



# SHRI VIDHYABHARATHI MATRIC HR.SEC.SCHOOL

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**QUARTERLY - SEPTEMBER - 2019**

**STD: XII**

**SUBJECT: PHYSICS**

**TENTATIVE ANSWER KEY**

**MARKS : 70**

Q.N	SECTION - I		MARKS
	OPTION	ANSWER	
1	a)	Straight line	1
2	d)	$9 / 16 F$	1
3	d)	Energy density	1
4	b)	Resistance of wet hand is low	1
5	b)	$0.03 \times 10^{-3} \text{ ms}^{-1}$	1
6	b)	50 Hz	1
7	a)	$\pi / 4$	1
8	d)	$60^\circ$	1
9	d)	Infra red rays	1
10	b)	8 mC	1
11	a)	In phase and perpendicular to each other	1
12	c)	$q / 2m$	1
13	d)	$4 \times 10^{-7} \text{ T}$	1
14	d)	zero	1
15	d)	$b < d < c < a$	1

16	<table border="1" style="width: 100%; border-collapse: collapse;"> <thead> <tr> <th style="background-color: #ADD8E6;">Coulomb force</th> <th style="background-color: #ADD8E6;">Gravitational force</th> </tr> </thead> <tbody> <tr> <td>It acts between two charges</td> <td>It acts between two masses</td> </tr> <tr> <td>It can be attractive or repulsive</td> <td>It is always attractive</td> </tr> <tr> <td>It is always greater in magnitude</td> <td>It is always lesser in magnitude</td> </tr> <tr> <td>It depends on the nature of the medium</td> <td>It is independent of the medium</td> </tr> <tr> <td>If charges are in motion, another force called Lorentz force come in to play in addition to Coulomb force</td> <td>Gravitational force is the same whether two masses are at rest or in motion</td> </tr> </tbody> </table> <p>(Each point carries ½ marks)</p>	Coulomb force	Gravitational force	It acts between two charges	It acts between two masses	It can be attractive or repulsive	It is always attractive	It is always greater in magnitude	It is always lesser in magnitude	It depends on the nature of the medium	It is independent of the medium	If charges are in motion, another force called Lorentz force come in to play in addition to Coulomb force	Gravitational force is the same whether two masses are at rest or in motion	2
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17	$C = \frac{Q^2}{d} = \frac{221.2 \times 10^{-13} F}{C} = 22.12 \times 10^{-12} F$	1 1												
18	<p>Electrical resistivity of a material is defined as the resistance offered to current flow by a conductor of unit length having unit area of cross section.</p> <p>Its unit is ohm - m</p>	1 ½ ½												
19	<p>i) <math>\xi_{eq} = n \xi = 4 \times 5 = 20 \text{ V}</math></p> <p>ii) <math>r_{eq} = 4 \times 0.5 = 2.0 \Omega</math></p> <p>iii) <math>I = \frac{n \xi}{R + nr} = \frac{4 \times 5}{8 + 2.0} = 2 \text{ A}</math></p> <p>iv) <math>V = IR = 2 \times 8 = 16 \text{ V}</math></p>	½ ½ ½ ½												
20	<p>The line integral of magnetic field over a closed loop is <math>\mu_0</math> times net current enclosed by the loop.</p> $\oint_C \vec{B} \cdot d\vec{l} = \mu_0 I_{enclosed}$ <p>(equation only award 1 mark)</p>	2												
21	<p><b>First law:</b></p> <p>Whenever magnetic flux linked with a closed circuit changes, an emf is induced in the circuit.</p>	1												







- When two or more resistors are connected across the same potential difference, they are said to be in parallel.
- Let  $R_1, R_2, R_3$  be the resistances of three resistors connected in parallel.
- Let 'V' be the potential difference applied across this combination.
- In parallel connection,
  - (i) Potential difference across each resistance will be the same (V)
  - (ii) But current flows through different resistors will be different.
- Let  $I_1, I_2, I_3$  be the currents flow through  $R_1, R_2, R_3$  respectively, then from Ohm's law
 
$$I_1 = \frac{V}{R_1} ; I_2 = \frac{V}{R_2} ; I_3 = \frac{V}{R_3}$$
- Hence the total current will be,
 
$$I = I_1 + I_2 + I_3 = \frac{V}{R_1} + \frac{V}{R_2} + \frac{V}{R_3}$$

$$I = V \left[ \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3} \right] \text{ ----- (1)}$$
- Let  $R_p$  be the equivalent resistance in parallel connection, then,
 
$$I = \frac{V}{R_p} \text{ ----- (2)}$$
- From equation (1) and (2),
 
$$\frac{V}{R_p} = V \left[ \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3} \right]$$

$$\therefore \frac{1}{R_p} = \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3}$$
- When resistances are connected in parallel, the reciprocal of equivalent resistance is equal to the sum of the reciprocal of the values of resistance of the individual resistor.
- The equivalent resistance in parallel connection will be lesser than each individual resistance.

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28

- Here,  $R_G <$
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- and it alw
- element.
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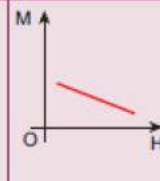

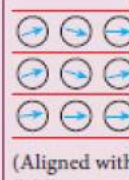
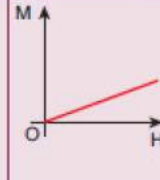


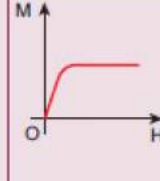
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29

Type of magnetism	Magnetising field is absent ( $H = 0$ )	Magnetising field is present ( $H \neq 0$ )	Magnetisation of the material	Susceptibility	Relative permeability
Diamagnetism	 (Zero magnetic moment)	 (Aligned opposite to the field)		Negative	Less than unity
Paramagnetism	 (Net magnetic moment but random alignment)	 (Aligned with the field)		Positive and small	Greater than unity
Ferromagnetism	 (Net magnetic moment in a domain but random alignment of domains)	 (Aligned with the field)		Positive and large	Very large

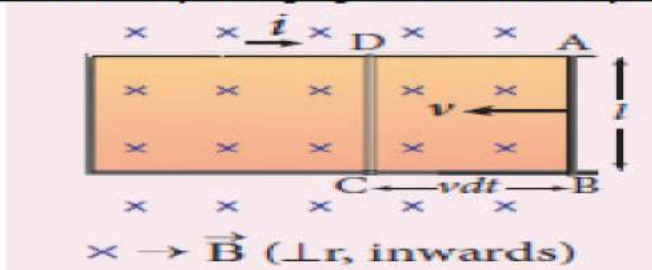
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30

**EMF induced by changing area enclosed by the coil**



- Consider a conducting rod of length ' $l$ ' moving with a velocity ' $v$ ' towards left on a rectangular metallic frame.
- The whole arrangement is placed in a uniform magnetic field ' $B$ ' acting perpendicular to the plane of the coil inwards.

area enclosed  
flux through

- The change in area enclosed is  $\frac{dA}{dt}$

- This change in flux induces an emf and it is

- This emf is

1/2

1

1/2

1

31

Any six properties (each property carries 1/2 mark)

3

32	$v = \frac{1}{\sqrt{\mu\varepsilon}}$ $v = \frac{1}{\sqrt{\mu_0\varepsilon_0}} \times \frac{1}{\sqrt{\mu_r\varepsilon_r}} = c \times \frac{1}{\sqrt{\mu_r\varepsilon_r}}$ $v^2 = \frac{c^2}{\mu_r\varepsilon_r}$ $= \frac{3 \times 10^8 \times 3 \times 10^8}{1 \times 2.25}$ $= 4 \times 10^{16} \text{ ms}^{-1}$ $v = 2 \times 10^8 \text{ ms}^{-1}$	<p>1</p> <p>1</p> <p>1</p>
33	$V = \frac{q}{4\pi\varepsilon_0} \left( \frac{1}{r_1} + \frac{1}{r_2} + \frac{1}{r_3} + \frac{1}{r_4} \right)$ $= 9 \times 10^9 \times 10/3 \times 10^{-9} \times \left( \frac{1}{4\sqrt{2} \times 10^{-2}} + \frac{1}{4\sqrt{2} \times 10^{-2}} + \frac{1}{4\sqrt{2} \times 10^{-2}} + \frac{1}{4\sqrt{2} \times 10^{-2}} \right)$ $V = 2.1216 \times 10^3 \text{ V}$	<p>1</p> <p>1</p> <p>1</p>
Q.N	<b>SECTION - IV</b>	<b>MARKS</b>
34 (a)	<ul style="list-style-type: none"> <li>• It produce of about 1</li> </ul> <p><b>Principle:</b></p> <ul style="list-style-type: none"> <li>• Electro stat</li> <li>• Action of pe</li> </ul> <p><b>Construction:</b></p>	<p>1</p> <p>½</p>

**Construction:**

- It consists of a hollow sphere fixed on the axis of rotation.
- Pulley 'B' is fixed on the axis and another pulley 'C' is fixed on the other end.
- A belt made of insulating material like rubber runs over the pulleys.
- The pulley 'C' is connected to an electric motor.
- Two comb shaped metal plates are fixed near the top of the sphere.
- The comb 'E' is connected to a source of  $10^4 V$  by a wire.
- The upper comb 'D' is connected to the hollow sphere.

**Working:**

- Due to the potential difference between the comb 'E' and the sphere, the positive charges are pushed towards the belt and negative charges are attracted towards the comb 'D'.
- The positive charges stick to the belt and move up.
- When the positive charges reach the comb 'E' a large amount of negative and positive charges are induced on either side of comb 'E' due to electrostatic induction.
- As a result, the positive charges are pushed away from the comb 'E' and they reach the outer surface of the sphere.
- These positive charges are distributed uniformly on the outer surface of the hollow sphere.
- At the same time, the negative charges neutralize the positive charges in the belt due to corona discharge before it passes over the pulley.
- When the belt descends, it has almost no net charge.
- This process continues until the outer surface produces the potential difference of the order of  $10^7 V$  which is the limiting value.
- Beyond this, the charges start leaking to the surroundings due to ionization of air.
- It is prevented by enclosing the machine in a gas filled steel chamber at very high pressure.

**Applications:**

- The high voltage produced in this Van de Graff generator is used to accelerate positive ions (protons and deuterons) for nuclear disintegrations and other applications.

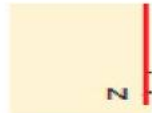
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2

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34  
(b)



- Consider a long straight wire NM carrying a current I
- Let P be a point at a distance 'a' from 'O'
- Consider an element of length 'dl' of the wire at a distance 'l' from point 'O'
- Let  $\vec{r}$  be the vector joining the element 'dl' with the point 'P' and ' $\theta$ ' be the angle between  $\vec{r}$  and  $\vec{dl}$
- Then the magnetic field at 'P' due to the element is,

$$\vec{dB} = \frac{\mu_0}{4\pi} \frac{I dl \sin \theta}{r^2} \hat{n} \quad \text{--- (1)}$$

- where,  $\hat{n} \rightarrow$  unit vector normal to both  $I \vec{dl}$  and  $\hat{r}$
- In  $\Delta PAO$ ,

$$\begin{aligned} \tan(\pi - \theta) &= \frac{a}{l} \\ \text{(or)} \quad -\tan \theta &= \frac{a}{l} \\ \text{(or)} \quad l &= -\frac{a}{\tan \theta} = -a \cot \theta \end{aligned}$$

- Differentiate,
- $dl = -a (-\operatorname{cosec}^2 \theta) d\theta = a \operatorname{cosec}^2 \theta d\theta$
- Also from  $\Delta PAO$ ,

$$\begin{aligned} \sin(\pi - \theta) &= \frac{a}{r} \quad \text{(or)} \quad \sin \theta = \frac{a}{r} \\ \text{(or)} \quad r &= \frac{a}{\sin \theta} = a \operatorname{cosec} \theta \end{aligned}$$

coordinate

$$\vec{B} =$$

$$\vec{B} =$$

$$\vec{B} =$$

- For an infin
- $\phi_2 = \pi$  (18

$$\vec{B} = \frac{\mu_0}{4\pi}$$

$$\vec{B} = \frac{\mu_0}{2}$$

1

1/2

1/2

1

1

1

DIAGRAM

1

35  
(a)

EXPLANATION

1/2

	<p>Potential due to <math>+q = \frac{1}{4\pi\epsilon_0} \frac{q}{r_1}</math></p> <p>Potential due to <math>-q = -\frac{1}{4\pi\epsilon_0} \frac{q}{r_2}</math></p> $V = \frac{1}{4\pi\epsilon_0} q \left( \frac{1}{r_1} - \frac{1}{r_2} \right)$ $r_1^2 = r^2 \left( 1 - 2a \frac{\cos\theta}{r} \right)$ $r_1 = r \left( 1 - \frac{2a}{r} \cos\theta \right)^{\frac{1}{2}}$ $\frac{1}{r_1} = \frac{1}{r} \left( 1 - \frac{2a}{r} \cos\theta \right)^{-\frac{1}{2}}$ $r_2^2 = r^2 \left( 1 + \frac{2a \cos\theta}{r} \right)$ $r_2 = r \left( 1 + \frac{2a \cos\theta}{r} \right)^{\frac{1}{2}}$ $V = \frac{1}{4\pi\epsilon_0} q \left( \frac{1}{r} \left( 1 + a \frac{\cos\theta}{r} \right) - \frac{1}{r} \left( 1 - a \frac{\cos\theta}{r} \right) \right)$ $V = \frac{q}{4\pi\epsilon_0} \left( \frac{1}{r} \left( 1 + a \frac{\cos\theta}{r} \right) - 1 + a \frac{\cos\theta}{r} \right)$ $V = \frac{1}{4\pi\epsilon_0} \frac{2aq}{r^2} \cos\theta$ $V = \frac{1}{4\pi\epsilon_0} \frac{\vec{p} \cdot \hat{r}}{r^2}$	<p>Potential due to</p> $r_1^2 = r^2 + a^2 - 2ra \cos\theta$ $r_1^2 = r^2 \left( 1 + \frac{a^2}{r^2} - \frac{2a}{r} \cos\theta \right)$ $\frac{1}{r_1} = \frac{1}{r} \left( 1 + \frac{a}{r} \cos\theta \right)$ $r_2^2 = r^2 + a^2 - 2ra \cos(180 - \theta)$ <p><math>\cos(180 - \theta) = -\cos\theta</math> we get</p> $r_2^2 = r^2 + a^2 + 2ra \cos\theta$	<p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p>1</p> <p>1</p> <p><math>\frac{1}{2}</math></p>
<p><b>35</b></p> <p><b>(b)</b></p>	<p>DIAGRAM</p> <p>EXPLANATION</p> $I_1 - I_G - I_3 = 0$ $I_2 + I_G - I_4 = 0$ $I_1 P + I_G G - I_2 R = 0$ $I_1 P + I_3 Q - I_4 S - I_2 R = 0$ $I_G = 0$ $I_1 = I_3$ $I_2 = I_4$ $I_1 P = I_2 R$ $I_1 P + I_1 Q - I_2 S - I_2 R = 0$ $I_1 (P + Q) = I_2 (R + S)$	<p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p>1</p> <p>1</p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p>	

$$\frac{Q}{P} = \frac{S}{R}$$

$$\frac{P}{Q} = \frac{R}{S}$$

1

1

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1½

1½

½

36  
(a)

- Here  $\vec{B}_1$  inward;
- Then Lorentz force acts on the length element  $dl$  in conductor 'B' carrying current  $I_2$  due to this magnetic field  $\vec{B}_1$

$$\vec{dF} = I_2 \vec{dl} \times \vec{B}_1 = -I_2 dl \hat{k} \times \frac{\mu_o I_1}{2 \pi r} \hat{i}$$

$$\vec{dF} = -\frac{\mu_o I_1 I_2 dl}{2 \pi r} (\hat{k} \times \hat{i})$$

$$\vec{dF} = -\frac{\mu_o I_1 I_2 dl}{2 \pi r} \hat{j}$$

- By Flemming's left hand rule, this force acts left wards. The force per unit length of the conductor B

$$\frac{\vec{F}}{l} = -\frac{\mu_o I_1 I_2}{2 \pi r} \hat{j} \quad \text{----- (1)}$$

- Similarly, net magnetic field due to  $I_2$  at a distance 'r' is

$$\vec{B}_2 = \frac{\mu_o I_2}{2 \pi r} \hat{i}$$

- Here  $\vec{B}_2$  acts perpendicular to plane of paper and outwards.
- Then Lorentz force acts on the length element  $dl$  in conductor 'A' carrying current  $I_1$  due to this magnetic field  $\vec{B}_2$

$$\vec{dF} = I_1 \vec{dl} \times \vec{B}_2 = I_1 dl \hat{k} \times \frac{\mu_o I_2}{2 \pi r} \hat{i}$$

$$\vec{dF} = \frac{\mu_o I_1 I_2 dl}{2 \pi r} (\hat{k} \times \hat{i})$$

$$\vec{dF} = \frac{\mu_o I_1 I_2 dl}{2 \pi r} \hat{j}$$

- By Flemming's left hand rule, this force acts right wards. The force per unit length of the conductor A

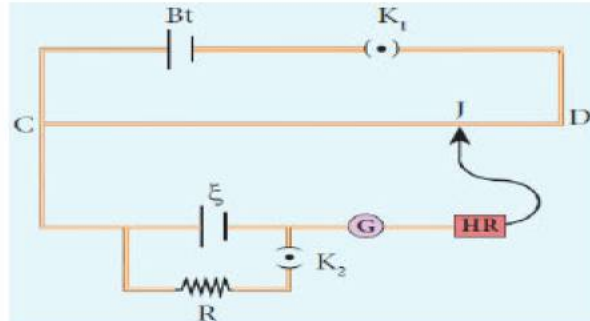
$$\frac{\vec{F}}{l} = \frac{\mu_o I_1 I_2}{2 \pi r} \hat{j} \quad \text{----- (2)}$$

- Thus the force experienced by two parallel current carrying conductors is attractive if they carry current in same direction.
- On the other hand, the force experienced by two parallel current carrying conductors is repulsive if they carry current in opposite direction.

36  
(b)

- circuit.
- The cell  $\xi$  v measured is
  - A resistance across the ce

1/2



1

- With key  $K_2$  open, the balancing point  $J$  is found out and balancing length  $CJ = l_1$  is measured.

- By the principle,

$$\xi \propto l_1 \quad \text{--- (1)}$$

1/2

- A suitable resistance is included in  $R$  and key  $K_2$  is closed.

- The current flows through  $R$  and cell is,

$$I = \frac{\xi}{R + r}$$

- Hence potential difference across  $R$

$$V = IR = \frac{\xi}{R + r} R$$

1

- For this potential difference, again the balancing point  $J$  is found out and the balancing length  $CJ = l_2$  is measured.

- By the principle,

$$\frac{\xi}{R + r} R \propto l_2 \quad \text{--- (2)}$$

1/2

- Divide equation (1) by (2)

$$\frac{\xi}{\left(\frac{\xi}{R + r} R\right)} = \frac{l_1}{l_2}$$

1/2

$$\frac{R + r}{R} = \frac{l_1}{l_2}$$

$$1 + \frac{r}{R} = \frac{l_1}{l_2}$$

$$\frac{r}{R} = \frac{l_1}{l_2} - 1 = \frac{l_1 - l_2}{l_2}$$

$$r = R \left[ \frac{l_1 - l_2}{l_2} \right] \quad \text{--- (3)}$$

1

- By substituting  $R, l_1, l_2$  in equation (3) the internal resistance of the cell can be measured.
- Here the internal resistance is not constant, and it increased with increase of external resistance  $R$ .

1

- The rep (i.e.) ma

$$\vec{B}_N =$$



½

- The attractive force experienced by unit north pole (i.e.) magnetic field at 'C' due to south pole

$$\vec{B}_S = \frac{\vec{F}_S}{q_{mC}} = - \frac{\mu_o}{4 \pi} \frac{q_m}{(r+l)^2} \hat{i} \quad \text{----- (2)}$$



½

- Then total magnetic field at 'C' is

$$\begin{aligned} \vec{B}_{axis} &= \vec{B}_N + \vec{B}_S \\ &= \frac{\mu_o}{4 \pi} \frac{q_m}{(r-l)^2} \hat{i} + \left[ - \frac{\mu_o}{4 \pi} \frac{q_m}{(r+l)^2} \hat{i} \right] \\ &= \frac{\mu_o}{4 \pi} q_m \left[ \frac{1}{(r-l)^2} - \frac{1}{(r+l)^2} \right] \hat{i} \\ &= \frac{\mu_o}{4 \pi} q_m \left[ \frac{(r+l)^2 - (r-l)^2}{(r-l)^2 (r+l)^2} \right] \hat{i} \\ &= \frac{\mu_o}{4 \pi} q_m \left[ \frac{r^2 + l^2 + 2rl - r^2 - l^2 + 2rl}{\{(r-l)(r+l)\}^2} \right] \hat{i} \\ &= \frac{\mu_o}{4 \pi} q_m \frac{4rl}{(r^2 - l^2)^2} \hat{i} \\ &= \frac{\mu_o}{4 \pi} \frac{2r(q_m 2l)}{(r^2 - l^2)^2} \hat{i} \\ \vec{B}_{axis} &= \frac{\mu_o}{4 \pi} \frac{2r p_m}{(r^2 - l^2)^2} \hat{i} \quad \text{----- (3)} \end{aligned}$$



1

- where  $q_m 2l = p_m \rightarrow$  magnetic dipole moment
- If  $r \gg l$ , then  $(r^2 - l^2)^2 \approx r^4$ . So

$$\begin{aligned} \vec{B}_{axis} &= \frac{\mu_o}{4 \pi} \frac{2r p_m}{r^4} \hat{i} \\ \vec{B}_{axis} &= \frac{\mu_o}{4 \pi} \frac{2 p_m}{r^3} \hat{i} \quad [p_m \hat{i} = \vec{p}_m] \\ \vec{B}_{axis} &= \frac{\mu_o}{4 \pi} \frac{2 \vec{p}_m}{r^3} \quad \text{----- (4)} \end{aligned}$$



1



½

37  
(b)

conductors  
single circuit  
alternating  
alternator.

1/2

DIAGRAM

1/2

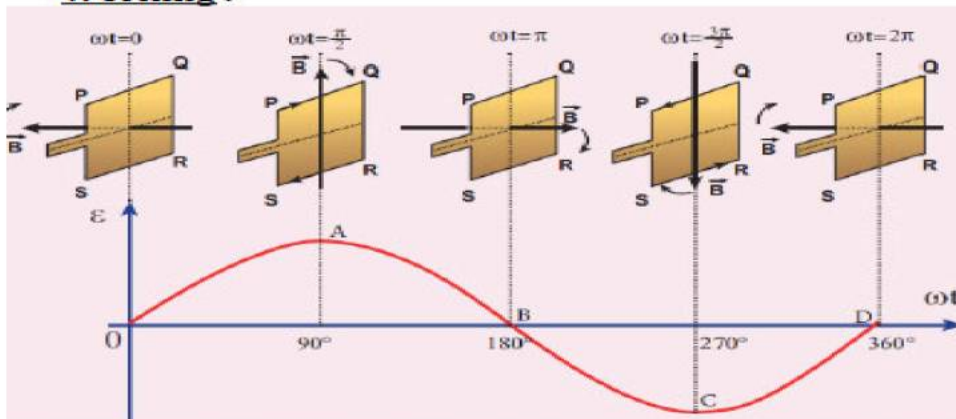
**Principle:**

- Electro magnetic induction

**Construction:**

- Consider a stator core consisting of 2 slots in which 2 armature conductor PQ and RS are mounted to form single - turn rectangular loop PQRS
- Rotor has 2 salient poles with field windings which can be magnetized by means of DC source.

**Working :**



1

- The loop PQRS is stationary and is perpendicular to the plane of the paper.
- Assume the initial position of the field magnet is horizontal. At that instant, the direction of magnetic field is perpendicular to the plane of the loop PQRS. The induced emf is zero. It is represented by origin 'O' in the graph
- Let the magnetic field rotate in clock-wise direction.

2

downward  
current flow  
represent:

- When field perpendicular becomes zero
- When field parallel to the direction of current flow, induced emf is zero and it changes direction
- From the start, it completes one cycle of alternating current.

38  
(a)

1/2

resistance  
capacitor  
alternating

▲ The applied

1/2

▲ Let 'i' be the current in the circuit at that instant.

▲ Hence the voltage developed across R, L and C

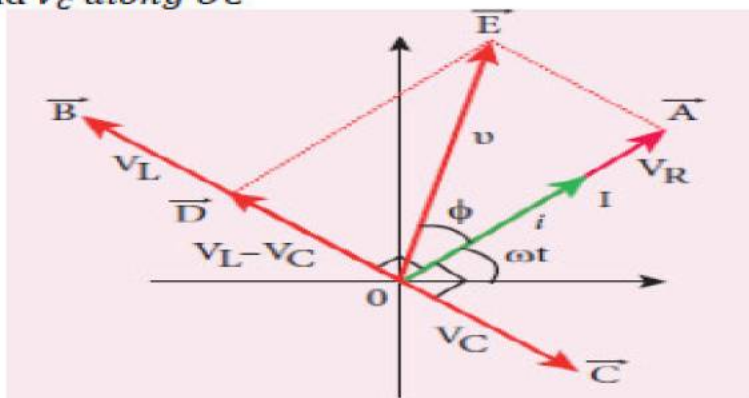
$$V_R = i R \quad (V_R \text{ is in phase with } i)$$

$$V_L = i X_L \quad (V_L \text{ leads } i \text{ by } \frac{\pi}{2})$$

$$V_C = i X_C \quad (V_C \text{ lags } i \text{ by } \frac{\pi}{2})$$

1/2

▲ The phasor diagram is drawn by representing current along  $\vec{OI}$ ,  $V_R$  along  $\vec{OA}$ ,  $V_L$  along  $\vec{OB}$  and  $V_C$  along  $\vec{OC}$



1

(or)

(or)

▲ Where, Z is the impedance  
of the series RLC circuit

▲ From the phasor diagram  
between v and i

$$\tan \phi = \frac{V_L - V_C}{V_R}$$

1

1/2

