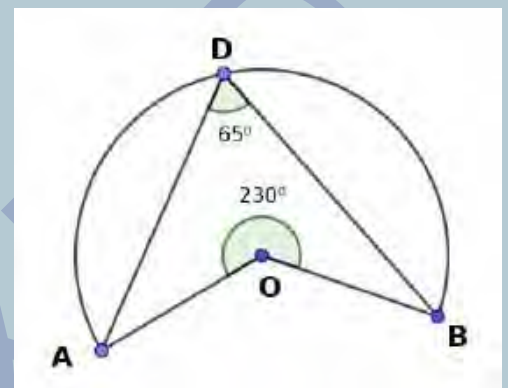
(Central angle,  $\angle AOB = 230^\circ$ )



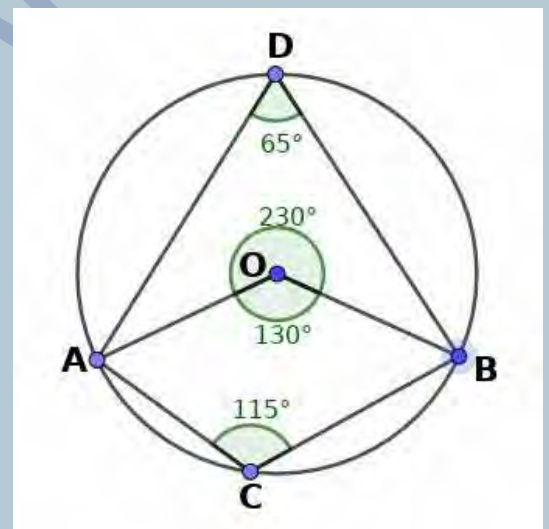
- Angle made by the major arc on minor arc ( $\angle ACB = 115^\circ$ ) and the central angle of minor arc ( $\angle AOB = 130^\circ$ ).



- Angle made by the minor arc on major arc ( $\angle ADB = 65^\circ$ ) and the central angle of major arc ( $\angle AOB = 230^\circ$ ).



- In the figure, arc ACB and arc ADB join to form a circle. So sum of their central angles is  $360^\circ$ .



$$\angle ADB = \frac{1}{2} \text{ Central angle of arc ACB (smaller arc)}$$

$$\angle ADB = \frac{1}{2} (360^\circ - \text{Central angle of arc ADB})$$

$$\angle ACB = \frac{1}{2} \text{ Central angle of arc ADB (larger arc)}$$

$$\angle ACB = \frac{1}{2} (360^\circ - \text{Central angle of arc ACB})$$

$$\angle ADB + \angle ACB = \frac{1}{2} \text{ Central angle of smaller arc} + \frac{1}{2} \text{ Central angle of larger arc}$$

$$= \frac{1}{2} (\text{Central angle of smaller arc} + \text{Central angle of larger arc})$$

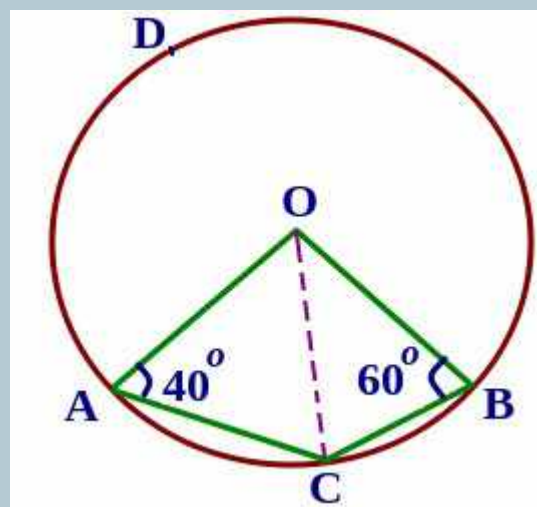
$$= \frac{1}{2} (360^\circ) = 180^\circ$$



**Activity 1**

In the figure, O is the centre of the circle.

1. Name the isosceles triangles.
2. i)  $\angle ACO = \underline{\hspace{1cm}}$  ii)  $\angle BCO = \underline{\hspace{1cm}}$
3.  $\angle AOC = \underline{\hspace{1cm}}$
4.  $\angle BOC = \underline{\hspace{1cm}}$
5. The angle made by the minor arc ACB at the centre,  $\angle AOB = \underline{\hspace{1cm}}$
6. The angle made by the major arc ADB at the centre =  $360^\circ - \angle AOB = \underline{\hspace{1cm}}$
7.  $\angle ACB = \underline{\hspace{1cm}}$



$$\begin{aligned}\therefore \angle ACB &= \frac{\text{Central angle made by major arc}}{2} \\ &= \frac{360^\circ - \text{Central angle made by minor arc}}{2} \\ &= 180^\circ - \frac{\text{Central angle made by minor arc}}{2}\end{aligned}$$

The angle made by a larger arc on a smaller arc is same as half of the angle made by the larger arc at the centre.

Or,  $180^\circ -$  half of the angle made by the smaller arc at the centre.

*Watch and learn.....*







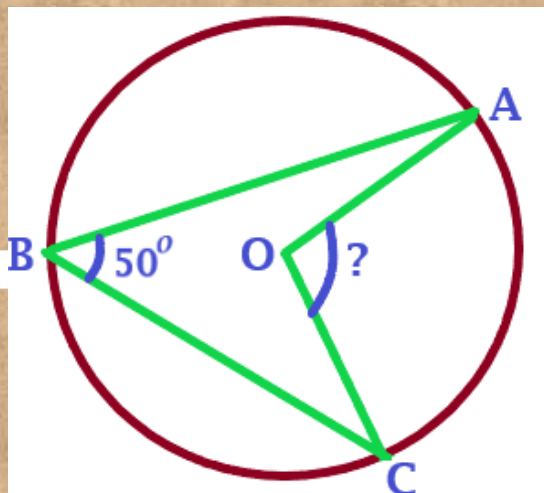
# MATHEMATICS - STANDARD 10

## WORKSHEET FOR 4<sup>TH</sup> SEPTEMBER 2020

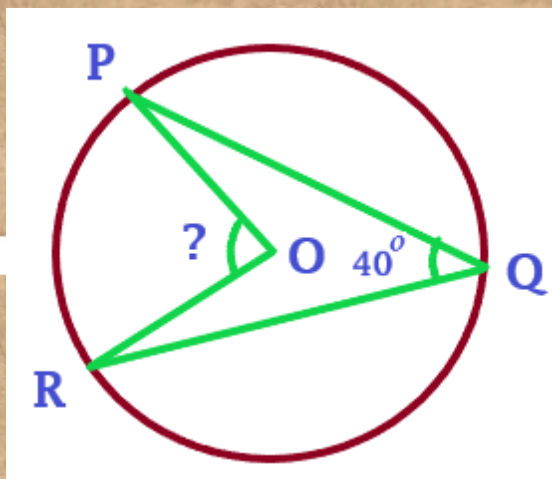
Try this....

Given that O is the centre of the circles given below. Find the measure of the angles given with question mark.

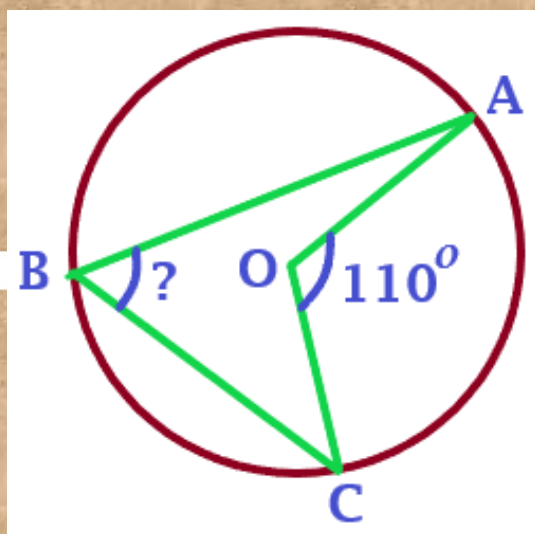
i)



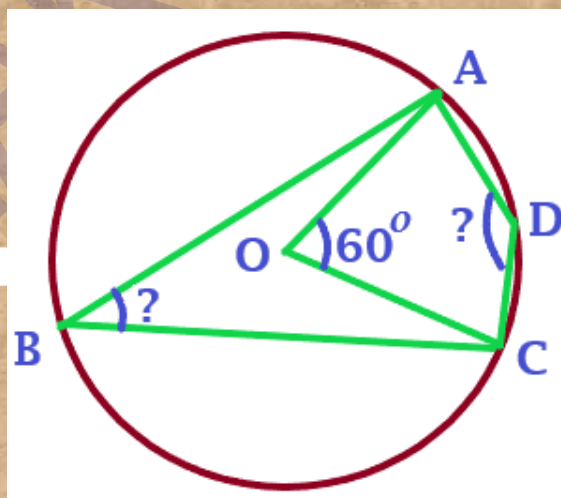
ii)



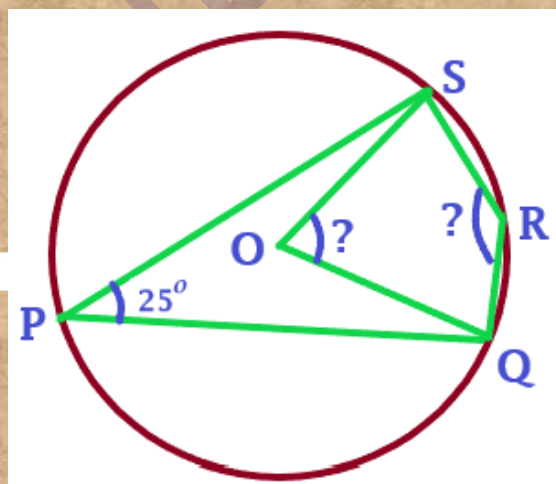
iii)



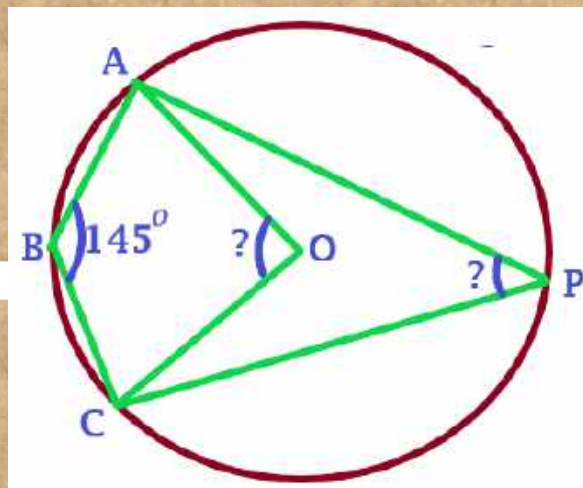
iv)



v)



vi)

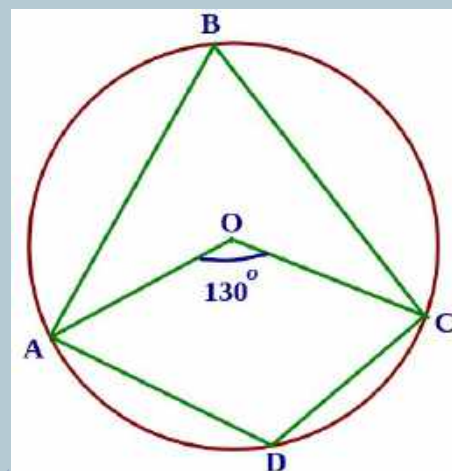




**Activity 2**

In figure O is the centre of the circle. The central angle of arc ADC is  $130^\circ$ . Then find

- i) Measure of the central angle of arc ABC
- ii)  $\angle ABC$
- iii)  $\angle ADC$
- iv)  $\angle ABC + \angle ADC$ .



**A pair of angles on an arc and its alternate are supplementary.  
That is the sum of angles in the opposite arcs is always  $180^\circ$ .**

*Watch and learn.....*



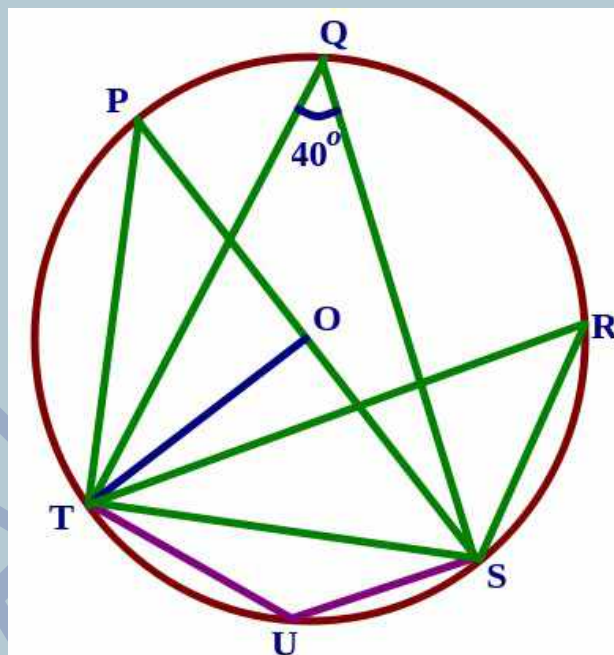


**For widened thoughts.....**

**Activity 1**

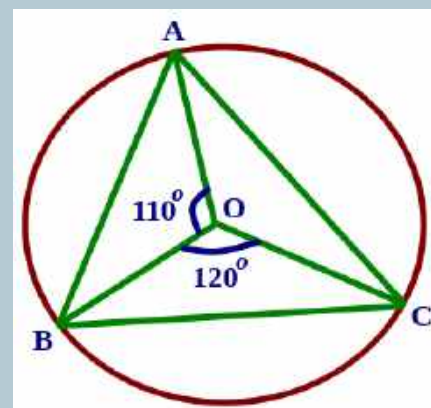
In figure, O is the centre and PS is a diameter. If  $\angle SQT = 40^\circ$ , find the measures of

- i)  $\angle TOS$
- ii)  $\angle TRS$
- iii)  $\angle PTS$
- iv)  $\angle TSP$
- v)  $\angle TUS$



**Activity 2**

In figure, O is the centre. If  $\angle BOC = 120^\circ$  and  $\angle AOB = 110^\circ$  then find all the angles of  $\triangle ABC$ .





**Activity 3**

In figure O is the centre of the circle. If  $\angle AOB = 100^\circ$  and  $\angle OBQ = 30^\circ$  then find the following.

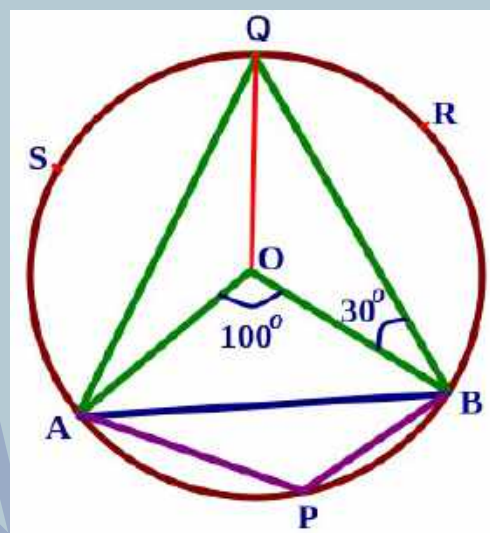
i)  $\angle OAB$ ,  $\angle OBA$ ,  $\angle AQB$ ,  $\angle APB$ ,  $\angle OQB$ ,  $\angle BOQ$ ,  $\angle OQA$ ,  $\angle OAQ$ ,  $\angle AOQ$

ii) Central angle of arc APB

iii) Central angle of arc BRQ

iv) Central angle of arc ASQ

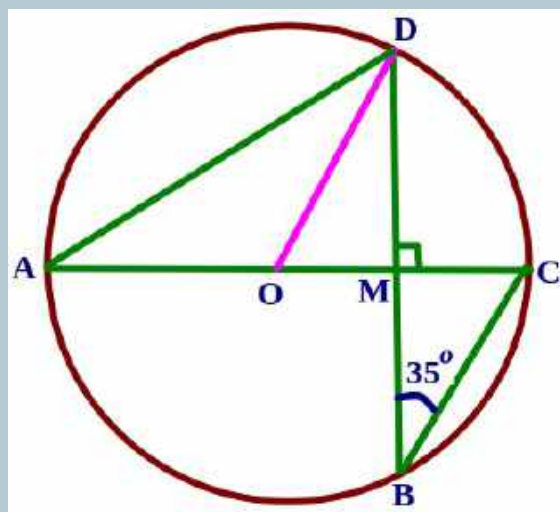
v) Central angle of arc AQB



**Activity 4**

In figure, O is the centre and AC is a diameter. If  $\angle CBD = 35^\circ$  and BD is perpendicular to AC, find the measure of the following angles.

- |                   |                  |
|-------------------|------------------|
| i) $\angle COD$   | ii) $\angle BDO$ |
| iii) $\angle OAD$ | iv) $\angle ADO$ |
| v) $\angle AOD$   | vi) $\angle ACB$ |







ONLINE CLASS SUPPORTING MATERIALS  
PALAKKAD DISTRICT



MATHEMATICS STANDARD 10



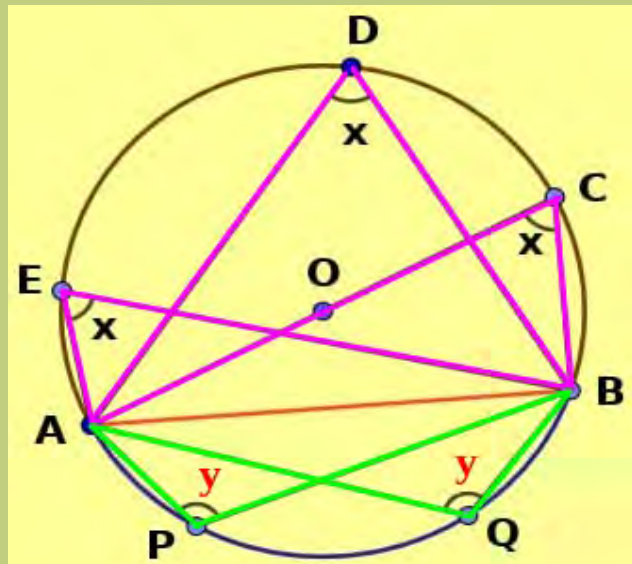
Class - 23



**Katherine Johnson - Born on 26th August 1918**

Creola Katherine Johnson was an American Mathematician whose calculations of orbital mechanics as a NASA employee were critical to the success of the first and subsequent U.S. crewed spaceflights. During her 35-year career at NASA and its predecessor, she earned a reputation for mastering complex manual calculations and helped pioneer the use of computers to perform the tasks. The space agency noted her "historical role as one of the first African-American women to work as a NASA scientist.

The angles subtended by one part of the circle on the other part are equal.



## Chord and Angle

If AB is the chord of the circle with centre O and AC and BC are on either side of the centre, then the relation between  $\angle AOB$  and  $\angle ACB$ .

O is the centre of the circle.

$\angle OAC = 30^\circ$  and  $\angle OBC = 20^\circ$

i) Write the names of isosceles triangles in the figure?

ii)  $\angle OCA = \dots\dots$

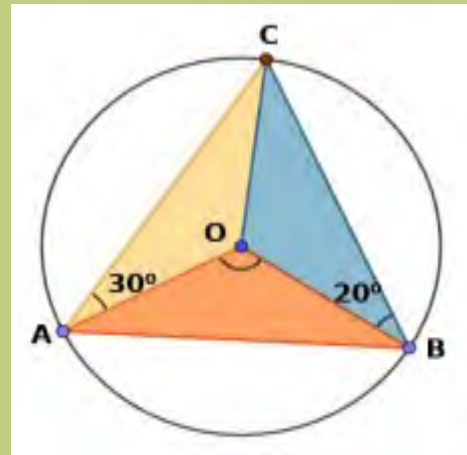
iii)  $\angle OCB = \dots\dots$

iv)  $\angle AOC = \dots\dots$

v)  $\angle BOC = \dots\dots$

vi)  $\angle ACB = \dots\dots$

vii)  $\angle AOB = \dots\dots$



$$\angle ACB = \frac{\angle AOB}{2}$$

If AC is the diameter of the circle then the relation between  $\angle AOB$  and  $\angle ACB$ .

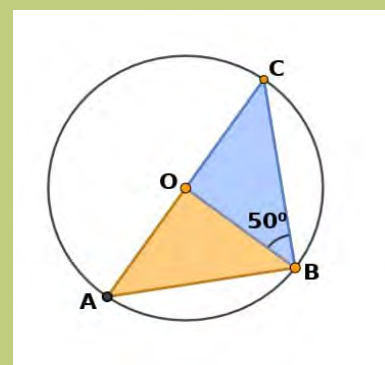
O is the centre of the circle and

$\angle OBC = 50^\circ$  then

i) Write the names of isosceles triangles in the figure?

ii)  $\angle OCB = \dots\dots$

iii)  $\angle BOC = (180 - \dots\dots) = \dots\dots$  iv)  $\angle AOB = \dots\dots$



$$\angle ACB = \frac{\angle AOB}{2}$$

My room is in  
semicircular shape.  
So it will be always 90 degree.  
Ha ....Ha ... Ha ...

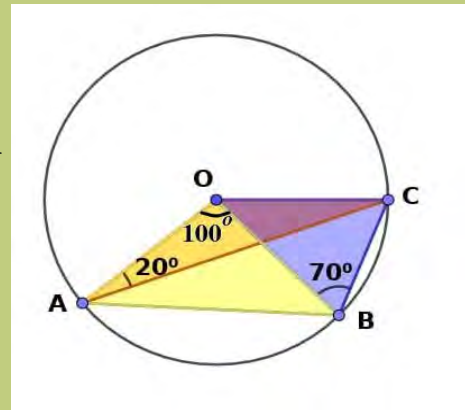


What do you do to  
keep yourself  
warm always?



If AC and BC are on the same side of the centre, then the relation between  $\angle AOB$  and  $\angle ACB$ .

O is the centre of the circle.  
 $\angle OAC = 20^\circ$ ,  $\angle OBC = 70^\circ$  and  
 $\angle AOB = 100^\circ$  then



i) Write the names of the  
isosceles triangles in the  
figure?

ii)  $\angle OCA = \dots\dots\dots$       ii)  $\angle OCB = \dots\dots\dots$

$\angle ACB = \angle OCB - \angle OCA$

iii)  $\angle ACB = \dots\dots\dots$

$$\angle ACB = \frac{\angle AOB}{2}$$

The angle obtained by joining the ends of a chord to any point on the larger part of the circle, is half the angle subtended by the smaller part of the circle at the centre.

*Watch and learn.....*

[CLICK HERE](#)

[CLICK HERE](#)

*Test yourself....*

[CLICK HERE](#)

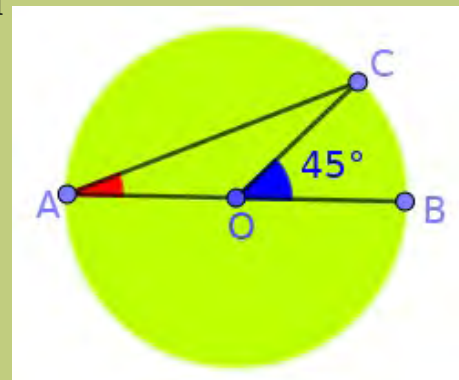
### Activity 1

O is the centre of the circle and

$$\angle COB = 45^\circ$$

i)  $\angle CAB = \dots\dots\dots$

ii) As in the figure, draw a circle of radius 3 cm with AB as diameter. Mark an angle  $45^\circ$



at the centre O, then join OC as shown in the figure.

Join AC and measure the  $\angle OAC$ ....

iii) Similarly, construct a)  $15^\circ$ , b)  $27 \frac{1}{2}^\circ$  at A in different figures.....



## Activity 2

In the figure  $\angle APB = 65^\circ$  then

a)  $\angle AOB = x^\circ$  then what is the measure of  $x$ ?

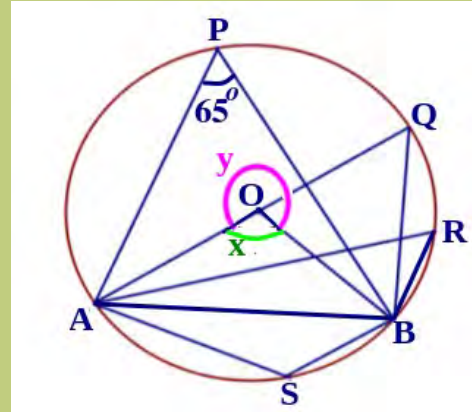
b)  $\angle AQB =$

c)  $\angle ARB =$

d) If the central angle of arc  $APB$  is  $y^\circ$  then  $y = ?$

e)  $\angle ASB =$

f)  $\angle APB + \angle ASB =$





## MATHEMATICS STANDARD 10



### Class - 22

24 **Died this day**



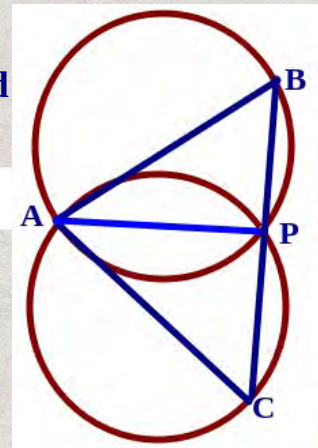
**Bartholomeo Pitiscus**  
1561 - 1613 (Germany)

He achieved fame with his work called Trigonometria which introduced the word 'Trigonometry'.

### Activity I

In  $\triangle ABC$ ,  $AB = AC$ . Two circles are drawn with  $AB$  and  $AC$  as diameters.

- $\angle APB = \angle APC = \underline{\hspace{2cm}}$  [ $30^\circ$ ,  $60^\circ$ ,  $45^\circ$ ,  $90^\circ$ ]
- Why?
- Whether  $PB = PC$ ? Why?



The circles drawn with the equal sides of an isosceles triangle as diameters pass through the midpoint of the third side.

For widened thoughts:

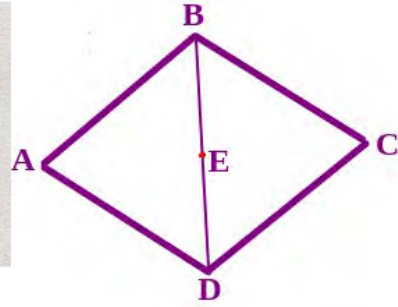
What about the triangles other than isosceles?



## Activity II

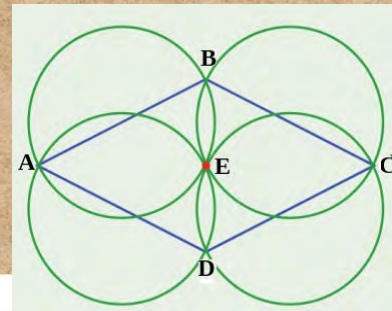
In rhombus ABCD,

- \* All the sides are equal.
- \* E is the midpoint of BD.



- Name the two isosceles triangles obtained while drawing the diagonal BD.
- Find the point of intersection (other than A) of the circles drawn with AB and AD as diameters.
- Find the point of intersection (other than C) of the circles drawn with BC and CD as diameters.

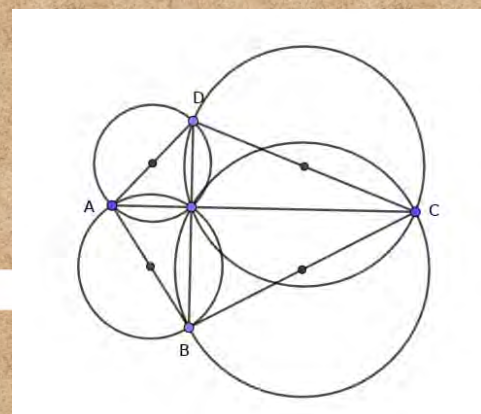
If ABCD is a rhombus, then the circles drawn with all the four sides as diameters pass through a common point.



### For widened thoughts:

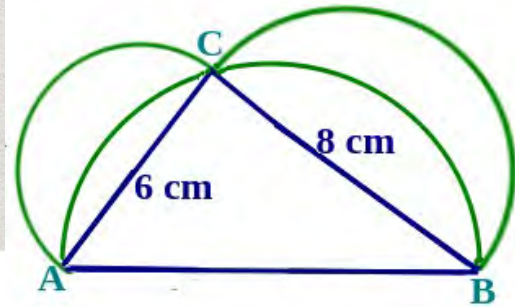
If the diagonals of a quadrilateral are perpendicular to each other, then the circles drawn with the sides of the quadrilateral as diameters pass through a common point (the point of intersection of the diagonals).

Name such quadrilaterals.



### Activity III

C is a point on a circle drawn with AB as diameter. Also AC = 6 cm and BC = 8 cm. Then



i) Length of AB = \_\_\_\_

$$[\text{hypotenuse}^2 = \text{base}^2 + \text{height}^2]$$

ii) What is the area of the semicircle whose diameter is AC?

$$[\text{Area} = \frac{1}{2} \pi r^2]$$

ii) What is the area of the semicircle whose diameter is BC?

iv) What is the area of the semicircle whose diameter is AB?

v) How these areas are related?

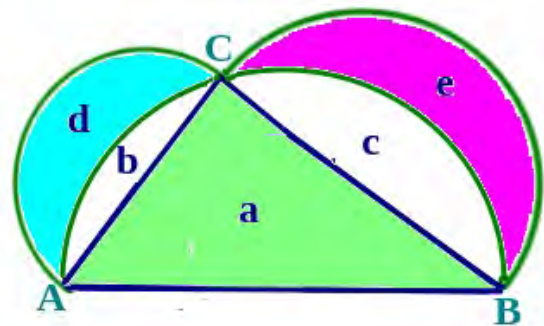
vi) What is the area of the  $\Delta ACB$  shown in figure?

$$[\frac{1}{2} \text{Base} \times \text{Height}]$$

In figure, if each area is denoted by a, b, c, d and e, then it can be noticed that

$$a + b + c = b + d + c + e$$

$$\therefore a = d + e$$



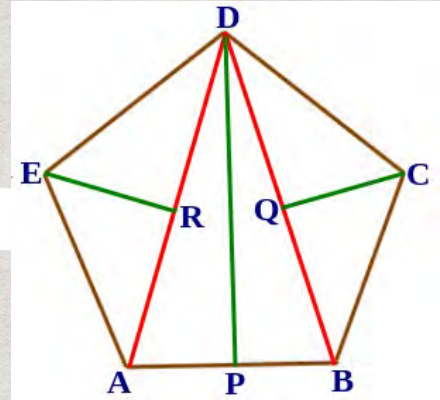
*Do yourself and learn yourself.....*

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## More Questions

1. ABCDE is a regular pentagon. P, Q and R are the midpoints of AB, BD and AD respectively.



i) What is special about the triangles  $\triangle ABD$ ,  $\triangle AED$ ,  $\triangle BCD$ ?

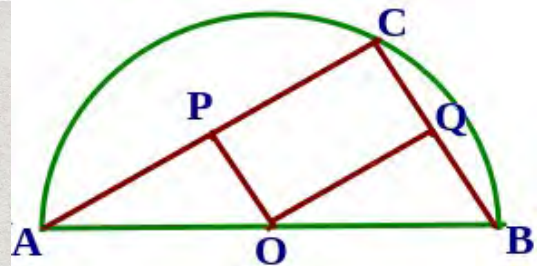
ii) Find the common point through which the circles with diameters AD and BD pass.

iii) What are the sides taken as diameters if the two circles drawn pass through the point Q?

iv) What are the diameters of the circles passing through R?

2. In figure, AB is the diameter and C is a point on the circle.

P and Q are the midpoints of AC and BC respectively.



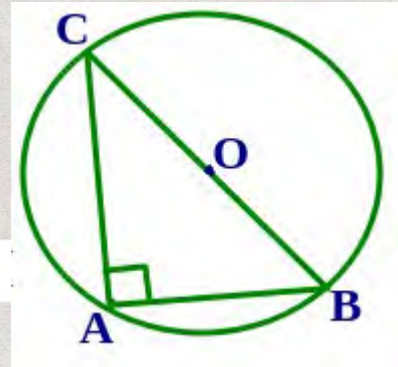
i) What is special about the quadrilateral OPCQ?

ii) Find an appropriate name for the quadrilateral OPCQ.

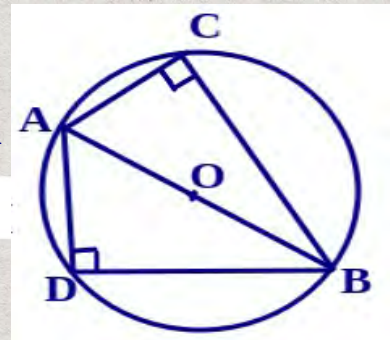
iii) Will OPCQ be a square? When?

Let's think a Little

You have drawn Circum Circles of right angled triangles in 9th standard. Do you remember the position of their Circumcentres?



If we place two right angled triangles with equal hypotenuse together along their hypotenuse , we get different quadrilaterals. All the vertices of such quadrilaterals will be on a circle, isn't it ? Not only that much, the sum of the angles at the opposite vertices will be 180 degrees.



Which are the quadrilaterals having this property? Which of them do not?

