

PHYSOL-3 EXAMINATION SERIES

Exam-1 CHAPTERS 1,2 & 3
SUNDAY 01-05-2022 @ 7.00pm

Answerkey

Answer any 3 questions from 1 to 4 each carries 1 score

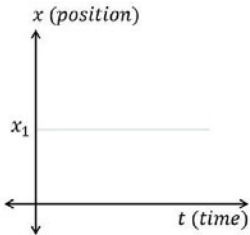
1	(iii) Gravitation force	1
2	Charge	1
3	d) ≥ 1	1
4	Displacement	1

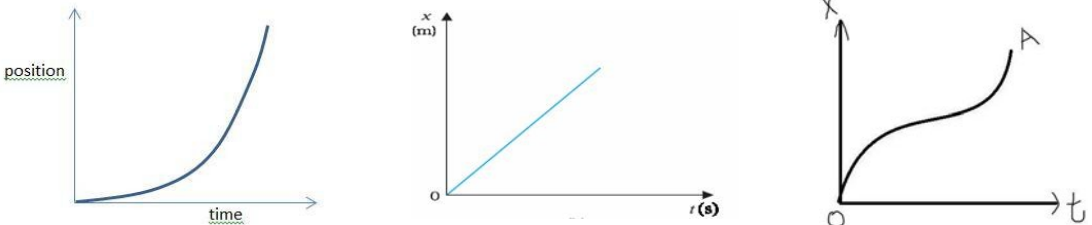
Answer any 5 questions from 5 to 10 each carries 2 score

5	<ol style="list-style-type: none"> 1. Momentum and Impulse. 2. Work, energy, Torque 3. Angular momentum and Planck's constant 4. Pressure and Stress 	2
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6	<p>Dimension of $[T] = [T^{-1}]$</p> <p>Dimension of $\sqrt{\frac{g}{l}} = \sqrt{\frac{L^1 T^{-2}}{L^1}} = [T^{-1}]$</p> <p>Dimension of LHS not equal to Dimension of RHS. Thus the equation is wrong.</p>	2
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7	<p>$g = GM/r^2$</p> <p>if r is reduced by 4% ,then percentage change in g = $2 \times 4\% = 8\%$.</p>	2
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8	<p>a) State of rest</p> 	1
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8	<p>b) State of Motion</p> 	1
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9		
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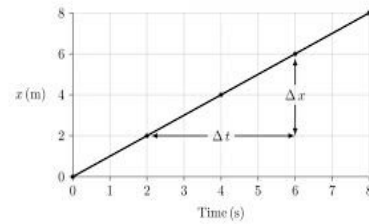
$$\text{Distance} = \pi R$$

$$\text{Displacement} = PP' = \sqrt{(\pi R)^2 + (2R)^2} = R\sqrt{\pi^2 + 4}$$

10 The slope is given by $\text{Slope} = \tan \theta$

$$= \frac{\Delta x}{\Delta t}$$

= velocity.



That is the slope of position time graph gives the Velocity.

Answer any 4 questions from 11 to 14 each carries 3 score

11

Coefficient of viscosity	Force/area x velocity gradient	$[ML^{-1}T^{-1}]$
Gravitational constant	Force x (distance) ² /(mass) ²	$[M^{-1}L^3T^{-2}]$
Modulus of elasticity	Force/area x number	$[ML^{-1}T^{-2}]$

3

12

Centripetal force $F \propto m^a v^b r^c$

ie., $F = k m^a v^b r^c$ -----(1)

Taking dimensions $M^1 L^1 T^{-2} = (M^1)^a (L^1 T^{-1})^b (L^1)^c$

$$M^1 L^1 T^{-2} = M^a L^b T^{-b} L^c$$

$$M^1 L^1 T^{-2} = M^a L^{b+c} T^{-b}$$

Equating dimensions on both sides

$a=1$ $b=2$ $c=-1$ also given $k=1$

Thus equation (1) becomes $F = \frac{mv^2}{r}$

13

Average velocity = 0 (because total displacement = 0)

$$\text{Average speed} = \frac{\text{Total distance}}{\text{Total time}}$$

$$= \frac{S+S}{t_1+t_2}$$

$$= \frac{2S}{\frac{S}{V_1} + \frac{S}{V_2}}$$

$$= \frac{2V_1 V_2}{V_1 + V_2}$$

$$= \frac{2 \times 60 \times 90}{150} = 72 \text{ km/hr}$$

14

a) By the equation of motion, $v^2 = u^2 + 2as$

Here $v=0$ $a=-a$ retardation, $S \rightarrow$ Stopping distances

Therefore $0 = u^2 - 2as$

Stopping distance $S = \frac{u^2}{2a}$

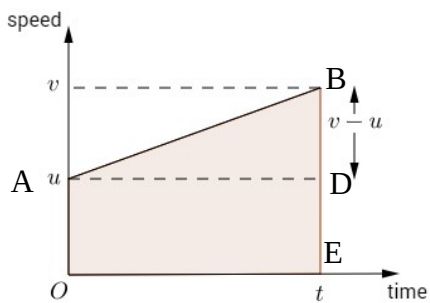
1
1
1

b) Stopping distance $S = \frac{u^2}{2a}$
 If $u = 2u$, then $S' = \frac{(2u)^2}{2a} = \frac{4u^2}{2a} = 4S$
 That is Stopping distance becomes four times.

Answer any 2 questions from 15 to 17 each carries 2 score

15 a) It states that “ For the correctness of an equation the dimension all the terms should be same” 1
 b) (i) Principle of homogeneity of dimensions. 1
 (ii) Dimension of LHS $[PV] = ML^{-1} T^{-2} L^3$
 $= ML^2 T^{-2}$
 Dimension of RHS $[Fx] = ML^{-1} T^{-2} L$ 2
 $= ML^2 T^{-2}$
 ie. Dimension of LHS = Dimension of RHS
 Thus the equation is correct.

16 a) iii) a straight line inclined to the time axis. 1
 b) Second equation of motion OR Displacement time relation:
 From the graph
 Displacement $S =$ Area under the graph AB



2

$$= \text{Area of rectangle OADE} + \text{Area of triangle ADB}$$

$$= OA \times OE + \frac{1}{2} DB \times AD$$

$$= u \times t + \frac{1}{2} (v - u) \times t$$

$$= ut + \frac{1}{2} at \times t$$

$$S = ut + \frac{1}{2} at^2$$

This is the displacement – time relation.

c) i) An object with constant velocity has always constant speed.

1

17 a) Velocity-time relation: $v = u + at$

Let $u \rightarrow$ initial velocity

$v \rightarrow$ final velocity

$a \rightarrow$ acceleration

$t \rightarrow$ time.

We have $acceleration = \frac{\text{Change in velocity}}{\text{time}}$

$$a = \frac{v - u}{t}$$

$$v - u = at$$

$v = u + at$ This is the velocity -time relation.

b) Velocity-Displacement relation: $v^2 = u^2 + 2as$

Let $S \rightarrow$ Displacement $u \rightarrow$ initial velocity $v \rightarrow$ final velocity $a \rightarrow$ acceleration $t \rightarrow$ time.

We have $Average\ velocity = \frac{\text{Total displacement}}{\text{Time}}$

$$V_{av} = \frac{S}{t}$$

Also $V_{av} = \frac{v + u}{2}$

Therefore $\frac{S}{t} = \frac{v + u}{2}$

That is $v + u = \frac{2S}{t}$ -----(1)

But $v - u = at$ -----(2)

Multiplying (1) and (2) $(v + u)(v - u) = \frac{2S}{t} at$

$$v^2 - u^2 = 2aS$$

$$v^2 = u^2 + 2as$$

This is the velocity-displacement relation.

1

$1\frac{1}{2}$

$1\frac{1}{2}$